

ENGINEERING ECONOMY 6TH EDITION PDF, EPUB, EBOOK



Fabrycky, Walter J., Thuesen, G J, Gerald J. | 0132777231 | 9780132777230

**9780073205342: Engineering Economy - Blank, Leland; Tarquin, Anthony:
0073205346 - AbeBooks**

\$\$200.000

70.000

\$\$ \$

70.00070.000 70.000

1

(130,000)70.000 70.000

(200.000)

17

\$ \$

\$

222::; 24

IS IS20

\$\$ \$ZASV. 14.96 Retain Eliminate 14 30% Retain 25.04% Retain

[il h,

-1B fl, .

AutoShapes - \

0 -

[gMiciooff Eiicel

\ Q $i^{**!} = 28.71\%$. The table in Section 7.5 of Blank and Tarquin suggests that the composite rate i' should be greater than 28.71% . However the effect from $1^{*2} = 48.25\%$ may cause the composite rate to be $> 35\%$. Use the procedure in the case study to find a composite rate without having to solve a polynomial equation. 45 Step 1: It was performed above in finding the two 1^{*} roots., ,

46

Step 2; Make an initial guess of the composite rate; for example a value less than 35% or greater than 35% may be tried. Guess the composite rate of 33% and follow the project net investment procedure from $t = 1$ to $t = 10$. If $F_{10} < 0$ then the guessed value is too large. 5U Another value is then tried and the procedure is repeated till $F_{10} > 0$. Now Interpolate to find the rate i' that makes F_{10} close to zero. This trial and error scheme is done conveniently on the spreadsheet.48, ,

47

1 i_2 ;123 But, if $i^{*k-1} < c < i^{*k}$ and $m > 2$, then i' can be $<$ or $>$ c and $i^{*k-1} < i' < i^{*k}$.

121 [Step 2. From the given c and the two r values closest to the c (arbitrarily called i^{*k-1} and i^{*k} . $k = 5, 3$

m),

124 Step 3. Guess a starting value for i' according to the situation. Try to find two values of i' such that $F_n < 0$ and $F_n > 0$. 125 Step 4. Interpolate or tweak the F_n until it is approximately zero. The corresponding i' is the solution.126

127 4) Use the same procedure as in part (1) with $c = 35\%$ then with $c = 45\%$. Then place the F value in the appropriate year 128 as the cashflow. Use the IRR function to determine i^{*} (which will be i) for the remaining cashflows. 129 For $c = 35\%$, determine F_1 through F_4 ;

130 131132 133 134135

$F_1 = 200$; $F_2 = 200(1.35) + 100 = 370$; $F_3 = 370(1.35) + 50 = 549.50$ $F_4 = 549.50(1.35) - 1800 = -1058.18$; now enter this value as the cash flow in year 4. Year 0 1

Cashflow-

1058.18

600 500 400 300

33.45%

Same as above.

136 137 138 139 140

56

200

100

MMDraw -

MIXProbleWAutoShapes .

hi

I

\\

o 3 41 >\\Proh\emz\Draw AutoShapes \\ Oi 1 j A.s

hi

MI

gQ

Chapter 7

17

Chapter 8 Rate of Return Analysis: Multiple Alternatives Solutions to Problems 8.1 (a) The rate of return on the increment has to be larger than 18%. (b) The rate of return on the increment has to be smaller than 10%. 8.2 Overall ROR: $30,000(0.20) + 70,000(0.14) = 100,000(x)$ $x = 15.8\%$ 8.3 There is no income associated with service alternatives. Therefore, the only way to obtain a rate of return is on the increment of investment. 8.4 The rate of return on the increment of investment is less than 0. 8.5 By switching the position of the two cash flows, the interpretation changes completely. The situation would be similar to receiving a loan in the amount of the difference between the two alternatives if the lower cost alternative is selected. The rate of return would represent the interest paid on the loan. Since it is higher than what the company would consider attractive (i.e., 15% or less), the loan should not be accepted. Therefore, select the alternative with the higher initial investment, A. 8.6 (a) Both processors should be selected because the rate of return on both exceeds the company's MARR. (b) The microwave model should be selected because the rate of return on increment of investment between the two is greater than 23%. 8.7 (a) Incremental investment analysis is not required. Alternative X should be selected because the rate of return on the increment is known to be lower than 20% (b) Incremental investment analysis is not required because only Alt Y has ROR greater than the MARR (c) Incremental investment analysis is not required. Neither alternative should be selected because neither one has a ROR greater than the MARR. (d) The ROR on the increment is less than 26%, but an incremental investment analysis is required to determine if the rate of return on the increment equals or exceeds the MARR of 20% (e) Incremental investment analysis is not required because it is known that the ROR on the increment is greater than 22%.

Chapter 8

1

8.8 Overall ROR: $100,000(i) = 30,000(0.30) + 20,000(0.25) + 50,000(0.20)$ $i = 24\%$ 8.9 (a) Size of investment in Y = $50,000 - 20,000 = \$30,000$ (b) $30,000(i) + 20,000(0.15) = 50,000(0.40)$ $i = 56.7\%$ 8.10 Year 0 1 2 3 4 5 6 8.11 Machine A -15,000 -1,600 -1,600 -15,000 1,600 + 3,000 -1,600 -1,600 + 3,000 1,600 Machine B -25,000 -400 -400 -400 -400 -400 + 6,000 400 BA -10,000 + 1,200 + 1,200 + 13,200 + 1,200 + 1,200 + 4,200

The incremental cash flow equation is $0 = -65,000 + x(P/A, 25\%, 4)$, where x is the difference in the operating costs of the processes. $x = 65,000/2.3616 = \$27,524$ Operating cost of process B = $60,000 - 27,524 = \$32,476$

8.12

The one with the higher initial investment should be selected because it yields a rate of return that is acceptable, that is, the MARR. (a) Find rate of return on incremental cash flow. $0 = -3,000 + 200(P/A, i, 3) + 4,700(P/F, i, 3)$ $i = 10.4\%$ (Excel) (b) Incremental ROR is less than MARR; select Ford.

8.13

8.14

(a) $0 = -200,000 + 50,000(P/A, i, 5) + 130,000(P/F, i, 5)$ Solve for i by trial and error or Excel $i = 20.3\%$ (Excel) (b) $i > \text{MARR}$; select process Y.

Chapter 8

8.15 $0 = -25,000 + 4000(P/A, i, 6) + 26,000(P/F, i, 3) + 39,000(P/F, i, 4) + 40,000(P/F, i, 6)$ Solve for i by trial and error or Excel $i = 17.4\%$ (Excel) $i > \text{MARR}$; select machine requiring extra investment: variable speed 8.16 $0 = -10,000 + 1200(P/A, i, 4) + 12,000(P/F, i, 2) + 1000(P/F, i, 4)$ Solve for i by trial and error or Excel $i = 30.3\%$ (Excel) Select machine B. 8.17 $0 = -17,000 + 400(P/A, i, 6) + 17,000(P/F, i, 3) + 1700(P/F, i, 6)$ Solve for i by trial and error or Excel $i = 6.8\%$ (Excel) Select alternative P. 8.18 $0 = -90,000 + 10,000(P/A, i, 3) + 20,000(P/A, i, 6) + 5000(P/F, i, 10)$ Solve for i by trial and error or Excel $i = 10.5\%$ (Excel) $i < \text{MARR}$; select alternative J. 8.19 Find P to yield exactly 50% and the take difference. $0 = -P + 400,000(P/F, i, 1) + 600,000(P/F, i, 2) + 850,000(P/F, i, 3)$ $P = 400,000(0.6667) + 600,000(0.4444) + 850,000(0.2963) = \$785,175$ Difference = 900,000 785,175 = \$114,825 8.20 Let $x = \text{M \& O costs}$. Perform an incremental cash flow analysis. $0 = -75,000 + (-x + 50,000)(P/A, 20\%, 5) + 20,000(P/F, 20\%, 5)$ $0 = -75,000 + (-x + 50,000)(2.9906) + 20,000(0.4019)$ $x = \$27,609$ M & O cost for S = \$-27,609

Chapter 8

8.21 $0 = -22,000(A/P, i, 9) + 4000 + (12,000 - 4000)(A/F, i, 9)$ Solve for i by trial and error or Excel $i = 14.3\%$ (Excel) $i > \text{MARR}$; select alternative N 8.22 Find ROR for incremental cash flow over LCM of 4 years $0 = -50,000(A/P, i, 4) + 5000 + (40,000 - 5000)(P/F, i, 2)(A/P, i, 4) + 2000(A/F, i, 4)$ Solve for i by trial and error or Excel $i = 6.1\%$ (Excel) $i < \text{MARR}$; select semiautomatic machine 8.23 $0 = -62,000(A/P, i, 24) + 4000 + (10,000 - 4000)(A/F, i, 24)$ Solve for i by trial and error or Excel $i = 4.2\%$ per month is $> \text{MARR} = 2\%$ per month Select alternative Y 8.24 $0 = -40,000(A/P, i, 10) + 8500 - 500(A/G, i, 10)$ Solve for i by trial and error or Excel $i = 10.5\%$ is $< \text{MARR} = 17\%$ (Excel) Select Z1 8.25 Find ROR on increment of investment. $0 = -500,000(A/P, i, 10) + 60,000$ $i = 3.5\% < \text{MARR}$ Select design 1A 8.26 Develop a cash flow tabulation. Year 0 1 2 3 Lease, \$ -108,000 -108,000 -108,000 0 Build, \$ -50,000 270,000 0 0 +55,000 + 60,000 B L, \$ -212,000 +108,000 +108,000 +115,000

(Excel)

$0 = -212,000(A/P, i, 3) + 108,000 + (115,000 - 108,000)(A/F, i, 3)$ Chapter 8 4

Solve for i by trial and error or Excel $i = 25.8\% < \text{MARR}$ Lease space 8.27 Select the one with the lowest initial investment cost because none of the increments were justified. 8.28 (a) A vs DN: $0 = -30,000(A/P, i, 8) + 4000 + 1000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 2.1\%$ (Excel) Method A is not acceptable B vs DN: $0 = -36,000(A/P, i, 8) + 5000 + 2000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 3.4\%$ (Excel) Method B is not acceptable C vs DN: $0 = -41,000(A/P, i, 8) + 8000 + 500(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 11.3\%$ (Excel) Method C is acceptable D vs DN: $0 = -53,000(A/P, i, 8) + 10,500 - 2000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 11.1\%$ (Excel) Method D is acceptable (b) A vs DN: $0 = -30,000(A/P, i, 8) + 4000 + 1000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 2.1\%$ (Excel) Eliminate A B vs DN: $0 = -36,000(A/P, i, 8) + 5000 + 2000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 3.4\%$ (Excel) Eliminate B C vs DN: $0 = -41,000(A/P, i, 8) + 8000 + 500(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 11.3\%$ (Excel) Eliminate DN (Excel)

Chapter 8

C vs D: $0 = -12,000(A/P, i, 8) + 2,500 - 2500(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 10.4\%$ (Excel) Eliminate D Select method C 8.29 Rank alternatives according to increasing initial cost: 2, 1, 3, 5, 4 1 vs 2: $0 = -3000(A/P, i, 5) + 1500$ $(A/P, i, 5) = 0.5000$ $i = 41.0\%$ (Excel) Eliminate 2 3 vs 1: $0 = -3500(A/P, i, 5) + 1000$ $(A/P, i, 5) = 0.2857$ $i = 13.2\%$ (Excel) Eliminate 3 5 vs 1: $0 = -10,000(A/P, i, 5) + 2500$ $(A/P, i, 5) = 0.2500$ $i = 7.9\%$ (Excel) Eliminate 5 4 vs 1: $0 = -17,000(A/P, i, 5) + 6000$ $(A/P, i, 5) = 0.3529$ $i = 22.5\%$ (Excel) Eliminate 1 Select machine 4 8.30 Alternatives are revenue alternatives. Therefore, add DN (a) DN vs 8: $0 = -30,000(A/P, i, 5) + (26,500 - 14,000) + 2000(A/F, i, 5)$ Solve for i by trial and error or Excel $i = 31.7\%$ (Excel) Eliminate DN 8 vs 10: $0 = -4000(A/P, i, 5) + (14,500 - 12,500) + 500(A/F, i, 5)$ Solve for i by trial and error or Excel $i = 42.4\%$ (Excel) Eliminate 8 10 vs 15: $0 = -4000(A/P, i, 5) + (15,500 - 14,500) + 500(A/F, i, 5)$ Solve for i by trial and error or Excel Chapter 8 6

$i = 10.9\%$ (Excel) Eliminate 15 10 vs 20: $0 = -14,000(A/P, i, 5) + (19,500 - 14,500) + 1000(A/F, i, 5)$ Solve for i by trial and error or Excel $i = 24.2\%$ (Excel) Eliminate 10 20 vs 25: $0 = -9000(A/P, i, 5) + (23,000 - 19,500) + 1100(A/F, i, 5)$ Solve for i by trial and error or Excel $i = 29.0\%$ (Excel) Eliminate 20 Purchase 25 m3 truck (b) For second truck, purchase truck that was eliminated next to last: 20 m3 8.31 (a) Select all projects whose ROR $> \text{MARR}$ of 15%. Select A, B, and C (b) Eliminate alternatives with ROR $< \text{MARR}$; compare others incrementally: Eliminate D and E Rank survivors according to increasing first cost: B, C, A B vs C: $i = 800/5000 = 16\% > \text{MARR}$ C vs A: $i = 200/5000 = 4\% < \text{MARR}$ Select project C 8.32 (a) All machines have ROR $> \text{MARR}$ of 12% and all increments of investment have ROR $> \text{MARR}$. Therefore, select machine 4. (b) Machines 2, 3, and 4 have ROR greater than 20%. Increment between 2 and 3 is justified, but not increment between 3 and 4. Therefore, select machine 3. 8.33 (a) Select A and C. (b) Proposal A is justified. A vs B yields 1%, eliminate B; A vs C yields 7%, eliminate C; A vs D yields 10%, eliminate A. Therefore, select proposal D (c) Proposal A is justified. A vs B yields 1%, eliminate B; A vs C yields 7%, eliminate C; A vs D yields 10%, eliminate D. Therefore, select proposal A

Eliminate B

Eliminate A

Chapter 8

8.34 (a) Find ROR for each increment of investment: E vs F: $20,000(0.20) + 10,000(i) = 30,000(0.35)$ $i = 65\%$ E vs G: $20,000(0.20) + 30,000(i) = 50,000(0.25)$ $i = 28.3\%$ E vs H: $20,000(0.20) + 60,000(i) = 80,000(0.20)$ $i = 20\%$ F vs G: $30,000(0.35) + 20,000(i) = 50,000(0.25)$ $i = 10\%$ F vs H: $30,000(0.35) + 50,000(i) = 80,000(0.20)$ $i = 11\%$ G vs H: $50,000(0.25) + 30,000(i) = 80,000(0.20)$ $i = 11.7\%$ (b) Revenue = A = Pi E: A = $20,000(0.20) = \$4,000$ F: A = $30,000(0.35) = \$10,500$ G: A = $50,000(0.25) = \$12,500$ H: A = $80,000(0.20) = \$16,000$ (c) Conduct incremental analysis using results from part (a): E vs DN: $i = 20\% > \text{MARR}$ eliminate DN E vs F: $i = 65\% > \text{MARR}$ eliminate E F vs G: $i = 10\% < \text{MARR}$ eliminate G F vs H: $i = 11\% < \text{MARR}$ eliminate H Therefore, select Alternative F (d) Conduct incremental analysis using results from part (a). E vs DN: $i = 20\% > \text{MARR}$, eliminate DN E vs F: $i = 65\% > \text{MARR}$, eliminate E F vs G: $i = 10\% < \text{MARR}$, eliminate G F vs H: $i = 11\% = \text{MARR}$, eliminate F Select alternative H (e) Conduct incremental analysis using results from part (a). E vs DN: $i = 20\% > \text{MARR}$, eliminate DN E vs F: $i = 65\% > \text{MARR}$, eliminate E F vs G: $i = 10\% < \text{MARR}$, eliminate G F vs H: $i = 11\% < \text{MARR}$, eliminate H Chapter 8

Select F as first alternative; compare remaining alternatives incrementally. E vs DN: $i = 20\% > \text{MARR}$, eliminate DN E vs G: $i = 28.3\% > \text{MARR}$, eliminate E G vs H: $i = 11.7\% < \text{MARR}$, eliminate H Therefore, select alternatives F and G 8.35 (a) ROR for F: $10,000(0.25) + 15,000(0.20) = 25,000(i)$ $i = 22\%$ ROR for G: $25,000(0.22) + 5,000(0.04) = 30,000(i)$ $i = 19\%$ Increment between E and G: $10,000(0.25) + 20,000(i) = 30,000(0.19)$ $i = 16\%$ Increment between E and H: $10,000(0.25) + 50,000(i) = 60,000(0.30)$ $i = 31\%$

Increment between F and H: $25,000(0.22) + 35,000(i) = 60,000(0.30)$ $i = 35.7\%$ Increment between G and H: $30,000(0.19) + 30,000(i) = 60,000(0.30)$ $i = 41\%$ (b) Select all alternatives with ROR MARR of 21%; select E, F, and H. (c) Conduct incremental analysis using results from table and part (a). E vs DN: $i = 25\% > \text{MARR}$, eliminate DN E vs F: $i = 20\% < \text{MARR}$, eliminate F E vs G: $i = 16\% < \text{MARR}$, eliminate G E vs H: $i = 31\% > \text{MARR}$, eliminate E Select alternative H. FE Review Solutions 8.36 8.37 8.38 8.39 8.40 Answer is (a) Answer is (c) Answer is (c) Answer is (b) Answer is (d)9

Chapter 8

8.41 8.42 8.43

Answer is (b) Answer is (b) Answer is (b)

Extended Exercise Solution 1. PW at 12% is shown in row 29. Select #2 ($n = 8$) with the largest PW value. 2. #1 ($n = 3$) is eliminated. It has $i^* < \text{MARR} = 12\%$. Perform an incremental analysis of #1 ($n = 4$) and #2 ($n = 5$). Column H shows $i^* = 19.49\%$. Now perform an incremental comparison of #2 for $n = 5$ and $n = 8$. This is not necessary. No extra investment is necessary to expand cash flow by three years. The i^* is infinity. It is obvious: select #2 ($n = 8$). 3. PW at 2000% $> \$0.05$. i^* is infinity, as shown in cell K45, where an error for IRR(K4:K44) is indicated. This analysis is not necessary, but shows how Excel can be used over the LCM to find a rate of return. Microsoft Excel - C8 - ext exer soln

] File Edit View Insert Format Tpol Data Window Help QI Macros

B

U

S % ,

tog

8

it

—

-

H

[H i]FIA1

B fIE F

,H J K

Fill Color (Yellow)LM

EB 12/tc

MARR =

23 45

1 (n = 3)Year 01 2 Cash flow

1 (n = 4)Cash flow

#2 (n = 5)Cash flow

#2 (n = 8)Cash flow

1

\$\$

(100,000)35.000 35.000 35.000

\$\$

(100,000)35,000 35.000 35.000

\$(200,000)\$ \$ 50.000 55.000

\$(200,000)\$50.000 55.000 80.000 86.000 70.000 70.000 70.000

20 yr. CP \$ (100.000)\$ 35.000

#2(6)-to-#1(4) to2(n=5) Incremental 20 yr. CP cash flow \$ (200.000) \$ (100.000)\$50.000 55.000 80.000

#2 (n= 5) 40 gr. CP \$(200,000)\$ \$ 50.000 55.000

\$s

#2 (n = 8) 40 yr. CP (200,000)50.000 55.000 80.000

2(8)-to-2(5) Incrementalcash flow

\$t

*

15.000 20.000 25.000

67 S

Engineering Economy, 6th Edition

รายละเอียดสินค้า Engineering Economy, 6th Edition

Blank and Tarquin moved to the number one book in May of 2004.

Approximately 80% of the end-of-chapter problems are either new or revised for the 6th edition.

Information on cost estimation, depreciation, and taxes has been updated for this edition.

International considerations have been updated and expanded upon.

The Online Learning Center (<http://www.mhhe.com/blank6>) includes resources for students and instructors. Resources will include: Glossary, Web links, FE Exam Problems and Quiz, Learning Objectives, Spreadsheet Exercises, Lecture Slides, Summaries, general textbook information, and more!

Table of Contents

Level 1 This is How It All Starts

Chapter 1: Foundations of Engineering Economy

Chapter 2: Factors: How Time and Interest Affect Money

Chapter 3: Combining Factors

Chapter 4: Nominal and Effective Interest Rates

Level 2 Tools for Evaluating Alternatives

Chapter 5: Present Worth Analysis <

Chapter 6: Annual Worth Analysis

Chapter 7: Rate of Return Analysis: Single Alternative
Chapter 8: Rate of Return Analysis: Multiple Alternatives
Chapter 9: Benefit/Cost Analysis and Public Sector Economics
Chapter 10: Making Choices: The Method, MARR, and Multiple Attributes
Level 3 Making Decisions on Real-World Projects
Chapter 11: Replacement and Retention Decisions
Chapter 12: Selection from Independent Projects Under Budget Limitation
Chapter 13: Breakeven Analysis
Level 4 Rounding Out the Study
Chapter 14: Effects of Inflation
Chapter 15: Cost Estimation and Indirect Cost Allocation
Chapter 16: Depreciation Methods
Chapter 17: After-Tax Economic Analysis
Chapter 18: Formalized Sensitivity Analysis and Expected Value Decisions
Chapter 19: More on Variation and Decision Making Under Risk
Appendix A Using Spreadsheets and Microsoft Excel
Appendix B Basics of Accounting Reports and Business Ratios
Bibliography
Compound Interest Factor Tables
Index

รีวิ (2)

□

Customer

10/12/2560 13:51

คุณภาพสินค้าดีมาก

□

Customer

10/12/2560 13:51

คุณภาพสินค้าดีมาก

Источник: http://www.toptextbook.com/products_detail/view/290780
Ext exe1 1 \$olnBC

D

E

F

G

H

I

J

K

L

"I

Interest rate 10%

1) Charles: Payment each year = (2) Beginning unrecovered

\$2,010.57

(3)=(0.1)(2) (4) = (2)+(3)

(5)

(6H4M5) Ending unrecovered balance

Unrecovered balances, column (4)

Year 0

balance

Interest

Total owed

Payment

1 21 j 14 5

\$(5,000.00) \$(5,000.00) \$ (500.00) \$(5 500.00) \$2 010.57 \$(3,489.43) \$ (348.94) \$(3 838.37) \$2,010.57 \$ (1,827.79) \$ (182.78) \$ (2,010.57) \$2,010.57 \$6,031.72 \$(1,031.72), , ,

\$(5,000.00) \$(3 489.43) \$(1 827.79) \$ (0.00), ,

a

.

u

Year-

2

j

li

Draw fee (tj) \$ \$tUUIMJUUI :i: j ijji

27 I Eliminate? 28 Incr. i'

\$1949%.

70.000 70.000

70.000

\$

6 307 29 a "

Engineering Economy, 6th edition, provides undergraduate students and practicing professionals with a solid preparation in the financial understanding of engineering problems and projects, as well as the techniques needed for evaluating and making sound economic decisions. Information on cost estimation, depreciation, and taxes has been updated to conform to new tax laws and a majority of the end-of-chapter problems are revised or new to this edition.

Distinguishing pedagogical characteristics of this market-leading text include its easy-to-read writing style, chapter objectives, worked examples, integrated spreadsheets, case studies, Fundamentals of Engineering (FE) exam questions, and numerous end-of-chapter problems. Graphical cross-referencing is indicated so users are able to locate additional material on any one subject in the text.

While the chapters are progressive, over three-quarters can stand alone, allowing instructors flexibility for meeting course needs. A complete Online Learning Center (OLC) offers supplemental practice problems, spreadsheet exercises, review questions for the Fundamentals of Engineering (FE) exam, and more!

"synopsis" may belong to another edition of this title.

Источник: <https://www.abebooks.com/9780073205342/Engineering-Economy-Blank-Leland-Tarquin-0073205346/plp>

4

(130.000)70.000

\$(130,000)

Draw -

& E IM

JInbox-OuHookE...j @]Ch 9 Prob for fith... Amount from bonds now = If 5 Parks csh flow gradient, $G = If6_$

3 000 000, ,

100 000.

7

Cash flows_

SIYear J3_ iL 1112_

"

Land purchases0 1 2 3 4 5 6 % It \$ \$ \$ \$ \$4 000,000,

Parks development\$ \$ \$ \$ If\$

3 000,000,

2 250,000,

1 687,500,

il H17

1 265,625,

550 000.

949,219-

650 000.

750 000.

P for purchases\$ 11,788,797 I_

P for parks1 382 790, .

Total present worth\$ 13 171 587, .

18 P values

ii.20

1) To raise; Yrs. 1 and 2 :2) To raise: Yrs, 4. 5 and 6=

\$5,625,821

\$4.748.145

AutoShapes - \dy

O HMUli "

i

r

"

NUM

i

Chapter 3

10

Chapter 4 Nominal and Effective Interest Rates Solutions to Problems 4.1 (a) monthly (b) quarterly (c) semiannually 4.2 (a) quarterly (b) monthly (c) weekly 4.3 (a) 12 (b) 4 (c) 2 4.4 (a) 1 (b) 4 (c) 12 4.5 (a) $r/\text{semi} = 0.5 \times 2 = 1\%$ (b) 2% (c) 4% 4.6 (a) $i = 0.12/6 = 2\%$ per two months; $r/4$ months $= 0.02 \times 2 = 4\%$ (b) $r/6$ months $= 0.02 \times 3 = 6\%$ (c) $r/2$ yrs $= 0.02 \times 12 = 24\%$ 4.7 (a) 5% (b) 20% 4.8 (a) effective (b) effective (c) nominal (d) effective (e) nominal 4.9 $i/6$ months $= 0.14/2 = 7\%$ 4.10 $i = (1 + 0.04)^4 - 1 = 16.99\%$ 4.11 $0.16 = (1 + r/2)^2 - 1$ $r = 15.41\%$ 4.12 Interest rate is stated as effective. Therefore, $i = 18\%$ 4.13 $0.1881 = (1 + 0.18/m)^m - 1$ Solve for m by trial and gives $m = 2$ 4.14 $i = (1 + 0.01)^2 - 1 = 2.01\%$

Chapter 4

1

4.15 $i = 0.12/12 = 1\%$ per month Nominal per 6 months $= 0.01(6) = 6\%$ Effective per 6 months $= (1 + 0.06/6)^6 - 1 = 6.15\%$ 4.16 (a) $i/\text{week} = 0.068/26 = 0.262\%$ (b) effective 4.17 PP = weekly; CP = quarterly 4.18 PP = daily; CP = quarterly 4.19 From 2% table at $n=12$, $F/P = 1.2682$ 4.20 Interest rate is effective From 6% table at $n = 5$, $P/G = 7.9345$ 4.21 $P = 85(P/F, 2\%, 12) = 85(0.7885) = \67.02 million 4.22 $F = 2.7(F/P, 3\%, 60) = 2.7(5.8916) = \15.91 billion 4.23 $P = 5000(P/F, 4\%, 16) = 5000(0.5339) = \2669.50 4.24 $P = 1.2(P/F, 5\%, 1) = 1.2(0.9524) = \$1,142,880$ (in \$million)

4.25 $P = 1.3(P/A, 1\%, 28)(P/F, 1\%, 2) = 1.3(24.3164)(0.9803) = \$30,988,577$ 4.26 $F = 3.9(F/P, 0.5\%, 120) = 3.9(1.8194) = \$7,095,660,000$ (in \$million)

(in \$billion)

4.27 $P = 3000(250/150)(P/A, 4\%, 8) = 3000(100)(6.7327) = \$2,019,810$ Chapter 4

(in \$million)

2

4.28 $F = 50(20,000,000)(F/P, 1.5\%, 9) = 1,000,000,000(1.1434) = \1.1434 billion 4.29 $A = 3.5(A/P, 5\%, 12) = 3.5(0.11283) = \$394,905$ (in \$million)

4.30 $F = 10,000(F/P, 4\%, 4) + 25,000(F/P, 4\%, 2) + 30,000(F/P, 4\%, 1) = 10,000(1.1699) + 25,000(1.0816) + 30,000(1.04) = \$69,939$ 4.31 $i/\text{wk} = 0.25\%$ $P = 2.99(P/A, 0.25\%, 40) = 2.99(38.0199) = \113.68 4.32 $i/6$ mths $= (1 + 0.03)^2 - 1$ $A = 20,000(A/P, 6.09\%, 4) = 20,000\{[0.0609(1 + 0.0609)^4]/[(1 + 0.0609)^4 - 1]\} = 20,000(0.28919) = \5784 4.33 $F = 100,000(F/A, 0.25\%, 8)(F/P, 0.25\%, 3) = 100,000(8.0704)(1.0075) = \$813,093$ Subsidy $= 813,093 - 800,000 = \$13,093$ 4.34 $P = (14.99/6.99)(P/A, 1\%, 24) = 8(21.2434) = \169.95 4.35 First find P , then convert to A $P = 150,000\{1/[1 + 0.20]^{10}/(1 + 0.07)^{10}\}/(0.07/0.20) = 150,000(16.5197) = \$2,477,955$ $A = 2,477,955(A/P, 7\%, 10) = 2,477,955(0.14238) = \$352,811$ Chapter 4 3

4.36 $P = 80(P/A, 3\%, 12) + 2(P/G, 3\%, 12)$ $P = 80(9.9540) + 2(51.2482) = \898.82 4.37 $2,000,000 = A(P/A, 3\%, 8) + 50,000(P/G, 3\%, 8)$ $2,000,000 = A(7.0197) + 50,000(23.4806)$ $A = \$117,665$ 4.38 $P = 1000 + 2000(P/A, 1.5\%, 12) + 3000(P/A, 1.5\%, 16)(P/F, 1.5\%, 12) = 1000 + 2000(10.9075) + 3000(14.1313)(0.8364) = \$58,273$ 4.39 First find P in quarter 1 and then use A/P to get A in quarters 0-8. $P-1 = 1000(P/F, 4\%, 2) + 2000(P/A, 4\%, 2)(P/F, 4\%, 2) + 3000(P/A, 4\%, 4)(P/F, 4\%, 5) = 1000(0.9246) + 2000(1.8861)(0.9246) + 3000(3.6299)(0.8219) = \$13,363$ $A = 13,363(A/P, 4\%, 9) = 13,363(0.13449) = \1797.19 4.40 Move deposits to end of compounding periods and then find F . $F = 1800(F/A, 3\%, 30) = 1800(47.5754) = \$85,636$ 4.41 Move withdrawals to beginning of periods and then find F . $F = (10,000/1000)(F/P, 4\%, 6) + 1000(F/P, 4\%, 5) + 1000(F/P, 4\%, 3) = 9000(1.2653) + 1000(1.2167) + 1000(1.1249) = \9046 4.42 Move withdrawals to beginning of periods and deposits to end; then find F . $F = 1600(F/P, 4\%, 5) + 1400(F/P, 4\%, 4) + 2600(F/P, 4\%, 3) + 1000(F/P, 4\%, 2) - 1000(F/P, 4\%, 1) = 1600(1.2167) + 1400(1.1699) + 2600(1.1249) + 1000(1.0816) + 1000(1.04) = \701.44 4.43 Move monthly costs to end of quarter and then find F . Monthly costs $= 495(6)(2) = \$5940$ End of quarter costs $= 5940(3) = \$17,820$ $F = 17,820(F/A, 1.5\%, 4) = 17,820(4.0909) = \$72,900$ Chapter 4 4

4.44 $i = e^{0.13} - 1 = 13.88\%$ 4.45 $i = e^{0.12} - 1 = 12.75\%$ 4.46 $0.127 = e^r - 1$ $r/\text{yr} = 11.96\%$ $r/\text{quarter} = 2.99\%$

4.47 15% per year $= 15/12 = 1.25\%$ per month $i = e^{0.0125} - 1 = 1.26\%$ per month $F = 100,000(F/A, 1.26\%, 24) = 100,000\{[1 + 0.0126]^{24} - 1\}/0.0126\} = 100,000(27.8213) = \$2,782,130$ 4.48 18% per year $= 18/12 = 1.50\%$ per month $i = e^{0.015} - 1 = 1.51\%$ per month $P = 6000(P/A, 1.51\%, 60) = 6000\{[(1 + 0.0151)^{60} - 1]/[0.0151(1 + 0.0151)^{60}]\} = 6000(39.2792) = \$235,675$ 4.49 $i = e^{0.02} - 1 = 2.02\%$ per month $A = 50(A/P, 2.02\%, 36) = 50\{[0.0202(1 + 0.0202)^{36}]/[(1 + 0.0202)^{36} - 1]\} = 50(0.03936) = \$1,968,000$

4.50 $i = e^{0.06} - 1 = 6.18\%$ per year $P = 85,000(P/F, 6.18\%, 4) = 85,000[1/(1 + 0.0618)^4] = 85,000(0.78674) = \$66,873$ 4.51 $i = e^{0.015} - 1 = 1.51\%$ per month $2P = P(1 + 0.0151)^n$ $2.000 = (1.0151)^n$ Take log of both sides and solve for n $n = 46.2$ months Chapter 4 5

4.52 Set up F/P equation in months. $3P = P(1 + i)^{60}$ $3.000 = (1 + i)^{60}$ $1.01848 = 1 + i$ $i = 1.85\%$ per month (effective) 4.53 $P = 150,000(P/F, 12\%, 2)(P/F, 10\%, 3) = 150,000(0.7972)(0.7513) = \$89,840$ 4.54 $F = 50,000(F/P, 10\%, 4)(F/P, 1\%, 48) = 50,000(1.4641)$

$$(1.6122) = \$118,021$$

4.55 (a) First move cash flow in years 0-4 to year 4 at $i = 12\%$. $F = 5000(F/P, 12\%, 4) + 6000(F/A, 12\%, 4) = 5000(1.5735) + 6000(4.7793) = \$36,543$ Now move the total to year 5 at $i = 20\%$. $F = 36,543(F/P, 20\%, 1) + 9000 = 36,543(1.20) + 9000 = \$52,852$ (b) Substitute A values for annual cash flows, including year 5 with the factor $(F/P, 20\%, 0) = 1.00$ $52,852 = A\{(F/P, 12\%, 4) + (F/A, 12\%, 4)(F/P, 20\%, 1) + (F/P, 20\%, 0)\} = A\{(1.5735) + (4.7793)(1.20) + 1.00\} = A(8.62336)$ $A = \$6129$ per year for years 0 through 5 (a total of 6 A values). 4.56 First find P. $P = 5000(P/A, 10\%, 3) + 7000(P/A, 12\%, 2)(P/F, 10\%, 3) = 5000(2.4869) + 7000(1.6901)(0.7513) = 12,434.50 + 8888.40 = \$21,323$ Chapter 4 6

Now substitute A values for cash flows. $21,323 = A(P/A, 10\%, 3) + A(P/A, 12\%, 2)(P/F, 10\%, 3) = A(2.4869) + A(1.6901)(0.7513) = A(3.7567)$ $A = \$5676$

FE Review Solutions 4.57 Answer is (b) 4.58 Answer is (d) 4.59 $i/yr = (1 + 0.01)^{12} - 1 = 0.1268 = 12.68\%$ Answer is (d) 4.60 $i/quarter = e^{0.045} - 1 = 0.0460 = 4.60\%$ Answer is (c) 4.61 Answer is (d) 4.62 Answer is (a) 4.63 Find annual rate per year for each condition. $i/yr = 22\%$ simple $i/yr = (1 + 0.21/4)^4 - 1 = 0.2271 = 22.7\%$ $i/yr = (1 + 0.21/12)^{12} - 1 = 0.2314 = 23.14\%$ $i/yr = (1 + 0.22/2)^2 - 1 = 0.2321 = 23.21\%$ Answer is (a) 4.64 $i/semi-annual = e^{0.02} - 1 = 0.0202 = 2.02\%$ Answer is (b) 4.65 Answer is (c) 4.66 $P = 30(P/A, 0.5\%, 60) = \1552 Answer is (b)

Chapter 4

7

4.67 $P = 7 + 7(P/A, 4\%, 25) = \116.3547 million Answer is (c) 4.68 Answer is (a) 4.69 Answer is (d) 4.70 $PP > CP$; must use i over PP of 1 year. Therefore, $n = 7$ Answer is (a) 4.71 $P = 1,000,000 + 1,050,000\{[1 - (1 + 0.05)^{-12}] / (0.01 - 0.05)\} = \$16,585,447$ Answer is (b) 4.72 Answer is (d) 4.73 Deposit in year 1 $= 1250 / (1 + 0.05)^3 = \1079.80 Answer is (d)

4.74 $A = 40,000(A/F, 5\%, 8) = 40,000(0.10472) = \4188.80 Answer is (c) 4.75 $A = 800,000(A/P, 3\%, 12) = 800,000(0.10046) = \$80,368$ Answer is (c)

Case Study Solution 1. Plan C: 15-Year Rate - The calculations for this plan are the same as those for plan A, except that $i = 9\%$ per year and $n = 180$ periods instead of 360. However, for a 5% down payment, the P&I is now \$1488.04 which will yield a total payment of \$1788.04. This is greater than the \$1600 maximum payment available. Therefore, the down payment will have to be increased to \$25,500, making the loan amount \$124,500. This will make the P&I amount \$1300.06 for a total monthly payment of \$1600.06. Chapter 4 8

The amount of money required up front is now \$28,245 (the origination fee has also changed). The plan C values for F1C, F2C, and F3C are shown below. $F1C = (40,000 - 28,245)(F/P, 0.25\%, 120) = \$15,861.65$ $F2C = 0$ $F3C = 170,000 [124,500(F/P, 9.5\%, 12, 120) - 1300.06(F/A, 9.5\%, 12, 120)] = \$108,097.93$ $FC = F1C + F2C + F3C = \$123,959.58$ The future worth of Plan C is considerably higher than either Plan A (\$87,233) or Plan B (\$91,674). Therefore, Plan C with a 15-year fixed rate is the preferred financing method. 2. Plan A Loan amount = \$142,500 Balance after 10 years = \$129,582.48 Equity = 142,500 - 129,582.48 = \$12,917.52 Total payment made = $1250.56(120) = \$150,067.20$ Interest paid = 150,067.20 - 12,917.52 = \$137,149.68 3. Amount paid through first 3 yrs = $1146.58(36) = \$41,276.88$ Principal reduction through first 3 yrs = $142,500 - 139,297.08 = \$3,202.92$ Interest paid first 3 yrs = $41,276.88 - 3,202.92 = \$38,073.96$ Amount paid year 4 = $1195.67(12) = 14,348.04$ Principal reduction year 4 = $139,297.08 - 138,132.42 = 1164.66$ Interest paid year 4 = $14,348.04 - 1164.66 = 13,183.38$ Total interest paid in 4 years = $38,073.96 + 13,183.38 = \$51,257.34$ 4. Let DP = down payment Fixed fees = $300 + 200 + 200 + 350 + 150 + 300 = \1500 Available for DP = $40,000 - 1500$ (loan amount)(0.01) where loan amount = 150,000 DP Chapter 4 9

$DP = 40,000 - 1500 - (150,000 - DP)(0.01) = 40,000 - 1500 - 1500 + 0.01DP$ $0.99DP = 37,000$ $DP = \$37,373.73$ check: origination fee = $(150,000 - 37,373.73)(0.01) = 1126.26$ available DP = $40,000 - 1500 - 1126.26 = \$37,373.73$ 5. Amount financed = \$142,500 Monthly P&I @ 10% = \$1,250.56 Monthly P&I @ 11% = $142,500(A/P, 11\%, 12, 60) = (142,500)(0.009167)(1 + 0.009167)^{360} = \1357.06 $(1 + 0.009167)^{360} - 1$ Monthly P&I @ 12% = \$1465.77 Monthly P&I @ 13% = \$1576.33 Monthly P&I @ 14% = \$1688.44 Increase varies: 10% to 11% = \$106.50 11% to 12% = 108.71 12% to 13% = 110.56 13% to 14% = 112.11 Increase from one interest rate to the other ---- 106.50

108.71 110.56 112.11

6. In buying down interest, you must give lender money now instead of money later. Therefore, to go from 10% to 9%, lender must recover the additional 1% now. $103.95/\text{month P\&I @ 10\%} = 1250.54$ $\text{P\&I @ 9\%} = 1146.59$ Difference = \$103.95/month $P = 103.95(P/A, 10\%, 12, 360) = 103.95(113.9508) = \$11,845.19$ P 1 2 3 360 month

Chapter 4

10

Chapter 5 Present Worth Analysis Solutions to Problems 5.1 A service alternative is one that has only costs (no revenues). 5.2 (a) For independent projects, select all that have PW 0; (b) For mutually exclusive projects, select the one that has the highest numerical value. 5.3 (a) Service; (b) Revenue; (c) Revenue; (d) Service; (e) Revenue; (f) Service 5.4 (a) Total possible = 25 = 32 (b) Because of restrictions, cannot have any combinations of 3, 4, or 5. Only 12 are acceptable: DN, 1, 2, 3, 4, 5, 1&3, 1&4, 1&5, 2&3, 2&4, and 2&5. 5.5 Equal service means that the alternatives end at the same time. 5.6 Equal service can be satisfied by using a specified planning period or by using the least common multiple of the lives of the alternatives. 5.7 Capitalized cost represents the present worth of service for an infinite time. Real world examples that might be analyzed using CC would be Yellowstone National Park, Golden Gate Bridge, Hoover Dam, etc. 5.8 $PW_{old} = -1200(3.50)(P/A, 15\%, 5) = -$

$4200(3.3522) = \$-14,079$ $PW_{new} = -14,000$ $1200(1.20)(P/A, 15\%, 5) = -14,000$ $1440(3.3522) = \$-18,827$ Keep old brackets 5.9 $PWA = -80,000$ $30,000(P/A, 12\%, 3) + 15,000(P/F, 12\%, 3) = -80,000$ $30,000(2.4018) + 15,000(0.7118) = \$-141,377$

Chapter 5

1

$PWB = -120,000$ $8,000(P/A, 12\%, 3) + 40,000(P/F, 12\%, 3) = -120,000$ $8,000(2.4018) + 40,000(0.7118) = \$-110,742$ Select Method B 5.10 Bottled water: Cost/mo = $-(2)(0.40)(30) = \$24.00$ $PW = -24.00(P/A, 0.5\%, 12) = -24.00(11.6189) = \-278.85 Municipal water: Cost/mo = $-5(30)(2.10)/1000 = \$0.315$ $PW = -0.315(P/A, 0.5\%, 12) = -0.315(11.6189) = \-3.66 5.11 $PW_{single} = -4000 - 4000(P/A, 12\%, 4) = -4000 - 4000(3.0373) = \$-16,149$ $PW_{site} = \$-15,000$ Buy the site license 5.12 $PW_{variable} = -250,000$ $231,000(P/A, 15\%, 6) + 140,000(P/F, 15\%, 4) + 50,000(P/F, 15\%, 6) = -250,000$ $231,000(3.7845) + 140,000(0.5718) + 50,000(0.4323) = \$-1,182,656$ $PW_{dual} = -224,000$ $235,000(P/A, 15\%, 6) + 26,000(P/F, 15\%, 3) + 10,000(P/F, 15\%, 6) = -224,000$ $235,000(3.7845) + 26,000(0.6575) + 10,000(0.4323) = \$-1,126,130$ Select dual speed machine 5.13 $PW_{JX} = -205,000$ $29,000(P/A, 10\%, 4) + 203,000(P/F, 10\%, 2) + 2000(P/F, 10\%, 4) = -205,000$ $29,000(3.1699) + 203,000(0.8264) + 2000(0.6830) = \$-463,320$ $PW_{KZ} = -235,000$ $27,000(P/A, 10\%, 4) + 20,000(P/F, 10\%, 4) = -235,000$ $27,000(3.1699) + 20,000(0.6830) = \$-306,927$ Select material KZ Chapter 5 2

5.14

$PWK = -160,000$ $7000(P/A, 2\%, 16) + 120,000(P/F, 2\%, 8) + 40,000(P/F, 2\%, 16) = -160,000$ $7000(13.5777) + 120,000(0.8535) + 40,000(0.7284) = \$-328,328$ $PWL = -210,000$ $5000(P/A, 2\%, 16) + 26,000(P/F, 2\%, 16) = -210,000$ $5000(13.5777) + 26,000(0.7284) = \$-258,950$ Select process L

5.15

$PW_{plastic} = -75,000 - 27,000(P/A, 10\%, 6) - 75,000(P/F, 10\%, 2) - 75,000(P/F, 10\%, 4) = -75,000 - 27,000(4.3553) - 75,000(0.8264) - 75,000(0.6830) = \$-305,798$ $PW_{aluminum} = -125,000$ $12,000(P/A, 10\%, 6) + 95,000(P/F, 10\%, 3) + 30,000(P/F, 10\%, 6) = -125,000$ $12,000(4.3553) + 95,000(0.7513) + 30,000(0.5645) = \$-231,702$ Use aluminum case

5.16

$i/year = (1 + 0.03)^2 - 1 = 6.09\%$ $PWA = -1,000,000 - 1,000,000(P/A, 6.09\%, 5) = -1,000,000 - 1,000,000(4.2021)$ (by equation) = $\$-5,202,100$ $PWB = -600,000$ $600,000(P/A, 3\%, 11) = -600,000$ $600,000(9.2526) = \$-6,151,560$ $PWC = -1,500,000$ $500,000(P/F, 3\%, 4) + 1,500,000(P/F, 3\%, 6) - 500,000(P/F, 3\%, 10) = -1,500,000$ $500,000(0.8885) + 1,500,000(0.8375) - 500,000(0.7441) = \$-3,572,550$ Select plan C

5.17

$FW_{solar} = -12,600(F/P, 10\%, 4) + 1400(F/A, 10\%, 4) = -12,600(1.4641) + 1400(4.6410) = \$-24,945$ $FW_{line} = -11,000(F/P, 10\%, 4) + 800(F/P, 10\%, 4) = -11,000(1.4641) + 800(4.6410) = \$-19,818$ Install power line

Chapter 5

3

5.18

$FW_{20\%} = -100(F/P, 10\%, 15) + 80(F/A, 10\%, 15) = -100(4.1772) + 80(31.7725) = \-2959.52 $FW_{35\%} = -240(F/P, 10\%, 15) + 65(F/A, 10\%, 15) = -240(4.1772) + 65(31.7725) = \-3067.74 20% standard is slightly more economical

5.19

$FW_{purchase} = -150,000(F/P, 15\%, 6) + 12,000(F/A, 15\%, 6) + 65,000 = -150,000(2.3131) + 12,000(8.7537) + 65,000 = \$-176,921$ $FW_{lease} = -30,000(F/A, 15\%, 6)(F/P, 15\%, 1) = -30,000(8.7537)(1.15) = \$-302,003$ Purchase the clamshell

5.20

$FW_{HSS} = -3500(F/P, 1\%, 6) + 2000(F/A, 1\%, 6) + 3500(F/P, 1\%, 3) = -3500(1.0615) + 2000(6.1520) + 3500(1.0303) = \$-19,625$ $FW_{gold} = -6500(F/P, 1\%, 6) + 1500(F/A, 1\%, 6) = -6500(1.0615) + 1500(6.1520) = \$-16,128$ $FW_{titanium} = -7000(F/P, 1\%, 6) + 1200(F/A, 1\%, 6) = -7000(1.0615) + 1200(6.1520) = \$-14,813$ Use titanium nitride bits

5.21

$FWA = -300,000(F/P, 12\%, 10) + 900,000(F/A, 12\%, 10) = -300,000(3.1058) + 900,000(17.5487) = \$-16,725,570$ $FWB = -1,200,000(F/P, 12\%, 10) + 200,000(F/A, 12\%, 10) + 150,000(F/A, 12\%, 10) = -1,200,000(3.1058) + 200,000(17.5487) + 150,000(17.5487) = \$-9,869,005$ Select Plan B

Chapter 5

4

5.22

$CC = -400,000 + 400,000(A/F, 6\%, 2)/0.06 = -400,000 + 400,000(0.48544)/0.06 = \$-3,636,267$ $CC = -1,700,000 + 350,000(A/F, 6\%, 3)/0.06 = -1,700,000 + 350,000(0.31411)/0.06 = \$-3,532,308$ $CC = -200,000 + 25,000(P/A, 12\%, 4)(P/F, 12\%, 1) [40,000/0.12] (P/F, 12\%, 5) = -200,000 + 25,000(3.0373)(0.8929) [40,000/0.12] (0.5674) = \$-456,933$ $CC = -250,000 + 800,000/0.08 [950,000(A/F, 8\%, 10)]/0.08 - 75,000(A/F, 8\%, 5)/0.08 = -250,000 + 800,000/0.08 [950,000(0.06903)]/0.08 - 75,000(0.17046)/0.08 = \$-251,979,538$ Find AW and then divide by i. $AW = [-82,000(A/P, 12\%, 4) 9000 + 15,000(A/F, 12\%, 4)] = [-82,000(0.32923) 9000 + 15,000(0.20923)]/0.12 = \$-32,858.41$ $CC = -32,858.41/0.12 = \$-273,820$

5.23

5.24

5.25

5.26

5.27

(a) $P_{29} = 80,000/0.08 = \$1,000,000$ (b) $P_0 = 1,000,000(P/F, 8\%, 29) = 1,000,000(0.1073) = \$107,300$

5.28

Find AW of each plan, then take difference, and divide by i. $AW_A = -50,000(A/F, 10\%, 5) = -50,000(0.16380) = \-8190 $AW_B = -100,000(A/F, 10\%, 10) = -100,000(0.06275) = \-6275 CC of difference = $(8190 - 6275)/0.10 = \$19,150$

Chapter 5

5

5.29

$CC = -3,000,000 + 50,000(P/A, 1\%, 12) + 100,000(P/A, 1\%, 13)(P/F, 1\%, 12) - [50,000/0.01](P/F, 1\%, 25) = -3,000,000 + 50,000(11.2551) + 100,000(12.1337)(0.8874) - [50,000/0.01](0.7798) = \$-8,538,500$ $CC_{\text{petroleum}} = [-250,000(A/P, 10\%, 6) + 130,000 + 400,000 + 50,000(A/F, 10\%, 6)]/0.10 = [-250,000(0.22961) + 130,000 + 400,000 + 50,000(0.12961)]/0.10 = \$2,190,780$ $CC_{\text{inorganic}} = [-110,000(A/P, 10\%, 4) + 65,000 + 270,000 + 20,000(A/F, 10\%, 4)]/0.10 = [-110,000(0.31547) + 65,000 + 270,000 + 20,000(0.21547)]/0.10 = \$1,746,077$ Petroleum-based alternative has a larger profit.

5.30

5.31

$CC = 100,000 + 100,000/0.08 = \$1,350,000$ $CC_{\text{pipe}} = -225,000 + 10,000,000/0.10 [50,000,000(A/F, 10\%, 40)]/0.10 = -225,000 + 10,000,000/0.10 [50,000,000(0.00226)]/0.10 = \$-326,130,000$ $CC_{\text{canal}} = -350,000 + 500,000/0.10 = \$-355,000,000$ Build the pipeline

5.32

5.33 $CCE = [-200,000(A/P, 3\%, 8) + 30,000 + 50,000(A/F, 3\%, 8)]/0.03 = [-200,000(0.14246) + 30,000 + 50,000(0.11246)]/0.03 = \$237,700$ $CCF = [-300,000(A/P, 3\%, 16) + 10,000 + 70,000(A/F, 3\%, 16)]/0.03 = [-300,000(0.07961) + 10,000 + 70,000(0.04961)]/0.03 = \$-347,010$ $CCG = -900,000 + 40,000/0.03 = \$433,333$ Select alternative G. Chapter 5 6

5.34 No-return payback refers to the time required to recover an investment at $i = 0\%$. 5.35 The alternatives that have large cash flows beyond the date where other alternatives recover their investment might actually be more attractive over the entire lives of the alternatives (based on PW, AW, or other evaluation methods). 5.36 $0 = -40,000 + 6000(P/A, 8\%, n) + 8000(P/F, 8\%, n)$ Try $n = 9$: $0 + 1483$ Try $n = 8$: $0 - 1198$ n is between 8 and 9 years 5.37 $0 = -22,000 + (3500 + 2000)(P/A, 4\%, n) (P/A, 4\%, n) = 14.6667$ n is between 22 and 23 quarters or 5.75 years 5.38 $0 = -70,000 + (14,000 + 1850)(P/A, 10\%, n) (P/A, 10\%, n) = 5.76132$ n is between 9 and 10; therefore, it would take 10 years. 5.39 (a) $n = 35,000/(22,000 - 17,000) = 7$ years (b) $0 = -35,000 + (22,000 + 17,000)(P/A, 10\%, n) (P/A, 10\%, n) = 7.0000$ n is between 12 and 13; therefore, $n = 13$ years. 5.40 $250,000 + 500n + 250,000(1 + 0.02)^n = 100,000$ Try $n = 18$: $98,062 < 100,000$ Try $n = 19$: $104,703 > 100,000$ n is 18.3 months or 1.6 years. 5.41 Payback: Alt A: $0 = -300,000 + 60,000(P/A, 8\%, n) (P/A, 8\%, n) = 5.0000$ n is between 6 and 7 years Alt B: $0 = -300,000 + 10,000(P/A, 8\%, n) + 15,000(P/G, 8\%, n)$ Try $n = 7$: $0 > -37,573$ Try $n = 8$: $0 < +24,558$ n is between 7 and 8 years Select A Chapter 5 7

PW for 10 yrs: Alt A: $PW = -300,000 + 60,000(P/A, 8\%, 10) = -300,000 + 60,000(6.7101) = \$102,606$ Alt B: $PW = -300,000 + 10,000(P/A, 8\%, 10) + 15,000(P/G, 8\%, 10) = -300,000 + 10,000(6.7101) + 15,000(25.9768) = \$156,753$ Select B Income for Alt B increases rapidly in later years, which is not accounted for in payback analysis. 5.42 $LCC = -6.6 + 3.5(P/F, 7\%, 1) + 2.5(P/F, 7\%, 2) + 9.1(P/F, 7\%, 3) + 18.6(P/F, 7\%, 4) - 21.6(P/F, 7\%, 5) - 17(P/A, 7\%, 5)(P/F, 7\%, 5) + 14.2(P/A, 7\%, 10)(P/F, 7\%, 10) - 2.7(P/A, 7\%, 3)(P/F, 7\%, 17) = -6.6 + 3.5(0.9346) + 2.5(0.8734) + 9.1(0.8163) + 18.6(0.7629) - 21.6(0.7130) - 17(4.1002)(0.7130) + 14.2(7.0236)(0.5083) - 2.7(2.6243)(0.3166) = \$-151,710,860$ 5.43 $LCC = 2.6(P/F, 6\%, 1) + 2.0(P/F, 6\%, 2) + 7.5(P/F, 6\%, 3) + 10.0(P/F, 6\%, 4) - 6.3(P/F, 6\%, 5) + 1.36(P/A, 6\%, 15)(P/F, 6\%, 5) - 3.0(P/F, 6\%, 10) - 3.7(P/F, 6\%, 18) = 2.6(0.9434) + 2.0(0.8900) + 7.5(0.8396) + 10.0(0.7921) - 6.3(0.7473) + 1.36(9.7122)(0.7473) - 3.0(0.5584) - 3.7(0.3503) = \$-$

36,000,921 5.44 $LCCA = -750,000 (6000 + 2000)(P/A, 0.5\%, 240) + 150,000[(P/F, 0.5\%, 60) + (P/F, 0.5\%, 120) + (P/F, 0.5\%, 180)] = -750,000 (8000)(139.5808) + 150,000[(0.7414) + (0.5496) + (0.4075)] = \$-2,121,421$ $LCCB = -1.1 (3000 + 1000)(P/A, 0.5\%, 240) = -1.1 (4000) (139.5808) = \$-1,658,323$ Select proposal B. 5.45 $LCCA = -250,000 + 150,000(P/A, 8\%, 4) + 45,000 + 35,000(P/A, 8\%, 2) - 50,000(P/A, 8\%, 10) + 30,000(P/A, 8\%, 5) = -250,000 + 150,000(3.3121) + 45,000 + 35,000(1.7833) - 50,000(6.7101) + 30,000(3.9927) = \$-1,309,517$ Chapter 5 8

$LCCB = -10,000 + 45,000 - 30,000(P/A, 8\%, 3) + 80,000(P/A, 8\%, 10) - 40,000(P/A, 8\%, 10) = -10,000 + 45,000 - 30,000(2.5771) + 80,000(6.7101) - 40,000(6.7101) = \$-937,525$ $LCCC = -175,000(P/A, 8\%, 10) = -175,000(6.7101) = \$-1,174,268$ Select alternative B. 5.46 $I = 10,000(0.06)/4 = \$150$ every 3 months 5.47 $800 = (V)(0.04)/2$ $V = \$40,000$ 5.48 $1500 = (20,000)(b)/2$ $b = 15\%$ 5.49 Bond interest rate and market interest rate are the same. Therefore, $PW = \text{face value} = \$50,000$. 5.50 $I = (50,000)(0.04)/4 = \$500$ every 3 months $PW = 500(P/A, 2\%, 60) + 50,000(P/F, 2\%, 60) = 500(34.7609) + 50,000(0.3048) = \$32,620$ 5.51 There are 17 years or 34 semiannual periods remaining in the life of the bond. $I = 5000(0.08)/2 = \$200$ every 6 months $PW = 200(P/A, 5\%, 34) + 5000(P/F, 5\%, 34) = 200(16.1929) + 5000(0.1904) = \4190.58 5.52 $I = (V)(0.07)/2$ $201,000,000 = I(P/A, 4\%, 60) + V(P/F, 4\%, 60)$ Try $V = 226,000,000$: $201,000,000 > 200,444,485$ Try $V = 227,000,000$: $201,000,000 < 201,331,408$ By interpolation, $V = \$226,626,340$ Chapter 5 9

5.53 (a) $I = (50,000)(0.12)/4 = \$1500$ Five years from now there will be $15(4) = 60$ payments left. PW_5 then is: $PW_5 = 1500(P/A, 2\%, 60) + 50,000(P/F, 2\%, 60) = 1500(34.7609) + 50,000(0.3048) = \$67,381$ (b) $\text{Total} = 1500(F/A, 3\%, 20) + 67,381 = 1500(26.8704) + 67,381 = \$107,687$ [PW in year 5 from (a)]

FE Review Solutions 5.54 Answer is (b) 5.55 $PW = 50,000 + 10,000(P/A, 10\%, 15) + [20,000/0.10](P/F, 10\%, 15) = \$173,941$ Answer is (c) 5.56 $CC = [40,000/0.10](P/F, 10\%, 4) = \$273,200$ Answer is (c) 5.57 $CC = [50,000/0.10](P/F, 10\%, 20)(A/F, 10\%, 10) = \4662.33 Answer is (b) 5.58 $PWX = -66,000 + 10,000(P/A, 10\%, 6) + 10,000(P/F, 10\%, 6) = -66,000 + 10,000(4.3553) + 10,000(0.5645) = \$-103,908$ Answer is (c) 5.59 $PWY = -46,000 + 15,000(P/A, 10\%, 6) - 22,000(P/F, 10\%, 3) + 24,000(P/F, 10\%, 6) = -46,000 + 15,000(4.3553) - 22,000(0.7513) + 24,000(0.5645) = \$-114,310$ Answer is (d) 5.60 $CCX = [-66,000(A/P, 10\%, 6) + 10,000 + 10,000(A/F, 10\%, 6)]/0.10 = [-66,000(0.22961) + 10,000 + 10,000(0.12961)]/0.10 = \$-238,582$ Answer is (d) Chapter 5 10

5.61 $CC = -10,000(A/P, 10\%, 5)/0.10 = -10,000(0.26380)/0.10 = \$-26,380$ Answer is (b) 5.62 Answer is (c) 5.63 Answer is (b) 5.64 Answer is (a) 5.65 Answer is (b)

Extended Exercise Solution Microsoft Excel

Questions 1, 3 and 4:

File Edit View Insert Format Tools Data Window Help QI Macros

B

U

hi037

BH

,

El C5 Ext Exer soln A C D E F G H I J K

12 3 i

Rate =

S.QQ\

tt roms ininq Age 61 25 Reduced

Future worth Reduced Normal

Future worth Normal

Future worth

Spousal benefits

Higher

Higher

5 6 7 8 9

62 63 64 65 66

24 23 2221 20

1 % 1 j % t t 1 j % t 1 % 1 j % t

13.500 13.500 13.500 13.500 13.500 13,500 13.500 13.500 13.500 13.500 13,500 13.500 13.500 13.500 13.500 13,500

1 1 1 t % 1 t 1 j %

13.500 2S.Q6Q 43.626 60.S33 79.199 99,035 120.458 143.594 168.582 195.569 18.000 13,000 % 1 18.000 37,440 58,435 81,110
105,599 132,047 160,610 191,459 224,776 260,758 299,619 341.588 386,915 435,869 488,738 545,837 607,504 674,104 746.033
823.715 t t t 19.200 19,200 19.200 19.200 19.200

10 11 1213 14 15

67 66 6970 71 72

19 18 1716 15 14

18,000 18,000 18,00018,000 18,000

16 17 1819 20

73 74 7576 77

13 12 1110 9

t 224,714 1 256.191 % 290.187

18,000 18.000 18.00018,000 18,000

21 22 2324 25 26

78 79 8081 82 83

8 7 65 4 3

27 2829 30 31

84 85Total FW

2 1

t 13,500 1 13.500 j 13.500 % 13.500 t 13,500 1 13.500 % 13.500 t 901.32*

t t % t t 1 j % t 1 %

326,901 366,554 409.37S 455,628 505,578 559.525 617.787 680.709 748,666 822.059 901.324 t

18,000 18,000 18,00018,000 18,000

18,000 18.000 18.000 823.715

t t t t t t t t t 1 t t t t t (1 t

J J i

23.400

t

23.400

t t

J J J t

23,400 23,400 23,400 23,400 23,40023,400

J J J J i J J J

23,400 23,400 23,400 23,400 23,400 23,400 23,400 23,400

tt1t1j1tt1 (%t1

48,672 75,966 105.443 137.278 171.661 208.794 248.597 292,209 338.986 389.504 444,065 502.990 566,629 635.359

ttttttttttjtt

19,200 19,200 19,200 19,200 19,200 19,200 19,200

19,200 19,200 19,200

19,200 19,200 19,200 19,200 19,200

1

23!400

t 709.555

709.588 t PV now of jpouje benefits : FW at age 85 of jpouje benefits

(27.526 (878.630

32 33 34 35 36 37

Solutions:

1:FW of reduced = 1901.324 Ml: FW of normal = 1823.715 B1:FW of higher = 1709.588

tt3: PW for jpouje = 127.526

B4: FW for ;pouje = 1878,630

4

II 14

gi

9:33AM

Chapter 8

4. Composite rate of return approach Plan A (a) MARR = 15% and c = 15%

$F_0 = 1900$; $F_1 = 1900(1.15) - 500 = 1685$; $F_2 = 1685(1.15) - 8000 = -6062.25$; $F_3 = -6062.25(1+i') + 6500 = 437.75$ $6062.25i'$ $F_4 = 0 = F_3(1+i') + 400$. So $i' = 13.06\% < \text{MARR} = 15\%$. Reject Plan A. (b) MARR = 15% and c = 45% $F_0 = 1900$; $F_1 = 1900(1.45) - 500 = 2255$; $F_2 = 2255(1.45) - 8000 = -4730.25$; $F_3 = -4730.25(1+i') + 6500 = 1769.75$ $4730.25i'$ $F_4 = 0 = F_3(1+i') + 400$. So $i' = 43.31\% > \text{MARR} = 15\%$. Accept Plan A. (c) MARR = 50% and c = 50% $F_0 = 1900$; $F_1 = 1900(1.50) - 500 = 2350$; $F_2 = 2350(1.50) - 8000 = -4475$; $F_3 = -4475(1+i') + 6500 = -4475i' + 2025$ $F_4 = 0 = F_3(1+i') + 400$. So $i' = 51.16\% > \text{MARR} = 50\%$. Accept Plan A. Plan B (a) MARR = 15% and c = 15%

$F_0 = -1900$; $F_1 = -1900(1+i') + 500$; $F_2 = -1900(1+i')^2 + 500(1+i') + 8000$; $F_3 = (1.15)F_2 - 6500$ $F_4 = 0 = F_3(1.15) - 400$. So $i' = 17.74\% > \text{MARR} = 15\%$. Accept Plan B. (b) MARR = 15% and c = 45% $F_0 = -1900$; $F_1 = -1900(1+i') + 500$; $F_2 = -1900(1+i')^2 + 500(1+i') + 8000$; $F_3 = -1900(1.45)(1+i')^2 + 500(1.45)(1+i') + 8000(1.45) - 6500$ $F_4 = 0 = F_3(1.45) - 400$. So $i' = 46.14\% > \text{MARR} = 15\%$. Accept Plan B (c) MARR = 50% and c = 50% $F_0 = -1900$; $F_1 = -1900(1+i') + 500$; $F_2 = -1900(1+i')^2 + 500(1+i') + 8000$; $F_3 = -1900(1.5)(1+i')^2 + 500(1.5)(1+i') + 8000(1.5) - 6500$ $F_4 = 0 = F_3(1.5) - 400$. So $i' = 49.30\% < \text{MARR} = 50\%$. Reject Plan B. d) Discussion: Plan B is superior to Plan A for c values below i'^* , i.e., B's composite rate of return is higher. However, for c values above i'^* , plan A gives a higher (composite) rate of return. Conclusion: The composite rate of return evaluation yields unambiguous results when a reinvestment rate is specified. Chapter 8 15

Chapter 9 Benefit/Cost Analysis and Public Sector Economics Solutions to Problems 9.1 (a) Public sector projects usually require large initial investments while many private sector investments may be medium to small. (b) Public sector projects usually have long lives (30-50 years) while private sector projects are usually in the 2-25 year range. (c) Public sector projects are usually funded from taxes, government bonds, or user fees. Private sector projects are usually funded by stocks, corporate bonds, or bank loans. (d) Public sector projects use the term discount rate, not MARR. The discount rate is usually in the 4-10% range, thus it is lower than most private sector MARR values. 9.2 (a) Private (f) Private (a) Benefit (b) Private (c) Public (d) Public (e) Public

9.3 9.4

(b) Cost

(c) Cost

(d) Disbenefit (e) Benefit (f) Disbenefit

Some different dimensions are: 1. Contractor is involved in design of highway; contractor is not provided with the final plans before building the highway. 2. Obtaining project financing may be a partial responsibility in conjunction with the government unit. 3. Corporation will probably operate the highway (tolls, maintenance, management) for some years after construction. 4. Corporation will legally own the highway right of way and improvements until contracted time is over and title transfer occurs. 5. Profit (return on investment) will be stated in the contract. (a) Amount of financing for construction is too low, and usage rate is too low to cover cost of operation and agreed-to profit. (b) Special government-guaranteed loans and subsidies may be arranged at original contract time in case these types of financial problems arise later. (a) $B/C = 600,000 / 100,000 = 1.11$ 450,000 (b) $B-C = 600,000 - 100,000 = 450,000 = \$+50,000$

9.5

9.6

Chapter 9

9.7 (a) Use Excel and assume an infinite life. Calculate the capitalized costs for all annual amount estimates. File Edit View Insert Format Tools Data Window Help-

e# H rf

a a=

* lit B-(JF34 tFt5)/(tFt3 i-JFtt,;

ft E A SI JJ

SB *1 150%

-

—

n

x

A

B

C

D

G

H

-

Estimates

PW value

First cost Benefits Disbenefits Costs Discount rate

\$ \$ \$

8 000,000,

\$per yearper year

8 000 000,

,

PW = AVWI = 550 000/0.05.

550,000100 000,

800,000 5%

per year per year

\$ \$ \$

11,000,0002 000 000, ,

16,000,000

Note: Since no life is stated, assume it is very long, so the PW value is the capitalized cost of AW/i .

B/C ratio

$(B-D)/C$

0

.

375 j 10

- [H a

$=FV(B\% 3\ 500\ 9000] +2000$

El BooklB C D E l

24 5 6 7 8

$(\$10,960.61)11$

1-

H-Solutions - Micro

...

Microsoft Excel

·_

jgastartjj

3

1 Bij (B [r AutoShapesT\\ReadvI

O 1 ll -300(1 *Y2 * 200(1 +I,)A1 24 The transformed cash flow has 6 periods beginning with \$-1306.08 in period 0.

li ii i

0

flStanllJ g Q

3

cj HP Status Window \$\$200.000

35.00035.000

\$\$

70.00070.000

\$\$

\$\$ \$

70.00070.000 70.000

70.00070,000 70.000 70.000

\$(130,000)

\$s

2526

au rRetain or

\$

I\$ \$s

!% \$ (15.336) \$ \$ 12.224 \$ 107.624 !.<< ! \sheetl / Sheet2 / Sheets / Sheet4 / Sheets / Sheet6 / Sheet? / Sheets

Engineering Economy 6th Edition Hardcover - Lelend Blank, Anthony Tarquin

This student-friendly text on the current economic issues particular to engineering covers the topics needed to analyze engineering alternatives. Students use both hand-worked and spreadsheet solutions of examples, problems and case studies. In this edition the options have been increased, with an expanded spreadsheet analysis component, twice the number of case studies, and virtually all new end-of-chapter problems. The chapters on factor derivation and usage, cost estimation, replacement studies, and after-tax evaluation have been heavily revised. New material is included on public sector projects and cost estimation. A reordering of chapters puts the fundamental topics up front in the text. Many chapters include a special set of problems that prepare the students for the Fundamentals of Engineering (FE) exam. This college-level text provides students and practicing professionals with a solid preparation in the financial understanding of engineering problems and projects, as well as the techniques needed for evaluating and making sound economic decisions. Distinguishing characteristics include learning objectives for each chapter, an easy-to-read writing style, many solved examples, integrated spreadsheets, and case studies throughout the text. Graphical cross-referencing between topics and quick-solve spreadsheet solutions are indicated in the margins throughout the text. While the chapters are progressive, over three-quarters can stand alone, allowing instructors flexibility for meeting course needs. A complete online learning center (OLC) offers supplemental practice problems, spreadsheet exercises, and review questions for the Fundamentals of Engineering (FE) exam.

Источник: <https://www.ebay.com/itm/224952214086>

C8-C- BjDocum... Sjch 9 Solutions fo... ilok1

4:42 PM

SJ

3. $F = \{[9000(1.08) 300] (1.08)\} 500 (1.08) + (2000 1000) = \$11,227.33$ Change is 2.02%. Largest maintenance charge is in the last year and, therefore, no compound interest is accumulated by it. 4. The fastest method is to use the spreadsheet function: $FV(12.32\%, 3, 500, 9000) + 2000$ It displays the answer: $F = \$12,445.43$

Chapter 1

7

Case Study Solution There is no definitive answer to the case study exercises. The following are examples only. 1. The first four steps are: Define objective, information collection, alternative definition and estimates, and criteria for decision-making. Objective: Select the most economic alternative that also meets requirements such as production rate, quality specifications, manufacturability for design specifications, etc. Information: Each alternative must have estimates for life (likely 10 years), AOC and other costs (e.g., training), first cost, any salvage value, and the MARR. The debt versus equity capital question must be addressed, especially if more than \$5 million is needed. Alternatives: For both A and B, some of the required data to perform an analysis are: P and S must be estimated. AOC equal to about 8% of P must be verified. Training and other cost estimates (annual, periodic, one-time) must be finalized. Confirm $n = 10$ years for life of A and B. MARR will probably be in the 15% to 18% per year range. Criteria: Can use either present worth or annual worth to select between A and B. 2. Consider these and others like them: Debt capital availability and cost Competition and size of market share required Employee safety of plastics used in processing 3. With the addition of C, this is now a make/buy decision. Economic estimates needed are: Cost of lease arrangement or unit cost, whatever is quoted. Amount and length of time the arrangement is available. Some non-economic factors may be: Guarantee of available time as needed. Compatibility with current equipment and designs. Readiness of the company to enter the market now versus later.

Chapter 1

8

Chapter 2 Factors: How Time and Interest Affect Money Solutions to Problems 2.1 1. $(F/P, 8\%, 25) = 6.8485$; 2. $(P/A, 3\%, 8) = 7.0197$; 3. $(P/G, 9\%, 20) = 61.7770$; 4. $(F/A, 15\%, 18) = 75.8364$; 5. $(A/P, 30\%, 15) = 0.30598$ $P = 140,000(F/P, 7\%, 4) = 140,000(1.3108) = \$183,512$ $F = 200,000(F/P, 10\%, 3) = 200,000(1.3310) = \$266,200$ $P = 600,000(P/F, 12\%, 4) = 600,000(0.6355) = \$381,300$ (a) A =

$225,000(A/P, 15\%, 4) = 225,000(0.35027) = \$78,811$ (b) Recall amount = $78,811/0.10 = \$788,110$ per year 2.6 $F = 150,000(F/P, 18\%, 7) = 150,000(3.1855) = \$477,825$ $P = 75(P/F, 18\%, 2) = 75(0.7182) = \53.865 million $P = 100,000((P/F, 12\%, 2) = 100,000(0.7972) = \$79,720$ $F = 1,700,000(F/P, 18\%, 1) = 1,700,000(1.18) = \$2,006,000$

2.2

2.3

2.4

2.5

2.7

2.8

2.9

Chapter 2

2.10 $P = 162,000(P/F, 12\%, 6) = 162,000(0.5066) = \$82,069$ 2.11 $P = 125,000(P/F, 14\%, 5) = 125,000(0.5149) = \$64,925$ 2.12 $P = 9000(P/F, 10\%, 2) + 8000(P/F, 10\%, 3) + 5000(P/F, 10\%, 5) = 9000(0.8264) + 8000(0.7513) + 5000(0.6209) = \$16,553$ 2.13 $P = 1,250,000(0.10)(P/F, 8\%, 2) + 500,000(0.10)(P/F, 8\%, 5) = 125,000(0.8573) + 50,000(0.6806) = \$141,193$ 2.14 $F = 65,000(F/P, 4\%, 5) = 65,000(1.2167) = \$79,086$ 2.15 $P = 75,000(P/A, 20\%, 3) = 75,000(2.1065) = \$157,988$ 2.16 $A = 1.8(A/P, 12\%, 6) = 1.8(0.24323) = \$437,814$ 2.17 $A = 3.4(A/P, 20\%, 8) = 3.4(0.26061) = \$886,074$ 2.18 $P = (280,000 - 90,000)(P/A, 10\%, 5) = 190,000(3.7908) = \$720,252$ 2.19 $P = 75,000(P/A, 15\%, 5) = 75,000(3.3522) = \$251,415$ 2.20 $F = (458 - 360)(20,000)(0.90)(F/A, 8\%, 5) = 1,764,000(5.8666) = \$10,348,682$

Chapter 2

2

2.21 $P = 200,000((P/A, 10\%, 5) = 200,000(3.7908) = \$758,160$ 2.22 $P = 2000(P/A, 8\%, 35) = 2000(11.6546) = \$23,309$ 2.23 $A = 250,000(A/F, 9\%, 3) = 250,000(0.30505) = \$76,263$ 2.24 $F = (100,000 + 125,000)(F/A, 15\%, 3) = 225,000(3.4725) = \$781,313$ 2.25 (a) 1. Interpolate between $n = 32$ and $n = 34$: $1/2 = x/0.0014$ $x = 0.0007$ $(P/F, 18\%, 33) = 0.0050$ $0.0007 = 0.0043$ 2. Interpolate between $n = 50$ and $n = 55$: $4/5 = x/0.0654$ $x = 0.05232$ $(A/G, 12\%, 54) = 8.1597 + 0.05232 = 8.2120$ (b) 1. $(P/F, 18\%, 33) = 1/(1+0.18)^{33} = 0.0042$ 2. $(A/G, 12\%, 54) = \{(1/0.12) 54 / [(1+0.12)^{54} - 1]\} = 8.2143$ 2.26 (a) 1. Interpolate between $i = 18\%$ and $i = 20\%$ at $n = 20$: $1/2 = x/40.06$ $x = 20.03$ $(F/A, 19\%, 20) = 146.6280 + 20.03 = 166.658$ 2. Interpolate between $i = 25\%$ and $i = 30\%$ at $n = 15$: $1/5 = x/0.5911$ $x = 0.11822$ $(P/A, 26\%, 15) = 3.8593$ $0.11822 = 3.74113$

Chapter 2

(b)

1. $(F/A, 19\%, 20) = [(1 + 0.19)^{20} - 1]/0.19 = 169.6811$ 2. $(P/A, 26\%, 15) = [(1 + 0.26)^{15} - 1]/[0.26(1 + 0.26)^{15}] = 3.7261$

2.27 (a) $G = \$200$ (b) $CF8 = \$1600$

(c) $n = 10$

2.28 (a) $G = \$5$ million (b) $CF6 = \$6030$ million (c) $n = 12$ 2.29 (a) $G = \$100$ (b) $CF5 = 900$ $100(5) = \$400$ 2.30 $300,000 = A + 10,000(A/G, 10\%, 5)$ $300,000 = A + 10,000(1.8101)$ $A = \$281,899$ 2.31 (a) $CF3 = 280,000$ $2(50,000) = \$180,000$ (b) $A = 280,000$ $50,000(A/G, 12\%, 5) = 280,000$ $50,000(1.7746) = \$191,270$ 2.32 (a) $CF3 = 4000 + 2(1000) = \$6000$ (b) $P = 4000(P/A, 10\%, 5) + 1000(P/G, 10\%, 5) = 4000(3.7908) + 1000(6.8618) = \$22,025$ 2.33 $P = 150,000(P/A, 15\%, 8) + 10,000(P/G, 15\%, 8) = 150,000(4.4873) + 10,000(12.4807) = \$797,902$ 2.34 $A = 14,000 + 1500(A/G, 12\%, 5) = 14,000 + 1500(1.7746) = \$16,662$ 2.35 (a) Cost = $2000/0.2 = \$10,000$ (b) $A = 2000 + 250(A/G, 18\%, 5) = 2000 + 250(1.6728) = \2418

Chapter 2

4

2.36 Convert future to present and then solve for G using P/G factor: $6000(P/F, 15\%, 4) = 2000(P/A, 15\%, 4)$ $G(P/G, 15\%, 4) 6000(0.5718) = 2000(2.8550)$ $G(3.7864) G = \$601.94$ 2.37 $50 = 6(P/A, 12\%, 6) + G(P/G, 12\%, 6)$ $50 = 6(4.1114) + G(8.9302)$ $G = \$2,836,622$ 2.38 $A = [4 + 0.5(A/G, 16\%, 5)] [1 + 0.1(A/G, 16\%, 5)] = [4 + 0.5(1.7060)] [1 + 0.1(1.7060)] = \$4,023,600$ 2.39 For $n = 1$: $\{1 [(1+0.04)^1 / (1+0.10)^1]\} / (0.10 - 0.04) = 0.9091$ For $n = 2$: $\{1 [(1+0.04)^2 / (1+0.10)^2]\} / (0.10 - 0.04) = 1.7686$ For $n = 3$: $\{1 [(1+0.04)^3 / (1+0.10)^3]\} / (0.10 - 0.04) = 2.5812$ 2.40 For $g = i$, $P = 60,000(0.1) [15 / (1 + 0.04)] = \$86,538$ 2.41 $P = 25,000 \{1 [(1+0.06)^3 / (1+0.15)^3]\} / (0.15 - 0.06) = \$60,247$ 2.42 Find P and then convert to A . $P = 5,000,000(0.01) \{1 [(1+0.20)^5 / (1+0.10)^5]\} / (0.10 - 0.20) = 50,000 \{5.4505\} = \$272,525$ $A = 272,525(A/P, 10\%, 5) = 272,525(0.26380) = \$71,892$ 2.43 Find P and then convert to F . $P = 2000 \{1 [(1+0.10)^7 / (1+0.15)^7]\} / (0.15 - 0.10) = 2000(5.3481) = \$10,696$ $F = 10,696(F/P, 15\%, 7) = 10,696(2.6600) = \$28,452$ 2.44 First convert future worth to P , then use P/g equation to find A . $P =$

$$80,000(P/F, 15\%, 10) = 80,000(0.2472) = \$19,776$$

Chapter 2

5

$19,776 = A \{1 [(1+0.09)^{10}/(1+0.15)^{10}]\} / (0.15 - 0.09)$ $19,776 = A \{6.9137\}$ $A = \$2860.245$ Find A in year 1 and then find next value.
 $900,000 = A \{1 [(1+0.05)^5/(1+0.15)^5]\} / (0.15 - 0.05)$ $900,000 = A \{3.6546\}$ $A = \$246,263$ in year 1 Cost in year 2 = $246,263(1.05) = \$258,576$ $2.46 g = i$ $P = 1000[20/(1 + 0.10)] = 1000[18.1818] = \$18,182$ 2.47 Find P and then convert to F. $P = 3000 \{1 [(1+0.05)^4/(1+0.08)^4]\} / (0.08 - 0.05) = 3000 \{3.5522\} = \$10,657$ $F = 10,657(F/P, 8\%, 4) = 10,657(1.3605) = \$14,498$ 2.48 Decrease deposit in year 4 by 5% per year for three years to get back to year 1. First deposit = $1250/(1 + 0.05)^3 = \$1079.80$

2.49 Simple: Total interest = $(0.12)(15) = 180\%$ Compound: $1.8 = (1 + i)^{15}$ $i = 4.0\%$ 2.50 Profit/year = $6(3000)/0.05 = \$360,000$ $1,200,000 = 360,000(P/A, i, 10)$ $(P/A, i, 10) = 3.3333$ $i = 27.3\%$ (Excel) 2.51 $2,400,000 = 760,000(P/A, i, 5)$ $(P/A, i, 5) = 3.15789$ $i = 17.6\%$ (Excel) 2.52 $1,000,000 = 600,000(F/P, i, 5)$ $(F/P, i, 5) = 1.6667$ $i = 10.8\%$ (Excel) Chapter 2 6

2.53 $125,000 = (520,000 - 470,000)(P/A, i, 4)$ $(P/A, i, 4) = 2.5000$ $i = 21.9\%$ (Excel) 2.54 $400,000 = 320,000 + 50,000(A/G, i, 5)$ $(A/G, i, 5) = 1.6000$ Interpolate between $i = 22\%$ and $i = 24\%$ $i = 22.6\%$ 2.55 $85,000 = 30,000(P/A, i, 5) + 8,000(P/G, i, 5)$ Solve for i by trial and error or spreadsheet: $i = 38.9\%$ (Excel) 2.56 $500,000 = 75,000(P/A, 10\%, n)$ $(P/A, 10\%, n) = 6.6667$ From 10% table, n is between 11 and 12 years; therefore, $n = 11$ years 2.57 $160,000 = 30,000(P/A, 12\%, n)$ $(P/A, 12\%, n) = 5.3333$ From 12% table, n is between 9 and 10 years; therefore, $n = 10$ years 2.58 $2,000,000 = 100,000(P/A, 4\%, n)$ $(P/A, 4\%, n) = 20.000$ From 4% table, n is between 40 and 45 years; by spreadsheet, $42 > n > 41$ Therefore, $n = 41$ years 2.59 $1,500,000 = 3,000,000(P/F, 20\%, n)$ $(P/F, 20\%, n) = 0.5000$ From 20% table, n is between 3 and 4 years; therefore, $n = 4$ years 2.60 $100,000 = 1,600,000(P/F, 18\%, n)$ $(P/F, 18\%, n) = 0.0625$ From 18% table, n is between 16 and 17 years; therefore, $n = 17$ years 2.61 $10A = A(F/A, 10\%, n)$ $(F/A, 10\%, n) = 10.000$ From 10% table, n is between 7 and 8 years; therefore, $n = 8$ years

Chapter 2

7

2.62

$1,000,000 = 10,000 \{1 [(1+0.10)^n/(1+0.07)^n]\} / (0.07 - 0.10)$ By trial and error, n is between 50 and 51; therefore, $n = 51$ years $12,000 = 3000 + 2000(A/G, 10\%, n)$ $(A/G, 10\%, n) = 4.5000$ From 10% table, n is between 12 and 13 years; therefore, $n = 13$ years

2.63

FE Review Solutions 2.64 $P = 61,000(P/F, 6\%, 4) = 61,000(0.7921) = \$48,318$ Answer is (c) 2.65 $160 = 235(P/F, i, 5)$ $(P/F, i, 5) = 0.6809$ From tables, $i = 8\%$ Answer is (c) 2.66 $23,632 = 3000 \{1 - [(1+0.04)^n/(1+0.06)^n]\} / (0.06 - 0.04)$ $[(23,632 * 0.02)/3000] - 1 = (0.98113)^n \log 0.84245 = n \log 0.98113$ $n = 9$ Answer is (b)

2.67 $109.355 = 7(P/A, i, 25)$ $(P/A, i, 25) = 15.6221$ From tables, $i = 4\%$ Answer is (a) 2.68 $A = 2,800,000(A/F, 6\%, 10) = \$212,436$ Answer is (d) 2.69 $A = 10,000,000((A/P, 15\%, 7) = \$2,403,600$ Answer is (a) 2.70 $P = 8000(P/A, 10\%, 10) + 500(P/G, 10\%, 10) = 8000(6.1446) + 500(22.8913) = \$60,602.45$ Answer is (a) Chapter 2 8

2.71 $F = 50,000(F/P, 18\%, 7) = 50,000(3.1855) = \$159,275$ Answer is (b) 2.72 $P = 10,000(P/F, 10\%, 20) = 10,000(0.1486) = \1486 Answer is (d) 2.73 $F = 100,000(F/A, 18\%, 5) = 100,000(7.1542) = \$715,420$ Answer is (c) 2.74 $P = 100,000(P/A, 10\%, 5) - 5000(P/G, 10\%, 5) = 100,000(3.7908) - 5000(6.8618) = \$344,771$ Answer is (a) 2.75 $F = 20,000(F/P, 12\%, 10) = 20,000(3.1058) = \$62,116$ Answer is (a) 2.76 $A = 100,000(A/P, 12\%, 5) = 100,000(0.27741) = \$27,741$ Answer is (b)

2.77 $A = 100,000(A/F, 12\%, 3) = 100,000(0.29635) = \$29,635$ Answer is (c) 2.78 $A = 10,000(F/A, 12\%, 25) = 10,000(133.3339) = \$1,333,339$ Answer is (d) 2.79 $F = 10,000(F/P, 12\%, 5) + 10,000(F/P, 12\%, 3) + 10,000 = 10,000(1.7623) + 10,000(1.4049) + 10,000 = \$41,672$ Answer is (c) Chapter 2 9

2.80

$P = 8,000(P/A, 10\%, 5) + 900(P/G, 10\%, 5) = 8,000(3.7908) + 900(6.8618) = \$36,502$ Answer is (d)

2.81 $100,000 = 20,000(P/A, i, 10)$ $(P/A, i, 10) = 5.000$ i is between 15 and 16% Answer is (a)

2.82

$60,000 = 15,000(P/A, 18\%, n)$ $(P/A, 18\%, n) = 4.000$ n is between 7 and 8 Answer is (b)

Case Study Solution I. Manhattan Island Simple interest $n = 375$ years from 1626 2001 $P + I = P + nPi = 375(24)(.06) + 24 = P(1 + ni) = 24(1 + 375(.06)) = \564 Compound interest $F = P(F/P, 6\%, 375) = 24(3,088,157,729.0) = \$74,115,785,490$, which is \$74+ billion

II. Stock-option plan $F = ?$ after 5 years 1. Years 0 1 5

$F = ?$ after 35 years

AgeChapter 2

\$50/mth = 60 deposits 22 2710

57

2.

Value when leaving the company $F = A(F/A, 1.25\%, 60) = 50(88.5745) = \4428.73

3.

Value at age 57 ($n = 30$ years) $F = P(F/P, 15\%, 30) = 4428.73(66.2118) = \$293,234$

4.

Amount for 7 years to accumulate $F = \$293,234$ $A = F(A/F, 15\%, 7) = 293,234(.09036) = \$26,497$ per year

5.

Amount in 20s: $5(12)50 = \$3000$ Amount in 50s: $7(26,497) = \$185,479$

Chapter 2

11

Chapter 3 Combining FactorsSolutions to Problems 3.1 $P = 100,000(260)(P/A, 10\%, 8)(P/F, 10\%, 2) = 26,000,000(5.3349)(0.8264) = \114.628 million 3.2 $P = 50,000(56)(P/A, 8\%, 4)(P/F, 8\%, 1) = 2,800,000(3.3121)(0.9259) = \8.587 million 3.3 $P = 80(2000)(P/A, 18\%, 3) + 100(2500)(P/A, 18\%, 5)(P/F, 18\%, 3) = 160,000(2.1743) + 250,000(3.1272)(0.6086) = \$823,691$ 3.4 $P = 100,000(P/A, 15\%, 3) + 200,000(P/A, 15\%, 2)(P/F, 15\%, 3) = 100,000(2.2832) + 200,000(1.6257)(0.6575) = \$442,100$ 3.5 $P = 150,000 + 150,000(P/A, 10\%, 5) = 150,000 + 150,000(3.7908) = \$718,620$ 3.6 $P = 3500(P/A, 10\%, 3) + 5000(P/A, 10\%, 7)(P/F, 10\%, 3) = 3500(2.4869) + 5000(4.8684)(0.7513) = \$26,992$ 3.7 $A = [0.701(5.4)(P/A, 20\%, 2) + 0.701(6.1)(P/A, 20\%, 2)(P/F, 20\%, 2)](A/P, 20\%, 4) = [3.7854(1.5278) + 4.2761(1.5278)(0.6944)](0.38629) = \3.986 billion 3.8 $A = 4000 + 1000(F/A, 10\%, 4)(A/F, 10\%, 7) = 4000 + 1000(4.6410)(0.10541) = \4489.21 3.9 $A = 20,000(P/A, 8\%, 4)(A/F, 8\%, 14) = 20,000(3.3121)(0.04130) = \2735.79 3.10 $A = 8000(A/P, 10\%, 10) + 600 = 8000(0.16275) + 600 = \1902 Chapter 3 1

3.11 $A = 20,000(F/P, 8\%, 1)(A/P, 8\%, 8) = 20,000(1.08)(0.17401) = \3758.62 3.12 $A = 10,000(F/A, 8\%, 26)(A/P, 8\%, 30) = 10,000(79.9544)(0.08883) = \$71,023$ 3.13 $A = 15,000(F/A, 8\%, 9)(A/F, 8\%, 10) = 15,000(12.4876)(0.06903) = \$12,930$ 3.14 $A = 80,000(A/P, 10\%, 5) + 80,000 = 80,000(0.26380) + 80,000 = \$101,104$ 3.15 $A = 5000(A/P, 6\%, 5) + 1,000,000(0.15)(0.75) = 5000(0.2374) + 112,500 = \$113,687$ 3.16 $A = [20,000(F/A, 8\%, 11) + 8000(F/A, 8\%, 7)](A/F, 8\%, 10) = [20,000(16.6455) + 8000(8.9228)](0.06903) = \$27,908$ 3.17 $A = 600(A/P, 12\%, 5) + 4000(P/A, 12\%, 4)(A/P, 12\%, 5) = 600(0.27741) + 4000(3.0373)(0.27741) = \3536.76 3.18 $F = 10,000(F/A, 15\%, 21) = 10,000(118.8101) = \$1,188,101$ 3.19 $100,000 = A(F/A, 7\%, 5)(F/P, 7\%, 10)$ $100,000 = A(5.7507)(1.9672)$ $A = \$8839.56$ 3.20 $F = 9000(F/P, 8\%, 11) + 600(F/A, 8\%, 11) + 100(F/A, 8\%, 5) = 9000(2.3316) + 600(16.6455) + 100(5.8666) = \$31,558$ 3.21 Worth in year 5 = $-9000(F/P, 12\%, 5) + 3000(P/A, 12\%, 9) = -9000(1.7623) + 3000(5.3282) = \123.90 Chapter 3 2

3.22 Amt, year 5 = $1000(F/A, 12\%, 4)(F/P, 12\%, 2) + 2000(P/A, 12\%, 7)(P/F, 12\%, 1) = 1000(4.7793)(1.2544) + 2000(4.5638)(0.8929) = \$14,145$ 3.23 $A = [10,000(F/P, 12\%, 3) + 25,000](A/P, 12\%, 7) = [10,000(1.4049) + 25,000](0.21912) = \8556.42 3.24 Cost of the ranch is $P = 500(3000) = \$1,500,000$. $1,500,000 = x + 2x(P/F, 8\%, 3)$ $1,500,000 = x + 2x(0.7938)$ $x = \$579,688$ 3.25 Move unknown deposits to year 1, amortize using A/P, and set equal to \$10,000. $x(F/A, 10\%, 2)(F/P, 10\%, 19)(A/P, 10\%, 15) = 10,000$ $x(2.1000)(6.1159)(0.13147) = 10,000$ $x = \$5922.34$ 3.26 $350,000(P/F, 15\%, 3) = 20,000(F/A, 15\%, 5) + x$ $350,000(0.6575) = 20,000(6.7424) + x$ $x = \$95,277$ 3.27 Move all cash flows to year 9. $0 = -800(F/A, 14\%, 2)(F/P, 14\%, 8) + 700(F/P, 14\%, 7) + 700(F/P, 14\%, 4) 950(F/A, 14\%, 2)(F/P, 14\%, 1) + x$ $800(P/A, 14\%, 3)$ $0 = -800(2.14)2.8526 + 700(2.5023) + 700(1.6890) 950(2.14)(1.14) + x$ $800(2.3216)$ $x = \$6124.64$ 3.28 Find P at $t = 0$ and then convert to A. $P = 5000 + 5000(P/A, 12\%, 3) + 3000(P/A, 12\%, 3)(P/F, 12\%, 3) + 1000(P/A, 12\%, 2)(P/F, 12\%, 6) = 5000 + 5000(2.4018) + 3000(2.4018)(0.7118) + 1000(1.6901)(0.5066) = \$22,994$ $A = 22,994(A/P, 12\%, 8) = 22,994(0.20130) = \4628.69 3.29 $F = 2500(F/A, 12\%, 8)(F/P, 12\%, 1)$ $1000(F/A, 12\%, 3)(F/P, 12\%, 2) = 2500(12.2997)(1.12)$ $1000(3.3744)(1.2544) = \$30,206$ Chapter 3 3

3.30 $15,000 = 2000 + 2000(P/A, 15\%, 3) + 1000(P/A, 15\%, 3)(P/F, 15\%, 3) + x(P/F, 15\%, 7)$ $15,000 = 2000 + 2000(2.2832) + 1000(2.2832)(0.6575) + x(0.3759)$ $x = \$18,442$ 3.31 Amt, year 3 = $900(F/A, 16\%, 4) + 3000(P/A, 16\%, 2)$ $1500(P/F, 16\%, 3) + 500(P/A, 16\%, 2)(P/F, 16\%, 3) = 900(5.0665) + 3000(1.6052)$ $1500(0.6407) + 500(1.6052)(0.6407) = \8928.63 3.32 $A = 5000(A/P, 12\%, 7) + 3500 + 1500(F/A, 12\%, 4)(A/F, 12\%, 7) = 5000(0.21912) + 3500 + 1500(4.7793)(0.09912) = \5306.19 3.33 $20,000 = 2000(F/A, 15\%, 2)(F/P, 15\%, 7) + x(F/A, 15\%, 7) + 1000(P/A, 15\%, 3)$ $20,000 = 2000(2.1500)(2.6600) + x(11.0668) + 1000(2.2832)$ $x = \$567.35$ 3.34 $P = [4,100,000(P/A, 6\%, 22) 50,000(P/G, 6\%, 22)](P/F, 6\%, 3) + 4,100,000(P/A, 6\%, 3) = [4,100,000(12.0416) 50,000(98.9412)](0.8396) + 4,100,000(2.6730) = \$48,257,271$ 3.35 $P = [2,800,000(P/A, 12\%, 7) + 100,000(P/G, 12\%, 7) + 2,800,000](P/F, 12\%, 1) = [2,800,000(4.5638) + 100,000(11.6443) + 2,800,000](0.8929) = \$14,949,887$ 3.36 P for maintenance = $[11,500(F/A, 10\%, 2) + 11,500(P/A, 10\%, 8) + 1000(P/G, 10\%, 8)](P/F, 10\%, 2) = [11,500(2.10) + 11,500(5.3349) + 1000(16.0287)](0.8264) = \$83,904$ P for accidents = $250,000(P/A, 10\%, 10) = 250,000(6.1446) = \$1,536,150$ Total savings = $83,904 + 1,536,150 = \$1,620,054$ Build overpass 3.37 Find P at $t = 0$, then convert to A. $P = [22,000(P/A, 12\%, 4)$

$$+ 1000(P/G, 12\%, 4) + 22,000](P/F, 12\%, 1) = [22,000(3.0373) + 1000(4.1273) + 22,000](0.8929) = \$82,993$$

Chapter 3

4

$A = 82,993(A/P, 12\%, 5) = 82,993(0.27741) = \$23,023$ 3.38 First find P and then convert to F. $P = -10,000 + [4000 + 3000(P/A, 10\%, 6) + 1000(P/G, 10\%, 6) 7000(P/F, 10\%, 4)](P/F, 10\%, 1) = -10,000 + [4000 + 3000(4.3553) + 1000(9.6842) 7000(0.6830)](0.9091) = \9972 $F = 9972(F/P, 10\%, 7) = 9972(1.9487) = \$19,432$ 3.39 Find P in year 0 and then convert to A. $P = 4000 + 4000(P/A, 15\%, 3) 1000(P/G, 15\%, 3) + [(6000(P/A, 15\%, 4) + 2000(P/G, 15\%, 4)](P/F, 15\%, 3) = 4000 + 4000(2.2832) 1000(2.0712) + [(6000(2.8550) + 2000(3.7864)](0.6575) = \$27,303.69$ $A = 27,303.69(A/P, 15\%, 7) = 27,303.69(0.24036) = \6563 3.40 $40,000 = x(P/A, 10\%, 2) + (x + 2000)(P/A, 10\%, 3)(P/F, 10\%, 2)$ $40,000 = x(1.7355) + (x + 2000)(2.4869)(0.8264)$ $3.79067x = 35,889.65$ $x = \$9467.89$ (size of first two payments) 3.41 $11,000 = 200 + 300(P/A, 12\%, 9) + 100(P/G, 12\%, 9) 500(P/F, 12\%, 3) + x(P/F, 12\%, 3)$ $11,000 = 200 + 300(5.3282) + 100(17.3563) 500(0.7118) + x(0.7118)$ $x = \$10,989$ 3.42 (a) In billions P in yr 1 = $-13(2.73) + 5.3 \{ [1 (1 + 0.09)^{10} / (1 + 0.15)^{10}] / (0.15 - 0.09) \} = -35.49 + 5.3(6.914) = \1.1542 billion P in yr 0 = $1.1542(P/F, 15\%, 1) = 1.1542(0.8696) = \1.004 billion

Chapter 3

5

3.43 Find P in year 1; then find A in years 0-5. P_g in yr 2 = $(5)(4000) \{ [1 - (1 + 0.08)^{18} / (1 + 0.10)^{18}] / (0.10 - 0.08) \} = 20,000(14.0640) = \$281,280$ P in yr 1 = $281,280(P/F, 10\%, 3) + 20,000(P/A, 10\%, 3) = 281,280(0.7513) + 20,000(2.4869) = \$261,064$ $A = 261,064(A/P, 10\%, 6) = 261,064(0.22961) = \$59,943$ 3.44 Find P in year 1 and then move forward 1 year $P - 1 = 20,000 \{ [1 (1 + 0.05)^{11} / (1 + 0.14)^{11}] / (0.14 - 0.05) \} = 20,000(6.6145) = \$132,290$ $P = 132,290(F/P, 14\%, 1) = 132,290(1.14) = \$150,811$ 3.45 $P = 29,000 + 13,000(P/A, 10\%, 3) + 13,000[7 / (1 + 0.10)](P/F, 10\%, 3) = 29,000 + 13,000(2.4869) + 82,727(0.7513) = \$123,483$ 3.46 Find P in year 1 and then move to year 0. P (yr 1) = $15,000 \{ [1 (1 + 0.10)^5 / (1 + 0.16)^5] / (0.16 - 0.10) \} = 15,000(3.8869) = \$58,304$ $P = 58,304(F/P, 16\%, 1) = 58,304(1.16) = \$67,632$ 3.47 Find P in year 1 and then move to year 5. P (yr 1) = $210,000[6 / (1 + 0.08)] = 210,000(0.92593) = \$1,166,667$ $F = 1,166,667(F/P, 8\%, 6) = 1,166,667(1.5869) = \$1,851,383$

Chapter 3

6

3.48 $P = [2000(P/A, 12\%, 6) 200(P/G, 12\%, 6)](F/P, 12\%, 1) = [2000(4.1114) 200(8.9302)](1.12) = \7209.17 3.49 $P = 5000 + 1000(P/A, 12\%, 4) + [1000(P/A, 12\%, 7) 100(P/G, 12\%, 7)](P/F, 12\%, 4) = 5000 + 1000(3.0373) + [1000(4.5638) 100(11.6443)](0.6355) = \$10,198$ 3.50 Find P in year 0 and then convert to A. $P = 2000 + 2000(P/A, 10\%, 4) + [2500(P/A, 10\%, 6) 100(P/G, 10\%, 6)](P/F, 10\%, 4) = 2000 + 2000(3.1699) + [2500(4.3553) 100(9.6842)](0.6830) = \$15,115$ $A = 15,115(A/P, 10\%, 10) = 15,115(0.16275) = \2459.97 3.51 $20,000 = 5000 + 4500(P/A, 8\%, n) 500(P/G, 8\%, n)$ Solve for n by trial and error: Try n = 5: $\$15,000 > \$14,281$ Try n = 6: $\$15,000 < \$15,541$ By interpolation, n = 5.6 years 3.52 $P = 2000 + 1800(P/A, 15\%, 5) 200(P/G, 15\%, 5) = 2000 + 1800(3.3522) 200(5.7751) = \6878.94 3.53 $F = [5000(P/A, 10\%, 6) 200(P/G, 10\%, 6)](F/P, 10\%, 6) = [5000(4.3553) 200(9.6842)](1.7716) = \$35,148$

FE Review Solutions 3.54 $x = 4000(P/A, 10\%, 5)(P/F, 10\%, 1) = 4000(3.7908)(0.9091) = \$13,785$ Answer is (d) $P = 7 + 7(P/A, 4\%, 25) = \116.3547 million Answer is (c) Answer is (d) 7

3.55

3.56

Chapter 3

3.57

Size of first deposit = $1250 / (1 + 0.05)^3 = \$1079.80$ Answer is (d) Balance = $10,000(F/P, 10\%, 2) 3000(F/A, 10\%, 2) = 10,000(1.21) 3000(2.10) = \5800 Answer is (b)

3.58

3.59 $1000 = A(F/A, 10\%, 5)(A/P, 10\%, 20) 1000 = A(6.1051)(0.11746)$ $A = \$1394.50$ Answer is (a) 3.60 First find P and then convert to A. $P = 1000(P/A, 10\%, 5) + 2000(P/A, 10\%, 5)(P/F, 10\%, 5) = 1000(3.7908) + 2000(3.7908)(0.6209) = \8498.22 $A = 8498.22(A/P, 10\%, 10) = 8498.22(0.16275) = \1383.08 Answer is (c) 3.61 $100,000 = A(F/A, 10\%, 4)(F/P, 10\%, 1) 100,000 = A(4.6410)(1.10)$ $A = \$19,588$ Answer is (a) 3.62 $F = [1000 + 1500(P/A, 10\%, 10) + 500(P/G, 10\%, 10)](F/P, 10\%, 10) = [1000 + 1500(6.1446) + 500(22.8913)](2.5937) = \$56,186$ Answer is (d) 3.63 $F = 5000(F/P, 10\%, 10) + 7000(F/P, 10\%, 8) + 2000(F/A, 10\%, 5) = 5000(2.5937) + 7000(2.1438) + 2000(6.1051) = \$40,185$ Answer is (b)

Chapter 3

8

Extended Exercise Solution Solution by Hand Cash flows for purchases at $g = 25\%$ start in year 0 at \$4 million. Cash flows for parks development

at $G = \$100,000$ start in year 4 at $\$550,000$. All cash flow signs in the solution are +. Cash flow _____ Year Land Parks 0 1 2 3 4 5 6
\$4,000,000 3,000,000 2,250,000 1,678,000 1,265.625 949,219

\$550,000 650,000 750,000

1. Find P for all project funds (in \$ million) $P = 4 + 3(P/F, 7\%, 1) + 0.750(P/F, 7\%, 6) = 13.1716$ (\$13,171,600) Amount to raise in years 1 and 2: $A = (13.1716 - 3.0)(A/P, 7\%, 2) = (10.1716)(0.55309) = 5.6258$

(\$5,625,800 per year)

Find remaining project fund needs in year 3, then find the A for the next 3 years (years 4, 5, and 6): $F_3 = (13.1716 - 3.0)(F/P, 7\%, 3) = (10.1716)(1.2250) = 12.46019$ $A = 12.46019(A/P, 7\%, 3) = 12.46019(0.38105) = 4.748$

(\$4,748,000 per year)

Chapter 3

9

Extended Exercise Solution Solution by computerE Microsoft ExcelFile Edit View Insert Format looks Data Window Help QI MacrosBI,

X

A.

JH22

E1C3 ext exer solnA 1 2 3_

B Interest rate = 7%

C

D

E

F

Chapter 3 - extended exercise solution.

and purchase multiplier = 0,75 4 t> rtiAutoShaoes- \.. \j

I

I Draw

\\

~

\

MA\Ij : _.

i in r

IBSI r-i c r- _i.

Chapter 5

11

Question 2:E3 Microsoft Excel

J File Edit View Insert Format Tools Data Window Help QI Macros10 B U

mmmm

mmJ24C5 - EKt Exer solnA_

16 &

L

B

C #2

D

E

F

G

H

I

Extended Exercise: Question

910CD CD

860

8

0

760710

EtO 610510

460410=5

360 3 0

260210

160

11061J 0

60

65

70

75

80

85

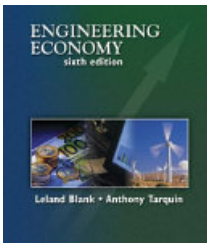
Age Reduced -.- Normal -Higher23

24

H N IA

I M I Future Worth >,FW Graph / 5heet3 / 5heet4 / Sheets / 5heet6 / Sheet:

Engineering Economy



*****Recently Published!***** Engineering Economy, 6th edition, provides undergraduate students and practicing professionals with a solid preparation in the financial understanding of engineering problems and projects, as well as the techniques needed for evaluating and making sound economic decisions. Information on cost estimation, depreciation, and taxes has been updated to conform to new tax laws. Eighty percent of the end-of-chapter problems are revised or new to this edition. Distinguishing pedagogical characteristics of this market-leading text include its easy-to-read writing style, chapter objectives, worked examples, integrated spreadsheets, case studies, Fundamentals of Engineering (FE) exam questions, and numerous new end-of-chapter problems. Graphical cross-referencing is indicated so users are able to locate additional material on any one subject in the text. Quick-solve (Q-Solv) and Excel-solve (E-Solve) icons found in the text indicate the difficulty of a problem, example, or spreadsheet. While the chapters are progressive, over three-quarters can stand alone, allowing instructors flexibility for meeting course needs. A complete Online Learning Center (OLC) located at <http://www.mhhe.com/blank6e> offers supplemental quizzing, spreadsheet exercises, review questions, lecture outlines, and more!

Источник: https://books.google.com/books/about/Engineering_Economy.html?id=a1gQhgPjXZcC
AV values

\$\$

(6.6421(26.000)

\$ \$

(800)(800) (800) (8001

\$ \$ \$

25.000

\$\$

(7.1731(36.000)

t\$ \$ \$ \$

(9771

\$

26.055

1 2

\$\$

13U

3

25.000 25.000 25.000

\$ \$ \$ \$ \$ * _

(300) (300)(300)

\$ \$ \$

35.000 32.000 28.000 26.000

* \$ \$ \$ \$ \$ *

34.700

31.700 27.70024.800

45

2.000

15 16

\$

(800) fSOO)fSOO)

*

25.000 25.0002S000

67

8 9 10

\$ \$

*

(1.200) (1.320) (1.452) (1.597) (1.757)

\$ * t * \$

24.00022.000 20.000 18.000 16.000 14.000

20.548

18.40316.243 14.067 11.874

\$

\$ (2! 126)1

(1.933)

\$

1j HP Status Window \ Future Worth / FW Graph / Sheets / 5heet4 / Sheets / 5heet6 / Sheet; #3A

Contemporary Engineering Economics, 6th edition

Now available on

- All-in-one subscriptions
- Learning simplified
- Made to fit your life

Get instant access to 1,500+ eTextbooks and study tools, all in one place, for one low monthly subscription. Make the most of study time with offline access, search, notes and flashcards — to get organized, get the work done quicker and get results. Learn more

Your questions answered

Introducing Pearson+. Reimagined learning, designed for you. Choose from one eTextbook or over 1,500 eTextbooks and study tools, all in one place, for one low monthly subscription. A new way to buy books that fits your budget. Make the most of your study time with offline access, enhanced search, notes and flashcards — to get organized, get the work done quicker and get results. Plus, with the app, put textbooks in your pocket and learn wherever. It's time to upgrade the textbook and simplify learning, so you can have time to live too.

Pearson eTextbook is an easy-to-use digital textbook available from Pearson+. Make it your own by adding notes and highlights. Download the Pearson+ mobile app to learn on the go, even offline. Listen on the go with our new audiobook feature, available for most titles.

When you choose a plan, you're signing up for a 4-month 'term'. We will charge your payment method each month until your 4-month term has ended. You can turn on auto-renew in **My account** at any time to continue your subscription before your 4-month term has ended.

When you purchase a Pearson+ subscription, it will last 4 months. Before your initial 4-month term ends, you can extend your subscription by

turning auto-renew on in **My account**. If you turn auto-renew on, we'll automatically renew your subscription and charge you every month until you turn off auto-renew. To avoid the next payment charge, make sure you turn auto renewal off 1 day before the auto renewal date. You can subscribe again after auto-renew has been turned off by purchasing another Pearson+ subscription. We use your credit card to renew your subscription automatically. To make sure your learning is uninterrupted, please check your card details before your first monthly payment.

With a Multi Pearson+ subscription plan, you can download up to 5 titles on the Pearson+ app from My list on each of your authorized devices every month. When you're using your Multi Pearson+ subscription plan in a browser, you can select and read from as many titles as you like.

Источник: <https://www.pearson.com/en-us/subject-catalog/p/contemporary-engineering-economics/P2000000003535/9780137848683>
j

10

-r

m m m m

mm

,

Si CG - case study solnA

B

C

E

F

G

H

I

12

AV Lloyd'sMARR 15

345 e

\$F'

17.904

o/.'rUp'

L :.iJd --

Lloyd's newRepair savingsmaint. cost -

Investment Year

Annual maint.

Repairsavings

Investment

Annual maint.

7

and salv-aqe

and salvage

repair savings

89

Engineering Economy, 6th Edition

S] C6 - case stud... 11 >

Alb

1A

D] [r AutoShapes - \

0 AutoShapesT\ \ReadvI

O 1 ll -300(1 *Y2 * 200(1 +I,)A1 24 The transformed cash flow has 6 periods beginning with \$-1306.08 in period 0.

li ii i

0

flStanllJ g Q

3

cj HP Status Window Amount from bonds now = If 5 Parks csh flow gradient, $G = If6_$

3 000 000, ,

100 000.

7

Cash flows_

SIYear J3_ iL 1112_

"

Land purchases0 1 2 3 4 5 6 % It \$ \$ \$ \$ \$4 000,000,

Parks development\$ \$ \$ \$ If\$

3 000,000,

2 250,000,

1 687,500,

il H17

1 265,625,

550 000.

949,219-

650 000.

750 000.

P for purchases\$ 11,788,797 I_

P for parks1 382 790, .

Total present worth\$ 13 171 587, .

18 P values

ii.20

1) To raise; Yrs. 1 and 2 :2) To raise: Yrs. 4. 5 and 6=

\$5,625,821

\$4,748,145

AutoShapes - \dy

O HMUIi "

i

r

"

NUM

i

r

Chapter 3

10

Chapter 4 Nominal and Effective Interest Rates Solutions to Problems 4.1 (a) monthly (b) quarterly (c) semiannually 4.2 (a) quarterly (b) monthly (c) weekly 4.3 (a) 12 (b) 4 (c) 2 4.4 (a) 1 (b) 4 (c) 12 4.5 (a) $r/\text{semi} = 0.5 \times 2 = 1\%$ (b) 2% (c) 4% 4.6 (a) $i = 0.12/6 = 2\%$ per two months; $r/4 \text{ months} = 0.02 \times 2 = 4\%$ (b) $r/6 \text{ months} = 0.02 \times 3 = 6\%$ (c) $r/2 \text{ yrs} = 0.02 \times 12 = 24\%$ 4.7 (a) 5% (b) 20% 4.8 (a) effective (b) effective (c) nominal (d) effective (e) nominal 4.9 $i/6 \text{ months} = 0.14/2 = 7\%$ 4.10 $i = (1 + 0.04)^4 - 1 = 16.99\%$ 4.11 $0.16 = (1 + r/2)^2 - 1$ $r = 15.41\%$ 4.12 Interest rate is stated as effective. Therefore, $i = 18\%$ 4.13 $0.1881 = (1 + 0.18/m)^m - 1$ Solve for m by trial and gives $m = 2$ 4.14 $i = (1 + 0.01)^2 - 1 = 2.01\%$

Chapter 4

1

4.15 $i = 0.12/12 = 1\%$ per month Nominal per 6 months $= 0.01(6) = 6\%$ Effective per 6 months $= (1 + 0.06/6)^6 - 1 = 6.15\%$ 4.16 (a) $i/\text{week} = 0.068/26 = 0.262\%$ (b) effective 4.17 PP = weekly; CP = quarterly 4.18 PP = daily; CP = quarterly 4.19 From 2% table at $n=12$, $F/P = 1.2682$ 4.20 Interest rate is effective From 6% table at $n=5$, $P/G = 7.9345$ 4.21 $P = 85(P/F, 2\%, 12) = 85(0.7885) = \67.02 million 4.22 $F = 2.7(F/P, 3\%, 60) = 2.7(5.8916) = \15.91 billion 4.23 $P = 5000(P/F, 4\%, 16) = 5000(0.5339) = \2669.50 4.24 $P = 1.2(P/F, 5\%, 1) = 1.2(0.9524) = \$1,142,880 \text{ (in \$million)}$

4.25 $P = 1.3(P/A, 1\%, 28)(P/F, 1\%, 2) = 1.3(24.3164)(0.9803) = \$30,988,577$ 4.26 $F = 3.9(F/P, 0.5\%, 120) = 3.9(1.8194) = \$7,095,660,000$ (in \$million)

(in \$billion)

4.27 $P = 3000(250/150)(P/A, 4\%, 8) = 3000(100)(6.7327) = \$2,019,810$ Chapter 4

(in \$million)

2

4.28 $F = 50(20,000,000)(F/P, 1.5\%, 9) = 1,000,000,000(1.1434) = \1.1434 billion 4.29 $A = 3.5(A/P, 5\%, 12) = 3.5(0.11283) = \$394,905 \text{ (in \$million)}$

4.30 $F = 10,000(F/P, 4\%, 4) + 25,000(F/P, 4\%, 2) + 30,000(F/P, 4\%, 1) = 10,000(1.1699) + 25,000(1.0816) + 30,000(1.04) = \$69,939$ 4.31 $i/\text{wk} = 0.25\%$ $P = 2.99(P/A, 0.25\%, 40) = 2.99(38.0199) = \113.68 4.32 $i/6 \text{ mths} = (1 + 0.03)^2 - 1$ $A = 20,000(A/P, 6.09\%, 4) = 20,000 \{ [0.0609(1 + 0.0609)^4] / [(1 + 0.0609)^4 - 1] \} = 20,000(0.28919) = \5784 4.33 $F = 100,000(F/A, 0.25\%, 8)(F/P, 0.25\%, 3) = 100,000(8.0704)(1.0075) = \$813,093$ Subsidy $= 813,093 - 800,000 = \$13,093$ 4.34 $P = (14.99/6.99)(P/A, 1\%, 24) = 8(21.2434) = \169.95 4.35 First find P, then convert to A $P = 150,000 \{ 1 / [(1 + 0.20)^{10} / (1 + 0.07)^{10}] \} / (0.07/0.20) = 150,000(16.5197) = \$2,477,955$ $A = 2,477,955(A/P, 7\%, 10) = 2,477,955(0.14238) = \$352,811$ Chapter 4 3

4.36 $P = 80(P/A, 3\%, 12) + 2(P/G, 3\%, 12)$ $P = 80(9.9540) + 2(51.2482) = \898.82 4.37 $2,000,000 = A(P/A, 3\%, 8) + 50,000(P/G, 3\%, 8)$ $2,000,000 = A(7.0197) + 50,000(23.4806)$ $A = \$117,665$ 4.38 $P = 1000 + 2000(P/A, 1.5\%, 12) + 3000(P/A, 1.5\%, 16)(P/F, 1.5\%, 12) = 1000 + 2000(10.9075) + 3000(14.1313)(0.8364) = \$58,273$ 4.39 First find P in quarter 1 and then use A/P to get A in quarters 0-8. $P - 1 = 1000(P/F, 4\%, 2) + 2000(P/A, 4\%, 2)(P/F, 4\%, 2) + 3000(P/A, 4\%, 4)(P/F, 4\%, 5) = 1000(0.9246) + 2000(1.8861)(0.9246) + 3000(3.6299)(0.8219) = \$13,363$ $A = 13,363(A/P, 4\%, 9) = 13,363(0.13449) = \1797.19 4.40 Move deposits to end of compounding periods and then find F. $F = 1800(F/A, 3\%, 30) = 1800(47.5754) = \$85,636$ 4.41 Move withdrawals to beginning of periods and then find F. $F = (10,000/1000)(F/P, 4\%, 6) + 1000(F/P, 4\%, 5) + 1000(F/P, 4\%, 3) = 9000(1.2653) + 1000(1.2167) + 1000(1.1249) = \9046 4.42 Move withdrawals to beginning of periods and deposits to end; then find F. $F = 1600(F/P, 4\%, 5) + 1400(F/P, 4\%, 4) + 2600(F/P, 4\%, 3) + 1000(F/P, 4\%, 2) - 1000(F/P, 4\%, 1) = 1600(1.2167) + 1400(1.1699) + 2600(1.1249) + 1000(1.0816) - 1000(1.04) = \701.44 4.43 Move monthly costs to end of quarter and then find

F. Monthly costs = $495(6)(2) = \$5940$ End of quarter costs = $5940(3) = \$17,820$ $F = 17,820(F/A, 1.5\%, 4) = 17,820(4.0909) = \$72,900$ Chapter 4 4

$4.44 i = e^{0.13} - 1 = 13.88\%$ $4.45 i = e^{0.12} - 1 = 12.75\%$ $4.46 0.127 = e^{r/yr} - 1$ $r/yr = 11.96\%$ $r/quarter = 2.99\%$

$4.47 15\%$ per year = $15/12 = 1.25\%$ per month $i = e^{0.0125} - 1 = 1.26\%$ per month $F = 100,000(F/A, 1.26\%, 24) = 100,000\{[1 + 0.0126]^{24} - 1\}/0.0126 = 100,000(27.8213) = \$2,782,130$ $4.48 18\%$ per year = $18/12 = 1.50\%$ per month $i = e^{0.015} - 1 = 1.51\%$ per month $P = 6000(P/A, 1.51\%, 60) = 6000\{[(1 + 0.0151)^{60} - 1]/[0.0151(1 + 0.0151)^{60}]\} = 6000(39.2792) = \$235,675$ $4.49 i = e^{0.02} - 1 = 2.02\%$ per month $A = 50(A/P, 2.02\%, 36) = 50\{[0.0202(1 + 0.0202)^{36}]/[(1 + 0.0202)^{36} - 1]\} = 50(0.03936) = \$1,968,000$

$4.50 i = e^{0.06} - 1 = 6.18\%$ per year $P = 85,000(P/F, 6.18\%, 4) = 85,000[1/(1 + 0.0618)^4] = 85,000(0.78674) = \$66,873$ $4.51 i = e^{0.015} - 1 = 1.51\%$ per month $2P = P(1 + 0.0151)^n$ $2.000 = (1.0151)^n$ Take log of both sides and solve for n $n = 46.2$ months Chapter 4 5

4.52 Set up F/P equation in months. $3P = P(1 + i)^{60}$ $3.000 = (1 + i)^{60}$ $1.01848 = 1 + i$ $i = 1.85\%$ per month (effective) $4.53 P = 150,000(P/F, 12\%, 2)(P/F, 10\%, 3) = 150,000(0.7972)(0.7513) = \$89,840$ $4.54 F = 50,000(F/P, 10\%, 4)(F/P, 1\%, 48) = 50,000(1.4641)(1.6122) = \$118,021$

4.55 (a) First move cash flow in years 0-4 to year 4 at $i = 12\%$. $F = 5000(F/P, 12\%, 4) + 6000(F/A, 12\%, 4) = 5000(1.5735) + 6000(4.7793) = \$36,543$ Now move the total to year 5 at $i = 20\%$. $F = 36,543(F/P, 20\%, 1) + 9000 = 36,543(1.20) + 9000 = \$52,852$ (b) Substitute A values for annual cash flows, including year 5 with the factor $(F/P, 20\%, 0) = 1.00$ $52,852 = A\{[(F/P, 12\%, 4) + (F/A, 12\%, 4)](F/P, 20\%, 1) + (F/P, 20\%, 0)\} = A\{[(1.5735) + (4.7793)](1.20) + 1.00\} = A(8.62336)$ $A = \$6129$ per year for years 0 through 5 (a total of 6 A values). 4.56 First find P. $P = 5000(P/A, 10\%, 3) + 7000(P/A, 12\%, 2)(P/F, 10\%, 3) = 5000(2.4869) + 7000(1.6901)(0.7513) = 12,434.50 + 8888.40 = \$21,323$ Chapter 4 6

Now substitute A values for cash flows. $21,323 = A(P/A, 10\%, 3) + A(P/A, 12\%, 2)(P/F, 10\%, 3) = A(2.4869) + A(1.6901)(0.7513) = A(3.7567)$ $A = \$5676$

FE Review Solutions 4.57 Answer is (b) 4.58 Answer is (d) $4.59 i/yr = (1 + 0.01)^{12} - 1 = 0.1268 = 12.68\%$ Answer is (d) $4.60 i/quarter = e^{0.045} - 1 = 0.0460 = 4.60\%$ Answer is (c) 4.61 Answer is (d) 4.62 Answer is (a) 4.63 Find annual rate per year for each condition. $i/yr = 22\%$ simple $i/yr = (1 + 0.21/4)^4 - 1 = 0.2271 = 22.7\%$ $i/yr = (1 + 0.21/12)^{12} - 1 = 0.2314 = 23.14\%$ $i/yr = (1 + 0.22/2)^2 - 1 = 0.2321 = 23.21\%$ Answer is (a) $4.64 i/semi-annual = e^{0.02} - 1 = 0.0202 = 2.02\%$ Answer is (b) 4.65 Answer is (c) $4.66 P = 30(P/A, 0.5\%, 60) = \1552 Answer is (b)

Chapter 4

7

$4.67 P = 7 + 7(P/A, 4\%, 25) = \116.3547 million Answer is (c) 4.68 Answer is (a) 4.69 Answer is (d) $4.70 PP > CP$; must use i over PP of 1 year. Therefore, $n = 7$ Answer is (a) $4.71 P = 1,000,000 + 1,050,000\{[1 - (1 + 0.05)^{12}]/(1 + 0.01)^{12}\}/(0.01 - 0.05) = \$16,585,447$ Answer is (b) 4.72 Answer is (d) 4.73 Deposit in year 1 = $1250/(1 + 0.05)^3 = \$1079.80$ Answer is (d)

$4.74 A = 40,000(A/F, 5\%, 8) = 40,000(0.10472) = \4188.80 Answer is (c) $4.75 A = 800,000(A/P, 3\%, 12) = 800,000(0.10046) = \$80,368$ Answer is (c)

Case Study Solution 1. Plan C: 15-Year Rate - The calculations for this plan are the same as those for plan A, except that $i = 9\%$ per year and $n = 180$ periods instead of 360. However, for a 5% down payment, the P&I is now \$1488.04 which will yield a total payment of \$1788.04. This is greater than the \$1600 maximum payment available. Therefore, the down payment will have to be increased to \$25,500, making the loan amount \$124,500. This will make the P&I amount \$1300.06 for a total monthly payment of \$1600.06. Chapter 4 8

The amount of money required up front is now \$28,245 (the origination fee has also changed). The plan C values for F1C, F2C, and F3C are shown below. $F1C = (40,000 - 28,245)(F/P, 0.25\%, 120) = \$15,861.65$ $F2C = 0$ $F3C = 170,000 [124,500(F/P, 9.5\%/12, 120) - 1300.06(F/A, 9.5\%/12, 120)] = \$108,097.93$ $FC = F1C + F2C + F3C = \$123,959.58$ The future worth of Plan C is considerably higher than either Plan A (\$87,233) or Plan B (\$91,674). Therefore, Plan C with a 15-year fixed rate is the preferred financing method. 2. Plan A Loan amount = \$142,500 Balance after 10 years = \$129,582.48 Equity = $142,500 - 129,582.48 = \$12,917.52$ Total payment made = $1250.56(120) = \$150,067.20$ Interest paid = $150,067.20 - 12,917.52 = \$137,149.68$ 3. Amount paid through first 3 yrs = $1146.58(36) = \$41,276.88$ Principal reduction through first 3 yrs = $142,500 - 139,297.08 = \$3,202.92$ Interest paid first 3 yrs = $41,276.88 - 3202.92 = \$38,073.96$ Amount paid year 4 = $1195.67(12) = 14,348.04$ Principal reduction year 4 = $139,297.08 - 138,132.42 = 1164.66$ Interest paid year 4 = $14,348.04 - 1164.66 = 13,183.38$ Total interest paid in 4 years = $38,073.96 + 13,183.38 = \$51,257.34$ 4. Let DP = down payment Fixed fees = $300 + 200 + 200 + 350 + 150 + 300 = \1500 Available for DP = $40,000 - 1500$ (loan amount)(0.01) where loan amount = $150,000 - DP$ Chapter 4 9

$DP = 40,000 - 1500 - (150,000 - DP)(0.01) = 40,000 - 1500 - 1500 + 0.01DP$ $0.99DP = 37,000$ $DP = \$37,373.73$ check: origination fee = $(150,000 - 37,373.73)(0.01) = 1126.26$ available $DP = 40,000 - 1500 - 1126.26 = \$37,373.73$ 5. Amount financed = \$142,500 Monthly P&I @ 10% = \$1,250.56 Monthly P&I @ 11% = $142,500(A/P, 11\%/12, 60) = 142,500(0.009167)(1 + 0.009167)^{360} = \1357.06 $(1 + 0.009167)^{360} = 1$ Monthly P&I @ 12% = \$1465.77 Monthly P&I @ 13% = \$1576.33 Monthly P&I @ 14% = \$1688.44 Increase varies: 10% to 11% = \$106.50 11% to 12% = \$108.71 12% to 13% = \$110.56 13% to 14% = \$112.11 Increase from one interest rate to the other ---- \$106.50

108.71 110.56 112.11

6. In buying down interest, you must give lender money now instead of money later. Therefore, to go from 10% to 9%, lender must recover the additional 1% now. $103.95/\text{month P\&I @ } 10\% = 1250.54$ $\text{P\&I @ } 9\% = 1146.59$ Difference = $\$103.95/\text{month P} = 103.95(\text{P/A}, 10\%/12, 360) = 103.95(113.9508) = \$11,845.19$ P 1 2 3 360 month

Chapter 4

10

Chapter 5 Present Worth Analysis Solutions to Problems 5.1 A service alternative is one that has only costs (no revenues). 5.2 (a) For independent projects, select all that have PW 0; (b) For mutually exclusive projects, select the one that has the highest numerical value. 5.3 (a) Service; (b) Revenue; (c) Revenue; (d) Service; (e) Revenue; (f) Service 5.4 (a) Total possible = $25 = 32$ (b) Because of restrictions, cannot have any combinations of 3, 4, or 5. Only 12 are acceptable: DN, 1, 2, 3, 4, 5, 1&3, 1&4, 1&5, 2&3, 2&4, and 2&5. 5.5 Equal service means that the alternatives end at the same time. 5.6 Equal service can be satisfied by using a specified planning period or by using the least common multiple of the lives of the alternatives. 5.7 Capitalized cost represents the present worth of service for an infinite time. Real world examples that might be analyzed using CC would be Yellowstone National Park, Golden Gate Bridge, Hoover Dam, etc. 5.8 $\text{PW}_{\text{old}} = -1200(3.50)(\text{P/A}, 15\%, 5) = -4200(3.3522) = \$-14,079$ $\text{PW}_{\text{new}} = -14,000$ $1200(1.20)(\text{P/A}, 15\%, 5) = -14,000$ $1440(3.3522) = \$-18,827$ Keep old brackets 5.9 $\text{PWA} = -80,000$ $30,000(\text{P/A}, 12\%, 3) + 15,000(\text{P/F}, 12\%, 3) = -80,000$ $30,000(2.4018) + 15,000(0.7118) = \$-141,377$

Chapter 5

1

$\text{PWB} = -120,000$ $8,000(\text{P/A}, 12\%, 3) + 40,000(\text{P/F}, 12\%, 3) = -120,000$ $8,000(2.4018) + 40,000(0.7118) = \$-110,742$ Select Method B 5.10 Bottled water: $\text{Cost/mo} = -(2)(0.40)(30) = \24.00 $\text{PW} = -24.00(\text{P/A}, 0.5\%, 12) = -24.00(11.6189) = \-278.85 Municipal water: $\text{Cost/mo} = -5(30)(2.10)/1000 = \0.315 $\text{PW} = -0.315(\text{P/A}, 0.5\%, 12) = -0.315(11.6189) = \-3.66 5.11 $\text{PW}_{\text{single}} = -4000 - 4000(\text{P/A}, 12\%, 4) = -4000 - 4000(3.0373) = \$-16,149$ $\text{PW}_{\text{site}} = -15,000$ Buy the site license 5.12 $\text{PW}_{\text{variable}} = -250,000$ $231,000(\text{P/A}, 15\%, 6) + 140,000(\text{P/F}, 15\%, 4) + 50,000(\text{P/F}, 15\%, 6) = -250,000$ $231,000(3.7845) + 140,000(0.5718) + 50,000(0.4323) = \$-1,182,656$ $\text{PW}_{\text{dual}} = -224,000$ $235,000(\text{P/A}, 15\%, 6) + 26,000(\text{P/F}, 15\%, 3) + 10,000(\text{P/F}, 15\%, 6) = -224,000$ $235,000(3.7845) + 26,000(0.6575) + 10,000(0.4323) = \$-1,126,130$ Select dual speed machine 5.13 $\text{PW}_{\text{JX}} = -205,000$ $29,000(\text{P/A}, 10\%, 4) + 203,000(\text{P/F}, 10\%, 2) + 2000(\text{P/F}, 10\%, 4) = -205,000$ $29,000(3.1699) + 203,000(0.8264) + 2000(0.6830) = \$-463,320$ $\text{PW}_{\text{KZ}} = -235,000$ $27,000(\text{P/A}, 10\%, 4) + 20,000(\text{P/F}, 10\%, 4) = -235,000$ $27,000(3.1699) + 20,000(0.6830) = \$-306,927$ Select material KZ Chapter 5 2

5.14

$\text{PWK} = -160,000$ $7000(\text{P/A}, 2\%, 16) + 120,000(\text{P/F}, 2\%, 8) + 40,000(\text{P/F}, 2\%, 16) = -160,000$ $7000(13.5777) + 120,000(0.8535) + 40,000(0.7284) = \$-328,328$ $\text{PWL} = -210,000$ $5000(\text{P/A}, 2\%, 16) + 26,000(\text{P/F}, 2\%, 16) = -210,000$ $5000(13.5777) + 26,000(0.7284) = \$-258,950$ Select process L

5.15

$\text{PW}_{\text{plastic}} = -75,000 - 27,000(\text{P/A}, 10\%, 6) - 75,000(\text{P/F}, 10\%, 2) - 75,000(\text{P/F}, 10\%, 4) = -75,000 - 27,000(4.3553) - 75,000(0.8264) - 75,000(0.6830) = \$-305,798$ $\text{PW}_{\text{aluminum}} = -125,000$ $12,000(\text{P/A}, 10\%, 6) + 95,000(\text{P/F}, 10\%, 3) + 30,000(\text{P/F}, 10\%, 6) = -125,000$ $12,000(4.3553) + 95,000(0.7513) + 30,000(0.5645) = \$-231,702$ Use aluminum case

5.16

$i/\text{year} = (1 + 0.03)^2 - 1 = 6.09\%$ $\text{PWA} = -1,000,000 - 1,000,000(\text{P/A}, 6.09\%, 5) = -1,000,000 - 1,000,000(4.2021)$ (by equation) = $\$-5,202,100$ $\text{PWB} = -600,000$ $600,000(\text{P/A}, 3\%, 11) = -600,000$ $600,000(9.2526) = \$-6,151,560$ $\text{PWC} = -1,500,000$ $500,000(\text{P/F}, 3\%, 4) + 1,500,000(\text{P/F}, 3\%, 6) - 500,000(\text{P/F}, 3\%, 10) = -1,500,000$ $500,000(0.8885) + 1,500,000(0.8375) - 500,000(0.7441) = \$-3,572,550$ Select plan C

5.17

$\text{FW}_{\text{solar}} = -12,600(\text{F/P}, 10\%, 4) + 1400(\text{F/A}, 10\%, 4) = -12,600(1.4641) + 1400(4.6410) = \$-24,945$ $\text{FW}_{\text{line}} = -11,000(\text{F/P}, 10\%, 4) + 800(\text{F/P}, 10\%, 4) = -11,000(1.4641) + 800(4.6410) = \$-19,818$ Install power line

Chapter 5

3

5.18

$\text{FW}_{20\%} = -100(\text{F/P}, 10\%, 15) + 80(\text{F/A}, 10\%, 15) = -100(4.1772) + 80(31.7725) = \-2959.52 $\text{FW}_{35\%} = -240(\text{F/P}, 10\%, 15) + 65(\text{F/A}, 10\%, 15) = -240(4.1772) + 65(31.7725) = \-3067.74 20% standard is slightly more economical

5.19

$\text{FW}_{\text{purchase}} = -150,000(\text{F/P}, 15\%, 6) + 12,000(\text{F/A}, 15\%, 6) + 65,000 = -150,000(2.3131) + 12,000(8.7537) + 65,000 = \$-176,921$ $\text{FW}_{\text{lease}} = -30,000(\text{F/A}, 15\%, 6)(\text{F/P}, 15\%, 1) = -30,000(8.7537)(1.15) = \$-302,003$ Purchase the clamshell

5.20

$FW_{HSS} = -3500(F/P, 1\%, 6) 2000(F/A, 1\%, 6) 3500(F/P, 1\%, 3) = -3500(1.0615) 2000(6.1520) 3500(1.0303) = \$-19,625$
 $FW_{gold} = -6500(F/P, 1\%, 6) 1500(F/A, 1\%, 6) = -6500(1.0615) 1500(6.1520) = \$-16,128$
 $FW_{titanium} = -7000(F/P, 1\%, 6) 1200(F/A, 1\%, 6) = -7000(1.0615) 1200(6.1520) = \$-14,813$ Use titanium nitride bits

5.21

$FW_A = -300,000(F/P, 12\%, 10) 900,000(F/A, 12\%, 10) = -300,000(3.1058) 900,000(17.5487) = \$-16,725,570$
 $FW_B = -1,200,000(F/P, 12\%, 10) 200,000(F/A, 12\%, 10) 150,000(F/A, 12\%, 10) = -1,200,000(3.1058) 200,000(17.5487) 150,000(17.5487) = \$-9,869,005$ Select Plan B

Chapter 5

4

5.22

$CC = -400,000 400,000(A/F, 6\%, 2)/0.06 = -400,000 400,000(0.48544)/0.06 = \$-3,636,267$
 $CC = -1,700,000 350,000(A/F, 6\%, 3)/0.06 = -1,700,000 350,000(0.31411)/0.06 = \$-3,532,308$
 $CC = -200,000 25,000(P/A, 12\%, 4)(P/F, 12\%, 1) [40,000/0.12]/P/F, 12\%, 5 = -200,000 25,000(3.0373)(0.8929) [40,000/0.12](0.5674) = \$-456,933$
 $CC = -250,000,000 800,000/0.08 [950,000(A/F, 8\%, 10)]/0.08 - 75,000(A/F, 8\%, 5)/0.08 = -250,000,000 800,000/0.08 [950,000(0.06903)]/0.08 - 75,000(0.17046)/0.08 = \$-251,979,538$ Find AW and then divide by i.
 $AW = [-82,000(A/P, 12\%, 4) 9000 + 15,000(A/F, 12\%, 4)] = [-82,000(0.32923) 9000 + 15,000(0.20923)]/0.12 = \$-32,858.41$
 $CC = -32,858.41/0.12 = \$-273,820$

5.23

5.24

5.25

5.26

5.27

(a) $P_{29} = 80,000/0.08 = \$1,000,000$ (b) $P_0 = 1,000,000(P/F, 8\%, 29) = 1,000,000(0.1073) = \$107,300$

5.28

Find AW of each plan, then take difference, and divide by i.
 $AW_A = -50,000(A/F, 10\%, 5) = -50,000(0.16380) = \-8190
 $AW_B = -100,000(A/F, 10\%, 10) = -100,000(0.06275) = \-6275
CC of difference = $(8190 - 6275)/0.10 = \$19,150$

Chapter 5

5

5.29

$CC = -3,000,000 50,000(P/A, 1\%, 12) 100,000(P/A, 1\%, 13)(P/F, 1\%, 12) - [50,000/0.01](P/F, 1\%, 25) = -3,000,000 50,000(11.2551) 100,000(12.1337)(0.8874) - [50,000/0.01](0.7798) = \$-8,538,500$
 $CC_{petroleum} = [-250,000(A/P, 10\%, 6) 130,000 + 400,000 + 50,000(A/F, 10\%, 6)]/0.10 = [-250,000(0.22961) 130,000 + 400,000 + 50,000(0.12961)]/0.10 = \$2,190,780$
 $CC_{inorganic} = [-110,000(A/P, 10\%, 4) 65,000 + 270,000 + 20,000(A/F, 10\%, 4)]/0.10 = [-110,000(0.31547) 65,000 + 270,000 + 20,000(0.21547)]/0.10 = \$1,746,077$ Petroleum-based alternative has a larger profit.

5.30

5.31

$CC = 100,000 + 100,000/0.08 = \$1,350,000$
 $CC_{pipe} = -225,000,000 10,000,000/0.10 [50,000,000(A/F, 10\%, 40)]/0.10 = -225,000,000 10,000,000/0.10 [50,000,000(0.00226)]/0.10 = \$-326,130,000$
 $CC_{canal} = -350,000,000 500,000/0.10 = \$-355,000,000$ Build the pipeline

5.32

5.33 $CCE = [-200,000(A/P, 3\%, 8) + 30,000 + 50,000(A/F, 3\%, 8)]/0.03 = [-200,000(0.14246) + 30,000 + 50,000(0.11246)]/0.03 = \$237,700$
 $CCF = [-300,000(A/P, 3\%, 16) + 10,000 + 70,000(A/F, 3\%, 16)]/0.03 = [-300,000(0.07961) + 10,000 + 70,000(0.04961)]/0.03 = \$-347,010$
 $CCG = -900,000 + 40,000/0.03 = \$433,333$ Select alternative G. Chapter 5 6

5.34 No-return payback refers to the time required to recover an investment at $i = 0\%$. 5.35 The alternatives that have large cash flows beyond the date where other alternatives recover their investment might actually be more attractive over the entire lives of the alternatives (based on PW, AW, or other evaluation methods). 5.36 $0 = -40,000 + 6000(P/A, 8\%, n) + 8000(P/F, 8\%, n)$ Try $n = 9$: $0 + 1483$ Try $n = 8$: $0 - 1198$ n is between

8 and 9 years $5.370 = -22,000 + (3500/2000)(P/A, 4\%, n)$ $(P/A, 4\%, n) = 14.6667$ n is between 22 and 23 quarters or 5.75 years $5.380 = -70,000 + (14,000/1850)(P/A, 10\%, n)$ $(P/A, 10\%, n) = 5.76132$ n is between 9 and 10; therefore, it would take 10 years. 5.39 (a) $n = 35,000/(22,000 - 17,000) = 7$ years (b) $0 = -35,000 + (22,000/17,000)(P/A, 10\%, n)$ $(P/A, 10\%, n) = 7.0000$ n is between 12 and 13; therefore, $n = 13$ years. 5.40 $250,000/500n + 250,000(1 + 0.02)^n = 100,000$ Try $n = 18$: $98,062 < 100,000$ Try $n = 19$: $104,703 > 100,000$ n is 18.3 months or 1.6 years. 5.41 Payback: Alt A: $0 = -300,000 + 60,000(P/A, 8\%, n)$ $(P/A, 8\%, n) = 5.0000$ n is between 6 and 7 years Alt B: $0 = -300,000 + 10,000(P/A, 8\%, n) + 15,000(P/G, 8\%, n)$ Try $n = 7$: $0 > -37,573$ Try $n = 8$: $0 < +24,558$ n is between 7 and 8 years Select A Chapter 5 7

PW for 10 yrs: Alt A: $PW = -300,000 + 60,000(P/A, 8\%, 10) = -300,000 + 60,000(6.7101) = \$102,606$ Alt B: $PW = -300,000 + 10,000(P/A, 8\%, 10) + 15,000(P/G, 8\%, 10) = -300,000 + 10,000(6.7101) + 15,000(25.9768) = \$156,753$ Select B Income for Alt B increases rapidly in later years, which is not accounted for in payback analysis. 5.42 $LCC = -6.6 \cdot 3.5(P/F, 7\%, 1) \cdot 2.5(P/F, 7\%, 2) \cdot 9.1(P/F, 7\%, 3) \cdot 18.6(P/F, 7\%, 4) - 21.6(P/F, 7\%, 5) - 17(P/A, 7\%, 5)(P/F, 7\%, 5) \cdot 14.2(P/A, 7\%, 10)(P/F, 7\%, 10) - 2.7(P/A, 7\%, 3)(P/F, 7\%, 17) = -6.6 \cdot 3.5(0.9346) \cdot 2.5(0.8734) \cdot 9.1(0.8163) \cdot 18.6(0.7629) - 21.6(0.7130) - 17(4.1002)(0.7130) \cdot 14.2(7.0236)(0.5083) - 2.7(2.6243)(0.3166) = \$-151,710,860$ 5.43 $LCC = 2.6(P/F, 6\%, 1) \cdot 2.0(P/F, 6\%, 2) \cdot 7.5(P/F, 6\%, 3) \cdot 10.0(P/F, 6\%, 4) - 6.3(P/F, 6\%, 5) \cdot 1.36(P/A, 6\%, 15)(P/F, 6\%, 5) - 3.0(P/F, 6\%, 10) - 3.7(P/F, 6\%, 18) = 2.6(0.9434) \cdot 2.0(0.8900) \cdot 7.5(0.8396) \cdot 10.0(0.7921) - 6.3(0.7473) \cdot 1.36(9.7122)(0.7473) - 3.0(0.5584) - 3.7(0.3503) = \$-36,000,921$ 5.44 $LCCA = -750,000(6000 + 2000)(P/A, 0.5\%, 240) \cdot 150,000[(P/F, 0.5\%, 60) + (P/F, 0.5\%, 120) + (P/F, 0.5\%, 180)] = -750,000(8000)(139.5808) \cdot 150,000[(0.7414) + (0.5496) + (0.4075)] = \$-2,121,421$ $LCCB = -1.1(3000 + 1000)(P/A, 0.5\%, 240) = -1.1(4000)(139.5808) = \$-1,658,323$ Select proposal B. 5.45 $LCCA = -250,000 \cdot 150,000(P/A, 8\%, 4) \cdot 45,000 \cdot 35,000(P/A, 8\%, 2) - 50,000(P/A, 8\%, 10) \cdot 30,000(P/A, 8\%, 5) = -250,000 \cdot 150,000(3.3121) \cdot 45,000 \cdot 35,000(1.7833) - 50,000(6.7101) \cdot 30,000(3.9927) = \$-1,309,517$ Chapter 5 8

$LCCB = -10,000 \cdot 45,000 - 30,000(P/A, 8\%, 3) \cdot 80,000(P/A, 8\%, 10) - 40,000(P/A, 8\%, 10) = -10,000 \cdot 45,000 - 30,000(2.5771) \cdot 80,000(6.7101) - 40,000(6.7101) = \$-937,525$ $LCCC = -175,000(P/A, 8\%, 10) = -175,000(6.7101) = \$-1,174,268$ Select alternative B. 5.46 $I = 10,000(0.06)/4 = \$150$ every 3 months 5.47 $800 = (V)(0.04)/2$ $V = \$40,000$ 5.48 $1500 = (20,000)(b)/2$ $b = 15\%$ 5.49 Bond interest rate and market interest rate are the same. Therefore, $PW = \text{face value} = \$50,000$. 5.50 $I = (50,000)(0.04)/4 = \$500$ every 3 months $PW = 500(P/A, 2\%, 60) + 50,000(P/F, 2\%, 60) = 500(34.7609) + 50,000(0.3048) = \$32,620$ 5.51 There are 17 years or 34 semiannual periods remaining in the life of the bond. $I = 5000(0.08)/2 = \$200$ every 6 months $PW = 200(P/A, 5\%, 34) + 5000(P/F, 5\%, 34) = 200(16.1929) + 5000(0.1904) = \4190.58 5.52 $I = (V)(0.07)/2$ $201,000,000 = I(P/A, 4\%, 60) + V(P/F, 4\%, 60)$ Try $V = 226,000,000$: $201,000,000 > 200,444,485$ Try $V = 227,000,000$: $201,000,000 < 201,331,408$ By interpolation, $V = \$226,626,340$ Chapter 5 9

5.53 (a) $I = (50,000)(0.12)/4 = \$1500$ Five years from now there will be $15(4) = 60$ payments left. PW_5 then is: $PW_5 = 1500(P/A, 2\%, 60) + 50,000(P/F, 2\%, 60) = 1500(34.7609) + 50,000(0.3048) = \$67,381$ (b) $\text{Total} = 1500(F/A, 3\%, 20) + 67,381 = 1500(26.8704) + 67,381 = \$107,687$ [PW in year 5 from (a)]

FE Review Solutions 5.54 Answer is (b) 5.55 $PW = 50,000 + 10,000(P/A, 10\%, 15) + [20,000/0.10](P/F, 10\%, 15) = \$173,941$ Answer is (c) 5.56 $CC = [40,000/0.10](P/F, 10\%, 4) = \$273,200$ Answer is (c) 5.57 $CC = [50,000/0.10](P/F, 10\%, 20)(A/F, 10\%, 10) = \4662.33 Answer is (b) 5.58 $PWX = -66,000 \cdot 10,000(P/A, 10\%, 6) + 10,000(P/F, 10\%, 6) = -66,000 \cdot 10,000(4.3553) + 10,000(0.5645) = \$-103,908$ Answer is (c) 5.59 $PWY = -46,000 \cdot 15,000(P/A, 10\%, 6) - 22,000(P/F, 10\%, 3) + 24,000(P/F, 10\%, 6) = -46,000 \cdot 15,000(4.3553) - 22,000(0.7513) + 24,000(0.5645) = \$-114,310$ Answer is (d) 5.60 $CCX = [-66,000(A/P, 10\%, 6) \cdot 10,000 + 10,000(A/F, 10\%, 6)]/0.10 = [-66,000(0.22961) \cdot 10,000 + 10,000(0.12961)]/0.10 = \$-238,582$ Answer is (d) Chapter 5 10

5.61 $CC = -10,000(A/P, 10\%, 5)/0.10 = -10,000(0.26380)/0.10 = \$-26,380$ Answer is (b) 5.62 Answer is (c) 5.63 Answer is (b) 5.64 Answer is (a) 5.65 Answer is (b)

Extended Exercise Solution Microsoft Excel

Questions 1, 3 and 4:

File Edit View Insert Format Tools Data Window Help QI Macros

B

U

hi037

BH

,

El C5 Ext Exer solnA C D E F G H I J K

12 3 i

Rate =

S.QQ\

tt romsinqAge61 25 Reduced

Future worth Reduced Normal

Future worth Normal

Future worth

Spousalbenefits

Higher

Higher

5 6 78 9

62 63 6465 66

24 23 2221 20

1 % 1 j % t t 1 j % t 1 % 1 j % t

13.500 13.500 13.500 13.500 13.500 13,500 13.500 13.500 13.500 13.500 13,500 13.500 13.500 13.500 13.500 13,500

1 1 1 t % 1 t 1 j %

13.500 2S.Q6Q 43.626 60.S33 79.199 99,035 120.458 143.594 168.582 195.569 18.000 13,000 % 1 18.000 37,440 58,435 81,110
105,599 132,047 160,610 191,459 224,776 260,758 299,619 341.588 386,915 435,869 488,738 545,837 607,504 674,104 746.033
823.715 t t t 19.200 19,200 19.200 19.200 19.200

10 11 1213 14 15

67 66 6970 71 72

19 18 1716 15 14

18,000 18,000 18,00018,000 18,000

16 17 1819 20

73 74 7576 77

13 12 1110 9

t 224,714 1 256.191 % 290.187

18,000 18.000 18.00018,000 18,000

21 22 2324 25 26

78 79 8081 82 83

8 7 65 4 3

27 2829 30 31

84 85Total FW

2 1

t 13,500 1 13.500 j 13.500 % 13.500 t 13,500 1 13.500 % 13.500 t 901.32*

t t % t t 1 j % t 1 %

326,901 366,554 409.37S 455,628 505,578 559.525 617.787 680.709 748,666 822.059 901.324 t

18,000 18,000 18,00018,000 18,000

18,000 18.000 18.000 823.715

t t t t t t t t 1 t t t t t (1 t

J J i

23,400

t

23,400

tt

J J Jt

23,400 23,400 23,400 23,400 23,400 23,400

J J J J i J J J

—

23,400 23,400 23,400 23,400 23,400 23,400 23,400 23,400

tt1 t1 j1 tt1 (%t1

48,672 75,966 105,443 137,278 171,661 208,794 248,597 292,209 338,986 389,504 444,065 502,990 566,629 635,359

ttttttttttjtt

19,200 19,200 19,200 19,200 19,200 19,200 19,200 19,200

19,200 19,200 19,200

19,200 19,200 19,200 19,200 19,200

l

23!400

t 709.555

709.588 t PV now of jpouje benefits : FW at age 85 of jpouje benefits

(27.526 (878.630

32 33 34 35 36 37

Solutions:

1:FW of reduced = 1901.324 Ml: FW of normal = 1823.715 B1:FW of higher = 1709.588

tt3: PW for jpouje = 127.526

B4: FW for ;pouje = 1878,630

4

I I 4

(130,000)70,000

\$(130,000)

Draw -

& t> rtiAutoShaoes- \. \j

I

I Draw

\\

~

\

MA\lj:_.

i in r

IBSI r-i c r- _i.

Chapter 5

11

Question 2:E3 Microsoft Excel

J File Edit View Insert Format Tools Data Window Help QI Macros10 B U

mm mm

mmJ24C5 - EKt Exer solnA_

16 &

L

B

C #2

D

E

F

G

H

1

Extended Exercise: Question

910CD CD

860

8

0

760710

EtO 610510

460410=5

360 3 0

260210

160

11061J 0

60

65

70

75

80

85

Age Reduced -- Normal - Higher23

24

HN IA

IM Future Worth >, FW Graph / Sheet3 / Sheet4 / Sheets / Sheet6 / Sheet: \$200.000

35.00035.000

\$\$

70.00070.000

\$\$

\$\$ \$

70.00070.000 70.000

70.00070,000 70.000 70.000

\$(130,000)

\$s

2526

aur Retain or

\$

IS \$s

Microsoft Erreel

SSvO i

t

.?iS !

6:27 PM

Chapter 9

5

9.15

1.7 = 150,000 M&O costs $\frac{1,000,000(A/P, 6\%, 30)}{1.7} = 150,000$ M&O costs $\frac{1,000,000(0.07265)}{1.7}$ M&O costs = \$26,495 per year

9.16 Convert all estimates to PW values. PW disbenefits = $45,000(P/A, 6\%, 15) = 45,000(9.7122) = \$437,049$ PW M&O Cost = $300,000(P/A, 6\%, 15) = 300,000(9.7122) = \$2,913,660$ B/C = $\frac{3,800,000 - 437,049}{2,200,000 + 2,913,660} = \frac{3,362,951}{5,113,660} = 0.66$

9.17 (a) AW of Cost = $30,000,000(0.08) + 100,000 = \$2,500,000$ per year B/C = $\frac{2,800,000}{2,500,000}$ Construct the dam. (b) Calculate the CC of the initial cost to obtain AW for denominator. = 1.12

B/C =

1.12

B/C = $\frac{(2,800,000)}{(100,000 + 30,000,000 * (0.08))}$

Chapter 9

6

9.18 AW = C = $2,200,000(0.12) + 10,000 + 65,000(A/F, 12\%, 15) = 264,000 + 10,000 + 65,000(0.02682) = \$275,743$ Annual Benefit = B = $90,000 - 10,000 = \$80,000$ B/C = $\frac{80,000}{275,743} = 0.29$ Since B/C < 1.0, the dam should not be constructed. 9.19 Calculate the AW of initial

cost, then the 3 B/C measures of worth. The roadway should not be built. Microsoft Excel - Prob 9.19

lj File Edit View Insert Format Tools Data Window Help b / u-

-

Источник: <https://dokumen.tips/documents/ingenieria-economica-solutions-manual-leland-blank-anthony-tarquin-6th-edition.html> \$\$

70.000 70.000 70.000 70.000

70.000 70,000 70.000 70.000

\$

(65.000) 35.000 35.000

\$\$

70.000 70.000 70.000

\$\$ *

13 14 15 16

c

*

\$

\$

\$\$

la

2021

\$ *

35.000 (65.000) 35.000 35.000

\$ (130.000) \$ 70.000 \$ 70.000 70.000

\$ \$\$ *

I (185.000) \$(130,000) \$135.000 35.000 35.000 35.000 35.000

[gMiciooff Eicel

\ Q $i^{**} = 28.71\%$. The table in Section 7.5 of Blank and Tarquin suggests that the composite rate i' should be greater than 28.71% . However the effect from $1^{*2} = 48.25\%$ may cause the composite rate to be $> 35\%$. Use the procedure in the case study to find a composite rate without having to solve a polynomial equation. 45 Step 1: It was performed above in finding the two 1^{*} roots., ,

46

Step 2; Make an initial guess of the composite rate; for example a value less than 35% or greater than 35% may be tried. Guess the composite rate of 33% and follow the project net investment procedure from $t = 1$ to $t = 10$. If $F_{10} < 0$ then the guessed value is too large. 5U Another value is then tried and the procedure is repeated till $F_{10} > 0$. Now Interpolate to find the rate i' that makes F_{10} close to zero. This trial and error scheme is done conveniently on the spreadsheet. 48, ,

47

112; 123 But, if $i^{*k-1} < c < i^{*k}$ and $m > 2$, then i' can be $< \text{or} > c$ and $i^{*k-1} < i' < i^{*k}$.

121 [Step 2. From the given c and the two r values closest to the c (arbitrarily called i^{*k-1} and i^{*k} . $k = 5, 3$

m),

124 Step 3. Guess a starting value for i' according to the situation. Try to find two values of i' such that $F_n < 0$ and $F_n \geq 0$. 125 Step 4. Interpolate or tweak the F_n until it is approximately zero. The corresponding i' is the solution. 126

127 4) Use the same procedure as in part (1) with $c = 35\%$ then with $c = 45\%$. Then place the F value in the appropriate year 128 as the cashflow. Use the IRR function to determine i^* (which will be i) for the remaining cashflows. 129 For $c = 35\%$, determine F_1 through F_4 ;

130 131 132 133 134 135

$F_1 = 200$; $F_2 = 200(1.35) + 100 = 370$; $F_3 = 370(1.35) + 50 = 549.50$ $F_4 = 549.50(1.35) - 1800 = -1058.18$; now enter this value as the cash flow in year 4. Year 0 1

Cashflow-

1058.18

600 500 400 300

33.45%

Same as above.

136 137 138 139 140

56

200

100

MMDraw -

MIXProbleWAutoShapes .

hi

I

\\

o 3 41 \>\\Proh\enz\Draw AutoShapes \\\ Oi 1 j A.s

hi

MI

gQ

Chapter 7

17

Chapter 8 Rate of Return Analysis: Multiple Alternatives Solutions to Problems 8.1 (a) The rate of return on the increment has to be larger than 18%. (b) The rate of return on the increment has to be smaller than 10%. 8.2 Overall ROR: $30,000(0.20) + 70,000(0.14) = 100,000(x)$ $x = 15.8\%$ 8.3 There is no income associated with service alternatives. Therefore, the only way to obtain a rate of return is on the increment of investment. 8.4 The rate of return on the increment of investment is less than 0. 8.5 By switching the position of the two cash flows, the interpretation changes completely. The situation would be similar to receiving a loan in the amount of the difference between the two alternatives if the lower cost alternative is selected. The rate of return would represent the interest paid on the loan. Since it is higher than what the company would consider attractive (i.e., 15% or less), the loan should not be accepted. Therefore, select the alternative with the higher initial investment, A. 8.6 (a) Both processors should be selected because the rate of return on both exceeds the company's MARR. (b) The microwave model should be selected because the rate of return on increment of investment between the two is greater than 23%. 8.7 (a) Incremental investment analysis is not required. Alternative X should be selected because the rate of return on the increment is known to be lower than 20% (b) Incremental investment analysis is not required because only Alt Y has ROR greater than the MARR (c) Incremental investment analysis is not required. Neither alternative should be selected because neither one has a ROR greater than the MARR. (d) The ROR on the increment is less than 26%, but an incremental investment analysis is required to determine if the rate of return on the increment equals or exceeds the MARR of 20% (e) Incremental investment analysis is not required because it is known that the ROR on the increment is greater than 22%.

Chapter 8

1

8.8 Overall ROR: $100,000(i) = 30,000(0.30) + 20,000(0.25) + 50,000(0.20)$ $i = 24\%$ 8.9 (a) Size of investment in Y = 50,000 20,000 = \$30,000 (b) $30,000(i) + 20,000(0.15) = 50,000(0.40)$ $i = 56.7\%$ 8.10 Year 0 1 2 3 4 5 6 8.11 Machine A -15,000 -1,600 -1600 -15,000 1600 + 3000 -1600 -1600 + 3000 1600 Machine B -25,000 -400 -400 -400 -400 -400 + 6000 400 BA -10,000 +1200 +1200 +13,200 +1200 +1200 +4200

The incremental cash flow equation is $0 = -65,000 + x(P/A, 25\%, 4)$, where x is the difference in the operating costs of the processes. $x = 65,000/2.3616 = \$27,524$ Operating cost of process B = 60,000 27,524 = \$32,476

8.12

The one with the higher initial investment should be selected because it yields a rate of return that is acceptable, that is, the MARR. (a) Find rate of return on incremental cash flow. $0 = -3000 200(P/A, i, 3) + 4700(P/F, i, 3)$ $i = 10.4\%$ (Excel) (b) Incremental ROR is less than MARR; select Ford.

8.13

8.14

(a) $0 = -200,000 + 50,000(P/A, i, 5) + 130,000(P/F, i, 5)$ Solve for i by trial and error or Excel $i = 20.3\%$ (Excel) (b) $i > \text{MARR}$; select process Y.

Chapter 8

2

8.15 $0 = -25,000 + 4000(P/A, i, 6) + 26,000(P/F, i, 3) 39,000(P/F, i, 4) + 40,000(P/F, i, 6)$ Solve for i by trial and error or Excel $i = 17.4\%$ (Excel) $i > \text{MARR}$; select machine requiring extra investment: variable speed 8.16 $0 = -10,000 + 1200(P/A, i, 4) + 12,000(P/F, i, 2) + 1000(P/F, i, 4)$ Solve for i by trial and error or Excel $i = 30.3\%$ (Excel) Select machine B. 8.17 $0 = -17,000 + 400(P/A, i, 6) + 17,000(P/F, i, 3) + 1700(P/F, i, 6)$ Solve for i by trial and error or Excel $i = 6.8\%$ (Excel) Select alternative P. 8.18 $0 = -90,000 + 10,000(P/A, i, 3) + 20,000(P/A, i, 6) (P/F, i, 3) + 5000(P/F, i, 10)$ Solve for i by trial and error or Excel $i = 10.5\%$ (Excel) $i < \text{MARR}$; select alternative J. 8.19 Find P to yield exactly 50% and the take difference. $0 = -P + 400,000(P/F, i, 1) + 600,000(P/F, i, 2) + 850,000(P/F, i, 3)$ $P = 400,000(0.6667) + 600,000(0.4444) + 850,000(0.2963) = \$785,175$ Difference = 900,000 785,175 = \$114,825 8.20 Let x = M & O costs. Perform an incremental cash flow analysis. $0 = -75,000 + (-x + 50,000)(P/A, 20\%, 5) + 20,000(P/F, 20\%, 5)$ $0 = -75,000 + (-x + 50,000)(2.9906) + 20,000(0.4019)$ $x = \$27,609$ M & O cost for S = \$-27,609

Chapter 8

3

8.21 $0 = -22,000(A/P, i, 9) + 4000 + (12,000 4000)(A/F, i, 9)$ Solve for i by trial and error or Excel $i = 14.3\%$ (Excel) $i > \text{MARR}$; select alternative N 8.22 Find ROR for incremental cash flow over LCM of 4 years $0 = -50,000(A/P, i, 4) + 5000 + (40,000 5000)(P/F, i, 2)(A/P, i, 4) + 2000(A/F, i, 4)$ Solve for i by trial and error or Excel $i = 6.1\%$ (Excel) $i < \text{MARR}$; select semiautomatic machine 8.23 $0 = -62,000(A/P, i, 24) + 4000 + (10,000 4000)(A/F, i, 24)$ Solve for i by trial and error or Excel $i = 4.2\%$ per month is $> \text{MARR} = 2\%$ per month Select alternative Y 8.24 $0 = -40,000(A/P, i, 10) + 8500 500(A/G, i, 10)$ Solve for i by trial and error or Excel $i = 10.5\%$ is $< \text{MARR} = 17\%$ (Excel) Select Z1 8.25 Find ROR on increment of investment. $0 = -500,000(A/P, i, 10) + 60,000$ $i = 3.5\% < \text{MARR}$ Select design 1A 8.26 Develop a cash flow tabulation. Year 0 1 2 3 Lease, \$ -108,000 -108,000 -108,000 0 Build, \$ -50,000 270,000 0 0 +55,000 + 60,000 B L, \$ -212,000 +108,000 +108,000 +115,000

(Excel)

$0 = -212,000(A/P, i, 3) + 108,000 + (115,000 - 108,000) (A/F, i, 3)$ Chapter 8 4

Solve for i by trial and error or Excel $i = 25.8\% < \text{MARR}$ Lease space 8.27 Select the one with the lowest initial investment cost because none of the increments were justified. 8.28 (a) A vs DN: $0 = -30,000(A/P, i, 8) + 4000 + 1000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 2.1\%$ (Excel) Method A is not acceptable B vs DN: $0 = -36,000(A/P, i, 8) + 5000 + 2000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 3.4\%$ (Excel) Method B is not acceptable C vs DN: $0 = -41,000(A/P, i, 8) + 8000 + 500(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 11.3\%$ (Excel) Method C is acceptable D vs DN: $0 = -53,000(A/P, i, 8) + 10,500 - 2000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 11.1\%$ (Excel) Method D is acceptable (b) A vs DN: $0 = -30,000(A/P, i, 8) + 4000 + 1000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 2.1\%$ (Excel) Eliminate A B vs DN: $0 = -36,000(A/P, i, 8) + 5000 + 2000(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 3.4\%$ (Excel) Eliminate B C vs DN: $0 = -41,000(A/P, i, 8) + 8000 + 500(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 11.3\%$ (Excel) Eliminate DN (Excel)

Chapter 8

5

C vs D: $0 = -12,000(A/P, i, 8) + 2,500 - 2500(A/F, i, 8)$ Solve for i by trial and error or Excel $i = 10.4\%$ (Excel) Eliminate D Select method C 8.29 Rank alternatives according to increasing initial cost: 2, 1, 3, 5, 4 1 vs 2: $0 = -3000(A/P, i, 5) + 1500 (A/P, i, 5) = 0.5000$ $i = 41.0\%$ (Excel) Eliminate 2 3 vs 1: $0 = -3500(A/P, i, 5) + 1000 (A/P, i, 5) = 0.2857$ $i = 13.2\%$ (Excel) Eliminate 3 5 vs 1: $0 = -10,000(A/P, i, 5) + 2500 (A/P, i, 5) = 0.2500$ $i = 7.9\%$ (Excel) Eliminate 5 4 vs 1: $0 = -17,000(A/P, i, 5) + 6000 (A/P, i, 5) = 0.3529$ $i = 22.5\%$ (Excel) Eliminate 1 Select machine 4 8.30 Alternatives are revenue alternatives. Therefore, add DN (a) DN vs 8: $0 = -30,000(A/P, i, 5) + (26,500 14,000) + 2000(A/F, i, 5)$ Solve for i by trial and error or Excel $i = 31.7\%$ (Excel) Eliminate DN 8 vs 10: $0 = -4000(A/P, i, 5) + (14,500 12,500) + 500(A/F, i, 5)$ Solve for i by trial and

error or Excel $i = 42.4\%$ (Excel) Eliminate 8 10 vs 15: $0 = -4000(A/P, i, 5) + (15,500 - 14,500) + 500(A/F, i, 5)$ Solve for i by trial and error or Excel
Chapter 8 6

$i = 10.9\%$ (Excel) Eliminate 15 10 vs 20: $0 = -14,000(A/P, i, 5) + (19,500 - 14,500) + 1000(A/F, i, 5)$ Solve for i by trial and error or Excel $i = 24.2\%$ (Excel) Eliminate 10 20 vs 25: $0 = -9000(A/P, i, 5) + (23,000 - 19,500) + 1100(A/F, i, 5)$ Solve for i by trial and error or Excel $i = 29.0\%$ (Excel) Eliminate 20 Purchase 25 m³ truck (b) For second truck, purchase truck that was eliminated next to last: 20 m³ 8.31 (a) Select all projects whose ROR > MARR of 15%. Select A, B, and C (b) Eliminate alternatives with ROR < MARR; compare others incrementally: Eliminate D and E Rank survivors according to increasing first cost: B, C, A B vs C: $i = 800/5000 = 16\% > \text{MARR}$ C vs A: $i = 200/5000 = 4\% < \text{MARR}$ Select project C 8.32 (a) All machines have ROR > MARR of 12% and all increments of investment have ROR > MARR. Therefore, select machine 4. (b) Machines 2, 3, and 4 have ROR greater than 20%. Increment between 2 and 3 is justified, but not increment between 3 and 4. Therefore, select machine 3. 8.33 (a) Select A and C. (b) Proposal A is justified. A vs B yields 1%, eliminate B; A vs C yields 7%, eliminate C; A vs D yields 10%, eliminate A. Therefore, select proposal D (c) Proposal A is justified. A vs B yields 1%, eliminate B; A vs C yields 7%, eliminate C; A vs D yields 10%, eliminate D. Therefore, select proposal A

Eliminate B

Eliminate A

Chapter 8

7

8.34 (a) Find ROR for each increment of investment: E vs F: $20,000(0.20) + 10,000(i) = 30,000(0.35)$ $i = 65\%$ E vs G: $20,000(0.20) + 30,000(i) = 50,000(0.25)$ $i = 28.3\%$ E vs H: $20,000(0.20) + 60,000(i) = 80,000(0.20)$ $i = 20\%$ F vs G: $30,000(0.35) + 20,000(i) = 50,000(0.25)$ $i = 10\%$ F vs H: $30,000(0.35) + 50,000(i) = 80,000(0.20)$ $i = 11\%$ G vs H: $50,000(0.25) + 30,000(i) = 80,000(0.20)$ $i = 11.7\%$ (b) Revenue = A = P*i* E: A = $20,000(0.20) = \$4000$ F: A = $30,000(0.35) = \$10,500$ G: A = $50,000(0.25) = \$12,500$ H: A = $80,000(0.20) = \$16,000$ (c) Conduct incremental analysis using results from part (a): E vs DN: $i = 20\% > \text{MARR}$ eliminate DN E vs F: $i = 65\% > \text{MARR}$ eliminate E F vs G: $i = 10\% < \text{MARR}$ eliminate G F vs H: $i = 11\% < \text{MARR}$ eliminate H Therefore, select Alternative F (d) Conduct incremental analysis using results from part (a). E vs DN: $i = 20\% > \text{MARR}$, eliminate DN E vs F: $i = 65\% > \text{MARR}$, eliminate E F vs G: $i = 10\% < \text{MARR}$, eliminate G F vs H: $i = 11\% = \text{MARR}$, eliminate F Select alternative H (e) Conduct incremental analysis using results from part (a). E vs DN: $i = 20\% > \text{MARR}$, eliminate DN E vs F: $i = 65\% > \text{MARR}$, eliminate E F vs G: $i = 10\% < \text{MARR}$, eliminate G F vs H: $i = 11\% < \text{MARR}$, eliminate H
Chapter 8 8

Select F as first alternative; compare remaining alternatives incrementally. E vs DN: $i = 20\% > \text{MARR}$, eliminate DN E vs G: $i = 28.3\% > \text{MARR}$, eliminate E G vs H: $i = 11.7\% < \text{MARR}$, eliminate H Therefore, select alternatives F and G 8.35 (a) ROR for F: $10,000(0.25) + 15,000(0.20) = 25,000(i)$ $i = 22\%$ ROR for G: $25,000(0.22) + 5000(0.04) = 30,000(i)$ $i = 19\%$ Increment between E and G: $10,000(0.25) + 20,000(i) = 30,000(0.19)$ $i = 16\%$ Increment between E and H: $10,000(0.25) + 50,000(i) = 60,000(0.30)$ $i = 31\%$

Increment between F and H: $25,000(0.22) + 35,000(i) = 60,000(0.30)$ $i = 35.7\%$ Increment between G and H: $30,000(0.19) + 30,000(i) = 60,000(0.30)$ $i = 41\%$ (b) Select all alternatives with ROR > MARR of 21%; select E, F, and H. (c) Conduct incremental analysis using results from table and part (a). E vs DN: $i = 25\% > \text{MARR}$, eliminate DN E vs F: $i = 20\% < \text{MARR}$, eliminate F E vs G: $i = 16\% < \text{MARR}$, eliminate G E vs H: $i = 31\% > \text{MARR}$, eliminate E Select alternative H. FE Review Solutions 8.36 8.37 8.38 8.39 8.40 Answer is (a) Answer is (c) Answer is (c) Answer is (b) Answer is (d)9

Chapter 8

8.41 8.42 8.43

Answer is (b) Answer is (b) Answer is (b)

Extended Exercise Solution 1. PW at 12% is shown in row 29. Select #2 ($n = 8$) with the largest PW value. 2. #1 ($n = 3$) is eliminated. It has $i^* < \text{MARR} = 12\%$. Perform an incremental analysis of #1 ($n = 4$) and #2 ($n = 5$). Column H shows $i^* = 19.49\%$. Now perform an incremental comparison of #2 for $n = 5$ and $n = 8$. This is not necessary. No extra investment is necessary to expand cash flow by three years. The i^* is infinity. It is obvious: select #2 ($n = 8$). 3. PW at $2000\% > \$0.05$. i^* is infinity, as shown in cell K45, where an error for IRR(K4:K44) is indicated. This analysis is not necessary, but shows how Excel can be used over the LCM to find a rate of return. Microsoft Excel - C8 - ext exer soln

] File Edit View Insert Format Tpol Data Window Help QI Macros

B

U

S % ,

tog

8

it

—

-

H

[H iJFIA1

B flE F

,H J K

Fill Color (Vellow)LM

EB 12/tc

MARR =

23 45

1 (n = 3)Year 01 2 Cash flow

1 (n = 4)Cash flow

#2 (n = 5)Cash flow

#2 (n = 8)Cash t'u'.'

1

\$\$

(100,000)35.000 35.000 35.000

\$\$

(100,000)35,000 35.000 35.000

\$(200,000)\$ \$ 50.000 55.000

\$(200,000)\$50.000 55.000 80.000 86.000 70.000 70.000 70.000 70.000

20 yr. CP \$ (100.000)\$ 35.000

#2(6)-to-#1(4) tt2(n=5) Incremental 20 yr. CP cash flow \$ (200.000) \$ (100.000)\$50.000 55.000 80.000

#2 (n= 5) 40 gr. CP \$(200,000)\$ \$ 50.000 55.000

\$s

#2 (n = 8) 40 yr. CP (200,000)50.000 55.000 80.000

2(8)-to-2(5) Incrementalcash flow

\$t

*

15.000 20.000 25.000

67 S

\$\$tUUIMJUUI i: j jijji

27 I Eliminate?28 Incr. i'

\$1949%.

70.000 70.000

70.000

\$

6 307 29 % \$ (15.336) \$ \$ 12.224 \$ 107.624 !.<< ! \sheet1 / Sheet2 / Sheets / Sheet4 / Sheets / Sheet6 / Sheet? / Sheets -

Ext exei 1 \$olnBC

D

E

F

G

H

I

J

K

L

"I

Interest rate 10%

1) Charles: Payment each year = (2) Beginningunrecovered

\$2,010.57

(3)=(0.1)(2) (4) = (2)+(3)

(5)

(6H4M5) Endingunrecoveredbalance

Unrscoi/eted balances, column (4)

Year0

balance

Interest

Total owed

Payment

1 21 j14 5

\$(5,000.00) \$(5,000.00) \$ (500.00) \$(5 500.00) \$2 010.57 \$(3,489.43) \$ (348.94) \$(3 838.37) \$2,010.57 \$ (1,827.79) \$ (182.78) \$
(2,010.57) \$2,010.57 \$6,031.72 \$(1,031.72), , ,

\$(5,000.00) \$(3 489.43) \$(1 827.79) \$ (0.00), ,

a

.

u

IYear-

2

j

liJ

Draw fè (tj

4:42 PM

SJ

3. $F = \{[9000(1.08) 300] (1.08)\} 500 (1.08) + (2000 1000) = \$11,227.33$ Change is 2.02%. Largest maintenance charge is in the last year and, therefore, no compound interest is accumulated by it. 4. The fastest method is to use the spreadsheet function: $FV(12.32\%, 3, 500, 9000) + 2000$ It displays the answer: $F = \$12,445.43$

Chapter 1

7

Case Study Solution There is no definitive answer to the case study exercises. The following are examples only. 1. The first four steps are: Define objective, information collection, alternative definition and estimates, and criteria for decision-making. Objective: Select the most economic alternative that also meets requirements such as production rate, quality specifications, manufacturability for design specifications, etc. Information: Each alternative must have estimates for life (likely 10 years), AOC and other costs (e.g., training), first cost, any salvage value, and the MARR. The debt versus equity capital question must be addressed, especially if more than \$5 million is needed. Alternatives: For both A and B, some of the required data to perform an analysis are: P and S must be estimated. AOC equal to about 8% of P must be verified. Training and other cost estimates (annual, periodic, one-time) must be finalized. Confirm $n = 10$ years for life of A and B. MARR will probably be in the 15% to 18% per year range. Criteria: Can use either present worth or annual worth to select between A and B. 2. Consider these and others like them: Debt capital availability and cost Competition and size of market share required Employee safety of plastics used in processing 3. With the addition of C, this is now a make/buy decision. Economic estimates needed are: Cost of lease arrangement or unit cost, whatever is quoted. Amount and length of time the arrangement is available. Some non-economic factors may be: Guarantee of available time as needed. Compatibility with current equipment and designs. Readiness of the company to enter the market now versus later.

Chapter 1

8

Chapter 2 Factors: How Time and Interest Affect Money Solutions to Problems 2.1 1. $(F/P, 8\%, 25) = 6.8485$; 2. $(P/A, 3\%, 8) = 7.0197$; 3. $(P/G, 9\%, 20) = 61.7770$; 4. $(F/A, 15\%, 18) = 75.8364$; 5. $(A/P, 30\%, 15) = 0.30598$ $P = 140,000(F/P, 7\%, 4) = 140,000(1.3108) = \$183,512$ $F = 200,000(F/P, 10\%, 3) = 200,000(1.3310) = \$266,200$ $P = 600,000(P/F, 12\%, 4) = 600,000(0.6355) = \$381,300$ (a) $A = 225,000(A/P, 15\%, 4) = 225,000(0.35027) = \$78,811$ (b) Recall amount = $78,811/0.10 = \$788,110$ per year 2.6 $F = 150,000(F/P, 18\%, 7) = 150,000(3.1855) = \$477,825$ $P = 75(P/F, 18\%, 2) = 75(0.7182) = \53.865 million $P = 100,000((P/F, 12\%, 2) = 100,000(0.7972) = \$79,720$ $F = 1,700,000(F/P, 18\%, 1) = 1,700,000(1.18) = \$2,006,000$

2.2

2.3

2.4

2.5

2.7

2.8

2.9

Chapter 2

2.10 $P = 162,000(P/F, 12\%, 6) = 162,000(0.5066) = \$82,069$ 2.11 $P = 125,000(P/F, 14\%, 5) = 125,000(0.5149) = \$64,925$ 2.12 $P = 9000(P/F, 10\%, 2) + 8000(P/F, 10\%, 3) + 5000(P/F, 10\%, 5) = 9000(0.8264) + 8000(0.7513) + 5000(0.6209) = \$16,553$ 2.13 $P = 1,250,000(0.10)(P/F, 8\%, 2) + 500,000(0.10)(P/F, 8\%, 5) = 125,000(0.8573) + 50,000(0.6806) = \$141,193$ 2.14 $F = 65,000(F/P, 4\%, 5) = 65,000(1.2167) = \$79,086$ 2.15 $P = 75,000(P/A, 20\%, 3) = 75,000(2.1065) = \$157,988$ 2.16 $A = 1.8(A/P, 12\%, 6) = 1.8(0.24323) = \$437,814$ 2.17 $A = 3.4(A/P, 20\%, 8) = 3.4(0.26061) = \$886,074$ 2.18 $P = (280,000 - 90,000)(P/A, 10\%, 5) = 190,000(3.7908) = \$720,252$ 2.19 $P = 75,000(P/A, 15\%, 5) = 75,000(3.3522) = \$251,415$ 2.20 $F = (458 - 360)(20,000)(0.90)(F/A, 8\%, 5) = 1,764,000(5.8666) = \$10,348,682$

Chapter 2

2

2.21 $P = 200,000((P/A, 10\%, 5) = 200,000(3.7908) = \$758,160$ 2.22 $P = 2000(P/A, 8\%, 35) = 2000(11.6546) = \$23,309$ 2.23 $A = 250,000(A/F, 9\%, 3) = 250,000(0.30505) = \$76,263$ 2.24 $F = (100,000 + 125,000)(F/A, 15\%, 3) = 225,000(3.4725) = \$781,313$ 2.25 (a) 1. Interpolate between $n = 32$ and $n = 34$: $1/2 = x/0.0014$ $x = 0.0007$ $(P/F, 18\%, 33) = 0.0050$ $0.0007 = 0.0043$ 2. Interpolate between $n = 50$ and

$n = 55: 4/5 = x/0.0654 \quad x = 0.05232 \quad (A/G, 12\%, 54) = 8.1597 + 0.05232 = 8.2120$ (b) 1. $(P/F, 18\%, 33) = 1/(1+0.18)^{33} = 0.0042$ 2. $(A/G, 12\%, 54) = \{(1/0.12)^{54}/[(1+0.12)^{54} - 1]\} = 8.2143$ 2.26 (a) 1. Interpolate between $i = 18\%$ and $i = 20\%$ at $n = 20: 1/2 = x/40.06 \quad x = 20.03$ $(F/A, 19\%, 20) = 146.6280 + 20.03 = 166.658$ 2. Interpolate between $i = 25\%$ and $i = 30\%$ at $n = 15: 1/5 = x/0.5911 \quad x = 0.11822$ $(P/A, 26\%, 15) = 3.8593 \quad 0.11822 = 3.74113$

Chapter 2

(b)

1. $(F/A, 19\%, 20) = [(1 + 0.19)^{20} - 1]/0.19 = 169.6811$ 2. $(P/A, 26\%, 15) = [(1 + 0.26)^{15} - 1]/[0.26(1 + 0.26)^{15}] = 3.7261$

2.27 (a) $G = \$200$ (b) $CF_8 = \$1600$

(c) $n = 10$

2.28 (a) $G = \$5$ million (b) $CF_6 = \$6030$ million (c) $n = 12$ 2.29 (a) $G = \$100$ (b) $CF_5 = 900$ $100(5) = \$400$ 2.30 $300,000 = A + 10,000(A/G, 10\%, 5)$ $300,000 = A + 10,000(1.8101)$ $A = \$281,899$ 2.31 (a) $CF_3 = 280,000$ $2(50,000) = \$180,000$ (b) $A = 280,000$ $50,000(A/G, 12\%, 5) = 280,000$ $50,000(1.7746) = \$191,270$ 2.32 (a) $CF_3 = 4000 + 2(1000) = \6000 (b) $P = 4000(P/A, 10\%, 5) + 1000(P/G, 10\%, 5) = 4000(3.7908) + 1000(6.8618) = \$22,025$ 2.33 $P = 150,000(P/A, 15\%, 8) + 10,000(P/G, 15\%, 8) = 150,000(4.4873) + 10,000(12.4807) = \$797,902$ 2.34 $A = 14,000 + 1500(A/G, 12\%, 5) = 14,000 + 1500(1.7746) = \$16,662$ 2.35 (a) $Cost = 2000/0.2 = \$10,000$ (b) $A = 2000 + 250(A/G, 18\%, 5) = 2000 + 250(1.6728) = \2418

Chapter 2

4

2.36 Convert future to present and then solve for G using P/G factor: $6000(P/F, 15\%, 4) = 2000(P/A, 15\%, 4)$ $G(P/G, 15\%, 4) = 6000(0.5718) = 2000(2.8550)$ $G(3.7864) = \$601.94$ 2.37 $50 = 6(P/A, 12\%, 6) + G(P/G, 12\%, 6)$ $50 = 6(4.1114) + G(8.9302)$ $G = \$2,836,622$ 2.38 $A = [4 + 0.5(A/G, 16\%, 5)] [1 - 0.1(A/G, 16\%, 5)] = [4 + 0.5(1.7060)] [1 - 0.1(1.7060)] = \$4,023,600$ 2.39 For $n = 1: \{1 [(1+0.04)^1/(1+0.10)^1]\} / (0.10 - 0.04) = 0.9091$ For $n = 2: \{1 [(1+0.04)^2/(1+0.10)^2]\} / (0.10 - 0.04) = 1.7686$ For $n = 3: \{1 [(1+0.04)^3/(1+0.10)^3]\} / (0.10 - 0.04) = 2.5812$ 2.40 For $g = i$, $P = 60,000(0.1)[15/(1 + 0.04)] = \$86,538$ 2.41 $P = 25,000\{1 [(1+0.06)^3/(1+0.15)^3]\} / (0.15 - 0.06) = \$60,247$ 2.42 Find P and then convert to A . $P = 5,000,000(0.01)\{1 [(1+0.20)^5/(1+0.10)^5]\} / (0.10 - 0.20) = 50,000\{5.4505\} = \$272,525$ $A = 272,525(A/P, 10\%, 5) = 272,525(0.26380) = \$71,892$ 2.43 Find P and then convert to F . $P = 2000\{1 [(1+0.10)^7/(1+0.15)^7]\} / (0.15 - 0.10) = 2000(5.3481) = \$10,696$ $F = 10,696(F/P, 15\%, 7) = 10,696(2.6600) = \$28,452$ 2.44 First convert future worth to P , then use P/g equation to find A . $P = 80,000(P/F, 15\%, 10) = 80,000(0.2472) = \$19,776$

Chapter 2

5

$19,776 = A\{1 [(1+0.09)^{10}/(1+0.15)^{10}]\} / (0.15 - 0.09)$ $19,776 = A\{6.9137\}$ $A = \$2860$ 2.45 Find A in year 1 and then find next value. $900,000 = A\{1 [(1+0.05)^5/(1+0.15)^5]\} / (0.15 - 0.05)$ $900,000 = A\{3.6546\}$ $A = \$246,263$ in year 1 $Cost$ in year 2 = $246,263(1.05) = \$258,576$ 2.46 $g = i$: $P = 1000[20/(1 + 0.10)] = 1000[18.1818] = \$18,182$ 2.47 Find P and then convert to F . $P = 3000\{1 [(1+0.05)^4/(1+0.08)^4]\} / (0.08 - 0.05) = 3000\{3.5522\} = \$10,657$ $F = 10,657(F/P, 8\%, 4) = 10,657(1.3605) = \$14,498$ 2.48 Decrease deposit in year 4 by 5% per year for three years to get back to year 1. First deposit = $1250/(1 + 0.05)^3 = \$1079.80$

2.49 Simple: $Total\ interest = (0.12)(15) = 180\%$ Compound: $1.8 = (1 + i)^{15}$ $i = 4.0\%$ 2.50 Profit/year = $6(3000)/0.05 = \$360,000$ $1,200,000 = 360,000(P/A, i, 10)$ $(P/A, i, 10) = 3.3333$ $i = 27.3\%$ (Excel) 2.51 $2,400,000 = 760,000(P/A, i, 5)$ $(P/A, i, 5) = 3.15789$ $i = 17.6\%$ (Excel) 2.52 $1,000,000 = 600,000(F/P, i, 5)$ $(F/P, i, 5) = 1.6667$ $i = 10.8\%$ (Excel) Chapter 2 6

2.53 $125,000 = (520,000 - 470,000)(P/A, i, 4)$ $(P/A, i, 4) = 2.5000$ $i = 21.9\%$ (Excel) 2.54 $400,000 = 320,000 + 50,000(A/G, i, 5)$ $(A/G, i, 5) = 1.6000$ Interpolate between $i = 22\%$ and $i = 24\%$ $i = 22.6\%$ 2.55 $85,000 = 30,000(P/A, i, 5) + 8,000(P/G, i, 5)$ Solve for i by trial and error or spreadsheet: $i = 38.9\%$ (Excel) 2.56 $500,000 = 75,000(P/A, 10\%, n)$ $(P/A, 10\%, n) = 6.6667$ From 10% table, n is between 11 and 12 years; therefore, $n = 11$ years 2.57 $160,000 = 30,000(P/A, 12\%, n)$ $(P/A, 12\%, n) = 5.3333$ From 12% table, n is between 9 and 10 years; therefore, $n = 10$ years 2.58 $2,000,000 = 100,000(P/A, 4\%, n)$ $(P/A, 4\%, n) = 20.000$ From 4% table, n is between 40 and 45 years; by spreadsheet, $42 > n > 41$ Therefore, $n = 41$ years 2.59 $1,500,000 = 3,000,000(P/F, 20\%, n)$ $(P/F, 20\%, n) = 0.5000$ From 20% table, n is between 3 and 4 years; therefore, $n = 4$ years 2.60 $100,000 = 1,600,000(P/F, 18\%, n)$ $(P/F, 18\%, n) = 0.0625$ From 18% table, n is between 16 and 17 years; therefore, $n = 17$ years 2.61 $10A = A(F/A, 10\%, n)$ $(F/A, 10\%, n) = 10.000$ From 10% table, n is between 7 and 8 years; therefore, $n = 8$ years

Chapter 2

7

2.62

$1,000,000 = 10,000\{1 [(1+0.10)^n/(1+0.07)^n]\} / (0.07 - 0.10)$ By trial and error, n is between 50 and 51; therefore, $n = 51$ years $12,000 = 3000 + 2000(A/G, 10\%, n)$ $(A/G, 10\%, n) = 4.5000$ From 10% table, n is between 12 and 13 years; therefore, $n = 13$ years

2.63

FE Review Solutions 2.64 $P = 61,000(P/F, 6\%, 4) = 61,000(0.7921) = \$48,318$ Answer is (c) 2.65 $160 = 235(P/F, i, 5)$ $(P/F, i, 5) = 0.6809$ From tables, $i = 8\%$ Answer is (c) 2.66 $23,632 = 3000\{1 - [(1+0.04)^n / (1+0.06)^n]\} / (0.06-0.04)$ $[(23,632 \cdot 0.02) / 3000] - 1 = (0.98113)^n \log 0.84245 = n \log 0.98113$ $n = 9$ Answer is (b)

2.67 $109,355 = 7(P/A, i, 25)$ $(P/A, i, 25) = 15.6221$ From tables, $i = 4\%$ Answer is (a) 2.68 $A = 2,800,000(A/F, 6\%, 10) = \$212,436$ Answer is (d) 2.69 $A = 10,000,000((A/P, 15\%, 7) = \$2,403,600$ Answer is (a) 2.70 $P = 8000(P/A, 10\%, 10) + 500(P/G, 10\%, 10) = 8000(6.1446) + 500(22.8913) = \$60,602.45$ Answer is (a) Chapter 2 8

2.71 $F = 50,000(F/P, 18\%, 7) = 50,000(3.1855) = \$159,275$ Answer is (b) 2.72 $P = 10,000(P/F, 10\%, 20) = 10,000(0.1486) = \1486 Answer is (d) 2.73 $F = 100,000(F/A, 18\%, 5) = 100,000(7.1542) = \$715,420$ Answer is (c) 2.74 $P = 100,000(P/A, 10\%, 5) - 5000(P/G, 10\%, 5) = 100,000(3.7908) - 5000(6.8618) = \$344,771$ Answer is (a) 2.75 $F = 20,000(F/P, 12\%, 10) = 20,000(3.1058) = \$62,116$ Answer is (a) 2.76 $A = 100,000(A/P, 12\%, 5) = 100,000(0.27741) = \$27,741$ Answer is (b)

2.77 $A = 100,000(A/F, 12\%, 3) = 100,000(0.29635) = \$29,635$ Answer is (c) 2.78 $A = 10,000(F/A, 12\%, 25) = 10,000(133.3339) = \$1,333,339$ Answer is (d) 2.79 $F = 10,000(F/P, 12\%, 5) + 10,000(F/P, 12\%, 3) + 10,000 = 10,000(1.7623) + 10,000(1.4049) + 10,000 = \$41,672$ Answer is (c) Chapter 2 9

2.80

$P = 8,000(P/A, 10\%, 5) + 900(P/G, 10\%, 5) = 8,000(3.7908) + 900(6.8618) = \$36,502$ Answer is (d)

2.81 $100,000 = 20,000(P/A, i, 10)$ $(P/A, i, 10) = 5.000$ i is between 15 and 16% Answer is (a)

2.82

$60,000 = 15,000(P/A, 18\%, n)$ $(P/A, 18\%, n) = 4.000$ n is between 7 and 8 Answer is (b)

Case Study Solution I. Manhattan Island Simple interest $n = 375$ years from 1626 2001 $P + I = P + nPi = 375(24)(.06) + 24 = P(1 + ni) = 24(1 + 375(.06)) = \564 Compound interest $F = P(F/P, 6\%, 375) = 24(3,088,157,729.0) = \$74,115,785,490$, which is \$74+ billion

II. Stock-option plan $F = ?$ after 5 years 1. Years 0 1 5

$F = ?$ after 35 years

35

Age Chapter 2

$\$50/\text{mth} = 60$ deposits 22 2710

57

2.

Value when leaving the company $F = A(F/A, 1.25\%, 60) = 50(88.5745) = \4428.73

3.

Value at age 57 ($n = 30$ years) $F = P(F/P, 15\%, 30) = 4428.73(66.2118) = \$293,234$

4.

Amount for 7 years to accumulate $F = \$293,234$ $A = F(A/F, 15\%, 7) = 293,234(.09036) = \$26,497$ per year

5.

Amount in 20s: $5(12)50 = \$3000$ Amount in 50s: $7(26,497) = \$185,479$

Chapter 2

11

Chapter 3 Combining Factors Solutions to Problems 3.1 $P = 100,000(260)(P/A, 10\%, 8)(P/F, 10\%, 2) = 26,000,000(5.3349)(0.8264) = \114.628 million 3.2 $P = 50,000(56)(P/A, 8\%, 4)(P/F, 8\%, 1) = 2,800,000(3.3121)(0.9259) = \8.587 million 3.3 $P = 80(2000)(P/A, 18\%, 3) + 100(2500)(P/A, 18\%, 5)(P/F, 18\%, 3) = 160,000(2.1743) + 250,000(3.1272)(0.6086) = \$823,691$ 3.4 $P = 100,000(P/A, 15\%, 3) + 200,000(P/A, 15\%, 2)(P/F, 15\%, 3) = 100,000(2.2832) + 200,000(1.6257)(0.6575) = \$442,100$ 3.5 $P = 150,000 + 150,000(P/A, 10\%, 5) = 150,000 + 150,000(3.7908) = \$718,620$ 3.6 $P = 3500(P/A, 10\%, 3) + 5000(P/A, 10\%, 7)(P/F, 10\%, 3) = 3500(2.4869) + 5000(4.8684)(0.7513) = \$26,992$ 3.7 $A = [0.701(5.4)(P/A, 20\%, 2) + 0.701(6.1)(P/A, 20\%, 2)(P/F, 20\%, 2)](A/P, 20\%, 4) = [3.7854(1.5278) + 4.2761(1.5278)(0.6944)](0.38629) = \3.986 billion 3.8 $A = 4000 + 1000(F/A, 10\%, 4)(A/F, 10\%, 7) = 4000 + 1000(4.6410)(0.10541) = \4489.21 3.9 $A = 20,000(P/A, 8\%, 4)(A/F, 8\%, 14) = 20,000(3.3121)(0.04130) = \2735.79 3.10 $A = 8000(A/P, 10\%, 10) + 600 =$

8000(0.16275) + 600 = \$1902 Chapter 3 1

3.11 $A = 20,000(F/P, 8\%, 1)(A/P, 8\%, 8) = 20,000(1.08)(0.17401) = \3758.62 3.12 $A = 10,000(F/A, 8\%, 26)(A/P, 8\%, 30) = 10,000(79.9544)(0.08883) = \$71,023$ 3.13 $A = 15,000(F/A, 8\%, 9)(A/F, 8\%, 10) = 15,000(12.4876)(0.06903) = \$12,930$ 3.14 $A = 80,000(A/P, 10\%, 5) + 80,000 = 80,000(0.26380) + 80,000 = \$101,104$ 3.15 $A = 5000(A/P, 6\%, 5) + 1,000,000(0.15)(0.75) = 5000(0.2374) + 112,500 = \$113,687$ 3.16 $A = [20,000(F/A, 8\%, 11) + 8000(F/A, 8\%, 7)](A/F, 8\%, 10) = [20,000(16.6455) + 8000(8.9228)](0.06903) = \$27,908$ 3.17 $A = 600(A/P, 12\%, 5) + 4000(P/A, 12\%, 4)(A/P, 12\%, 5) = 600(0.27741) + 4000(3.0373)(0.27741) = \3536.76 3.18 $F = 10,000(F/A, 15\%, 21) = 10,000(118.8101) = \$1,188,101$ 3.19 $100,000 = A(F/A, 7\%, 5)(F/P, 7\%, 10)$ $100,000 = A(5.7507)(1.9672)$ $A = \$8839.56$ 3.20 $F = 9000(F/P, 8\%, 11) + 600(F/A, 8\%, 11) + 100(F/A, 8\%, 5) = 9000(2.3316) + 600(16.6455) + 100(5.8666) = \$31,558$ 3.21 Worth in year 5 = -9000(F/P, 12%, 5) + 3000(P/A, 12%, 9) = -9000(1.7623) + 3000(5.3282) = \$123.90 Chapter 3 2

3.22 Amt, year 5 = $1000(F/A, 12\%, 4)(F/P, 12\%, 2) + 2000(P/A, 12\%, 7)(P/F, 12\%, 1) = 1000(4.7793)(1.2544) + 2000(4.5638)(0.8929) = \$14,145$ 3.23 $A = [10,000(F/P, 12\%, 3) + 25,000](A/P, 12\%, 7) = [10,000(1.4049) + 25,000](0.21912) = \8556.42 3.24 Cost of the ranch is $P = 500(3000) = \$1,500,000$. $1,500,000 = x + 2x(P/F, 8\%, 3)$ $1,500,000 = x + 2x(0.7938)$ $x = \$579,688$ 3.25 Move unknown deposits to year 1, amortize using A/P, and set equal to \$10,000. $x(F/A, 10\%, 2)(F/P, 10\%, 19)(A/P, 10\%, 15) = 10,000$ $x(2.1000)(6.1159)(0.13147) = 10,000$ $x = \$5922.34$ 3.26 $350,000(P/F, 15\%, 3) = 20,000(F/A, 15\%, 5) + x$ $350,000(0.6575) = 20,000(6.7424) + x$ $x = \$95,277$ 3.27 Move all cash flows to year 9. $0 = -800(F/A, 14\%, 2)(F/P, 14\%, 8) + 700(F/P, 14\%, 7) + 700(F/P, 14\%, 4) + 950(F/A, 14\%, 2)(F/P, 14\%, 1) + x$ $800(P/A, 14\%, 3)$ $0 = -800(2.14)(2.8526) + 700(2.5023) + 700(1.6890) + 950(2.14)(1.14) + x$ $800(2.3216)$ $x = \$6124.64$ 3.28 Find P at $t = 0$ and then convert to A. $P = 5000 + 5000(P/A, 12\%, 3) + 3000(P/A, 12\%, 3)(P/F, 12\%, 3) + 1000(P/A, 12\%, 2)(P/F, 12\%, 6) = 5000 + 5000(2.4018) + 3000(2.4018)(0.7118) + 1000(1.6901)(0.5066) = \$22,994$ $A = 22,994(A/P, 12\%, 8) = 22,994(0.20130) = \4628.69 3.29 $F = 2500(F/A, 12\%, 8)(F/P, 12\%, 1)$ $1000(F/A, 12\%, 3)(F/P, 12\%, 2) = 2500(12.2997)(1.12)$ $1000(3.3744)(1.2544) = \$30,206$ Chapter 3 3

3.30 $15,000 = 2000 + 2000(P/A, 15\%, 3) + 1000(P/A, 15\%, 3)(P/F, 15\%, 3) + x(P/F, 15\%, 7)$ $15,000 = 2000 + 2000(2.2832) + 1000(2.2832)(0.6575) + x(0.3759)$ $x = \$18,442$ 3.31 Amt, year 3 = $900(F/A, 16\%, 4) + 3000(P/A, 16\%, 2)$ $1500(P/F, 16\%, 3) + 500(P/A, 16\%, 2)(P/F, 16\%, 3) = 900(5.0665) + 3000(1.6052)$ $1500(0.6407) + 500(1.6052)(0.6407) = \8928.63 3.32 $A = 5000(A/P, 12\%, 7) + 3500 + 1500(F/A, 12\%, 4)(A/F, 12\%, 7) = 5000(0.21912) + 3500 + 1500(4.7793)(0.09912) = \5306.19 3.33 $20,000 = 2000(F/A, 15\%, 2)(F/P, 15\%, 7) + x(F/A, 15\%, 7) + 1000(P/A, 15\%, 3)$ $20,000 = 2000(2.1500)(2.6600) + x(11.0668) + 1000(2.2832)$ $x = \$567.35$ 3.34 $P = [4,100,000(P/A, 6\%, 22) + 50,000(P/G, 6\%, 22)](P/F, 6\%, 3) + 4,100,000(P/A, 6\%, 3) = [4,100,000(12.0416) + 50,000(98.9412)](0.8396) + 4,100,000(2.6730) = \$48,257,271$ 3.35 $P = [2,800,000(P/A, 12\%, 7) + 100,000(P/G, 12\%, 7) + 2,800,000](P/F, 12\%, 1) = [2,800,000(4.5638) + 100,000(11.6443) + 2,800,000](0.8929) = \$14,949,887$ 3.36 P for maintenance = $[11,500(F/A, 10\%, 2) + 11,500(P/A, 10\%, 8) + 1000(P/G, 10\%, 8)](P/F, 10\%, 2) = [11,500(2.10) + 11,500(5.3349) + 1000(16.0287)](0.8264) = \$83,904$ P for accidents = $250,000(P/A, 10\%, 10) = 250,000(6.1446) = \$1,536,150$ Total savings = $83,904 + 1,536,150 = \$1,620,054$ Build overpass 3.37 Find P at $t = 0$, then convert to A. $P = [22,000(P/A, 12\%, 4) + 1000(P/G, 12\%, 4) + 22,000](P/F, 12\%, 1) = [22,000(3.0373) + 1000(4.1273) + 22,000](0.8929) = \$82,993$

Chapter 3

4

$A = 82,993(A/P, 12\%, 5) = 82,993(0.27741) = \$23,023$ 3.38 First find P and then convert to F. $P = -10,000 + [4000 + 3000(P/A, 10\%, 6) + 1000(P/G, 10\%, 6) + 7000(P/F, 10\%, 4)](P/F, 10\%, 1) = -10,000 + [4000 + 3000(4.3553) + 1000(9.6842) + 7000(0.6830)](0.9091) = \9972 $F = 9972(F/P, 10\%, 7) = 9972(1.9487) = \$19,432$ 3.39 Find P in year 0 and then convert to A. $P = 4000 + 4000(P/A, 15\%, 3) + 1000(P/G, 15\%, 3) + [(6000(P/A, 15\%, 4) + 2000(P/G, 15\%, 4)](P/F, 15\%, 3) = 4000 + 4000(2.2832) + 1000(2.0712) + [(6000(2.8550) + 2000(3.7864)](0.6575) = \$27,303.69$ $A = 27,303.69(A/P, 15\%, 7) = 27,303.69(0.24036) = \6563 3.40 $40,000 = x(P/A, 10\%, 2) + (x + 2000)(P/A, 10\%, 3)(P/F, 10\%, 2)$ $40,000 = x(1.7355) + (x + 2000)(2.4869)(0.8264)$ $3.79067x = 35,889.65$ $x = \$9467.89$ (size of first two payments) 3.41 $11,000 = 200 + 300(P/A, 12\%, 9) + 100(P/G, 12\%, 9)$ $500(P/F, 12\%, 3) + x(P/F, 12\%, 3)$ $11,000 = 200 + 300(5.3282) + 100(17.3563)$ $500(0.7118) + x(0.7118)$ $x = \$10,989$ 3.42 (a) In billions P in yr 1 = $-13(2.73) + 5.3\{[1(1 + 0.09)^{10}/(1 + 0.15)^{10}]/(0.15/0.09)\} = -35.49 + 5.3(6.914) = \1.1542 billion P in yr 0 = $1.1542(P/F, 15\%, 1) = 1.1542(0.8696) = \1.004 billion

Chapter 3

5

3.43 Find P in year 1; then find A in years 0-5. P_g in yr 2 = $(5)(4000)\{[1 - (1 + 0.08)^{18}/(1 + 0.10)^{18}]/(0.10 - 0.08)\} = 20,000(14.0640) = \$281,280$ P in yr 1 = $281,280(P/F, 10\%, 3) + 20,000(P/A, 10\%, 3) = 281,280(0.7513) + 20,000(2.4869) = \$261,064$ $A = 261,064(A/P, 10\%, 6) = 261,064(0.22961) = \$59,943$ 3.44 Find P in year 1 and then move forward 1 year $P-1 = 20,000\{[1(1 + 0.05)^{11}/(1 + 0.14)^{11}]/(0.14/0.05)\} = 20,000(6.6145) = \$132,290$ $P = 132,290(F/P, 14\%, 1) = 132,290(1.14) = \$150,811$ 3.45 $P = 29,000 + 13,000(P/A, 10\%, 3) + 13,000[7/(1 + 0.10)](P/F, 10\%, 3) = 29,000 + 13,000(2.4869) + 82,727(0.7513) = \$123,483$ 3.46 Find P in year 1 and then move to year 0. P (yr 1) = $15,000\{[1(1 + 0.10)^5/(1 + 0.16)^5]/(0.16/0.10)\} = 15,000(3.8869) = \$58,304$ $P = 58,304(F/P, 16\%, 1) = 58,304(1.16) = \$67,632$ 3.47 Find P in year 1 and then move to year 5. P (yr 1) = $210,000[6/(1 + 0.08)] = 210,000(0.92593) = \$1,166,667$ $F = 1,166,667(F/P, 8\%, 6) = 1,166,667(1.5869) = \$1,851,383$

Chapter 3

6

3.48 $P = [2000(P/A, 12\%, 6) + 200(P/G, 12\%, 6)](F/P, 12\%, 1) = [2000(4.1114) + 200(8.9302)](1.12) = \7209.17 3.49 $P = 5000 + 1000(P/A, 12\%, 4) + [1000(P/A, 12\%, 7) + 100(P/G, 12\%, 7)](P/F, 12\%, 4) = 5000 + 1000(3.0373) + [1000(4.5638) + 100(11.6443)](0.6355) =$

\$10,198 3.50 Find P in year 0 and then convert to A. $P = 2000 + 2000(P/A, 10\%, 4) + [2500(P/A, 10\%, 6) 100(P/G, 10\%, 6)](P/F, 10\%, 4) = 2000 + 2000(3.1699) + [2500(4.3553) 100(9.6842)](0.6830) = \$15,115$ $A = 15,115(A/P, 10\%, 10) = 15,115(0.16275) = \2459.97 3.51 $20,000 = 5000 + 4500(P/A, 8\%, n) 500(P/G, 8\%, n)$ Solve for n by trial and error: Try n = 5: \$15,000 > \$14,281 Try n = 6: \$15,000 < \$15,541 By interpolation, n = 5.6 years 3.52 $P = 2000 + 1800(P/A, 15\%, 5) 200(P/G, 15\%, 5) = 2000 + 1800(3.3522) 200(5.7751) = \6878.94 3.53 $F = [5000(P/A, 10\%, 6) 200(P/G, 10\%, 6)](F/P, 10\%, 6) = [5000(4.3553) 200(9.6842)](1.7716) = \$35,148$

FE Review Solutions 3.54 $x = 4000(P/A, 10\%, 5)(P/F, 10\%, 1) = 4000(3.7908)(0.9091) = \$13,785$ Answer is (d) $P = 7 + 7(P/A, 4\%, 25) = \116.3547 million Answer is (c) Answer is (d)7

3.55

3.56

Chapter 3

3.57

Size of first deposit = $1250/(1 + 0.05)^3 = \$1079.80$ Answer is (d) Balance = $10,000(F/P, 10\%, 2) 3000(F/A, 10\%, 2) = 10,000(1.21) 3000(2.10) = \5800 Answer is (b)

3.58

3.59 $1000 = A(F/A, 10\%, 5)(A/P, 10\%, 20) 1000 = A(6.1051)(0.11746)$ $A = \$1394.50$ Answer is (a) 3.60 First find P and then convert to A. $P = 1000(P/A, 10\%, 5) + 2000(P/A, 10\%, 5)(P/F, 10\%, 5) = 1000(3.7908) + 2000(3.7908)(0.6209) = \8498.22 $A = 8498.22(A/P, 10\%, 10) = 8498.22(0.16275) = \1383.08 Answer is (c) 3.61 $100,000 = A(F/A, 10\%, 4)(F/P, 10\%, 1) 100,000 = A(4.6410)(1.10)$ $A = \$19,588$ Answer is (a) 3.62 $F = [1000 + 1500(P/A, 10\%, 10) + 500(P/G, 10\%, 10)](F/P, 10\%, 10) = [1000 + 1500(6.1446) + 500(22.8913)](2.5937) = \$56,186$ Answer is (d) 3.63 $F = 5000(F/P, 10\%, 10) + 7000(F/P, 10\%, 8) + 2000(F/A, 10\%, 5) = 5000(2.5937) + 7000(2.1438) + 2000(6.1051) = \$40,185$ Answer is (b)

Chapter 3

8

Extended Exercise Solution Solution by Hand Cash flows for purchases at $g = 25\%$ start in year 0 at \$4 million. Cash flows for parks development at $G = \$100,000$ start in year 4 at \$550,000. All cash flow signs in the solution are +. Cash flow _____ Year Land Parks 0 1 2 3 4 5 6
\$4,000,000 3,000,000 2,250,000 1,678,000 1,265.625 949,219

\$550,000 650,000 750,000

1. Find P for all project funds (in \$ million) $P = 4 + 3(P/F, 7\%, 1) + 0.750(P/F, 7\%, 6) = 13.1716$ (\$13,171,600) Amount to raise in years 1 and 2: $A = (13.1716 3.0)(A/P, 7\%, 2) = (10.1716)(0.55309) = 5.6258$ 2.

(\$5,625,800 per year)

Find remaining project fund needs in year 3, then find the A for the next 3 years (years 4, 5, and 6): $F_3 = (13.1716 3.0)(F/P, 7\%, 3) = (10.1716)(1.2250) = 12.46019$ $A = 12.46019(A/P, 7\%, 3) = 12.46019(0.38105) = 4.748$

(\$4,748,000 per year)

Chapter 3

9

Extended Exercise Solution Solution by computerE Microsoft ExcelFile Edit View Insert Format tools Data Window Help QI MacrosBI,

X

A.

JH22

E l C3 ext exer solnA 1 2 3 _

B Interest rate = 7%

C

D

E

F

Chapter 3 - extended exercise solution.

and purchase multiplier = 0,75 4

Engineering Economy, 6th edition, provides undergraduate students and practicing professionals with a solid preparation in the financial understanding of engineering problems and projects, as well as the techniques needed for evaluating and making sound economic decisions. Information on cost estimation, depreciation, and taxes has been updated to conform to new tax laws and a majority of the end-of-chapter problems are revised or new to this edition.

Distinguishing pedagogical characteristics of this market-leading text include its easy-to-read writing style, chapter objectives, worked examples, integrated spreadsheets, case studies, Fundamentals of Engineering (FE) exam questions, and numerous end-of-chapter problems. Graphical cross-referencing is indicated so users are able to locate additional material on any one subject in the text.

While the chapters are progressive, over three-quarters can stand alone, allowing instructors flexibility for meeting course needs. A complete Online Learning Center (OLC) offers supplemental practice problems, spreadsheet exercises, review questions for the Fundamentals of Engineering (FE) exam, and more!

"synopsis" may belong to another edition of this title.

Источник: <https://www.abebooks.com/9780073205342/Engineering-Economy-Blank-Leland-Tarquin-0073205346/plp>

j

10

-r

mm mm

mm

,

Si CG - case study solnA

B

C

E

F

G

H

I

12

AV Lloyd'sMARR 15

345 e

\$F'

17.904

o/.'rUp'

L :.iJd --

Lloyd's newRepair savingsmaint. cost -

Investment Year

Annual maint.

Repairsavings

Investment

Annual maint.

7

and salv-ae

and salvage

repair savings

89

AV values

\$\$

(6.6421(26.000)

\$ \$

(800)(800) (800) (8001

\$ \$\$

25.000

\$\$

(7.1731(36.000)

t\$ \$ \$ \$

(9771

\$

26.055

1 2

\$\$

13U

3

25.000 25.000 25.000

\$ \$ \$ \$ \$ * _

(300) (300)(300)

\$ \$ \$

35.000 32.000 28.000 26.000

* \$ \$ \$ \$ \$*

34.700

31.700 27.70024.800

45

2.000

15 16

\$

(800) fSOO)fSOO)

*

25.000 25.0002S000

67

8 9 10

\$ \$

*

(1.200) (1.320) (1.452) (1.597) (1.757)

\$ * t * \$

24.00022.000 20.000 18.000 16.000 14.000

20.548

18.40316.243 14.067 11.874

\$

\$ (2! 126)1

(1.933)

\$

l j HP Status Window a "

Engineering Economy, 6th Edition

รายละเอียดสินค้า Engineering Economy, 6th Edition

Blank and Tarquin moved to the number one book in May of 2004.

Approximately 80% of the end-of-chapter problems are either new or revised for the 6th edition.

Information on cost estimation, depreciation, and taxes has been updated for this edition.

International considerations have been updated and expanded upon.

The Online Learning Center (<http://www.mhhe.com/blank6>) includes resources for students and instructors. Resources will include: Glossary, Web links, FE Exam Problems and Quiz, Learning Objectives, Spreadsheet Exercises, Lecture Slides, Summaries, general textbook information, and more!

Table of Contents

Level 1 This is How It All Starts

Chapter 1: Foundations of Engineering Economy

Chapter 2: Factors: How Time and Interest Affect Money

Chapter 3: Combining Factors

Chapter 4: Nominal and Effective Interest Rates

Level 2 Tools for Evaluating Alternatives

Chapter 5: Present Worth Analysis <

Chapter 6: Annual Worth Analysis

Chapter 7: Rate of Return Analysis: Single Alternative

Chapter 8: Rate of Return Analysis: Multiple Alternatives

Chapter 9: Benefit/Cost Analysis and Public Sector Economics

Chapter 10: Making Choices: The Method, MARR, and Multiple Attributes

Level 3 Making Decisions on Real-World Projects

Chapter 11: Replacement and Retention Decisions

Chapter 12: Selection from Independent Projects Under Budget Limitation

- Chapter 13: Breakeven Analysis
- Level 4 Rounding Out the Study
- Chapter 14: Effects of Inflation
- Chapter 15: Cost Estimation and Indirect Cost Allocation
- Chapter 16: Depreciation Methods
- Chapter 17: After-Tax Economic Analysis
- Chapter 18: Formalized Sensitivity Analysis and Expected Value Decisions
- Chapter 19: More on Variation and Decision Making Under Risk
- Appendix A Using Spreadsheets and Microsoft Excel
- Appendix B Basics of Accounting Reports and Business Ratios
- Bibliography
- Compound Interest Factor Tables
- Index

รีวิว (2)

□

Customer

10/12/2560 13:51

คุณภาพสินค้าดีมาก

□

Customer

10/12/2560 13:51

คุณภาพสินค้าดีมาก

Источник: http://www.toptextbook.com/products_detail/view/290780
 \ Future Worth / FW Graph / Sheets / 5sheet4 / Sheets / 5sheet6 / Sheet; 14

gī

9:33AM

Chapter 8

4. Composite rate of return approach Plan A (a) MARR = 15% and c = 15%

$F_0 = 1900$; $F_1 = 1900(1.15) - 500 = 1685$; $F_2 = 1685(1.15) - 8000 = -6062.25$; $F_3 = -6062.25(1+i) + 6500 = 437.75$ $6062.25i$ $F_4 = 0 = F_3(1+i) + 400$. So $i = 13.06\% < \text{MARR} = 15\%$. Reject Plan A. (b) MARR = 15% and c = 45% $F_0 = 1900$; $F_1 = 1900(1.45) - 500 = 2255$; $F_2 = 2255(1.45) - 8000 = -4730.25$; $F_3 = -4730.25(1+i) + 6500 = 1769.75$ $4730.25i$ $F_4 = 0 = F_3(1+i) + 400$. So $i = 43.31\% > \text{MARR} = 15\%$. Accept Plan A. (c) MARR = 50% and c = 50% $F_0 = 1900$; $F_1 = 1900(1.50) - 500 = 2350$; $F_2 = 2350(1.50) - 8000 = -4475$; $F_3 = -4475(1+i) + 6500 = -4475i + 2025$ $F_4 = 0 = F_3(1+i) + 400$. So $i = 51.16\% > \text{MARR} = 50\%$. Accept Plan A. Plan B (a) MARR = 15% and c = 15%

$F_0 = -1900$; $F_1 = -1900(1+i) + 500$; $F_2 = -1900(1+i)^2 + 500(1+i) + 8000$; $F_3 = (1.15)F_2 - 6500$ $F_4 = 0 = F_3(1.15) - 400$. So $i = 17.74\% > \text{MARR} = 15\%$. Accept Plan B. (b) MARR = 15% and c = 45% $F_0 = -1900$; $F_1 = -1900(1+i) + 500$; $F_2 = -1900(1+i)^2 + 500(1+i) + 8000$; $F_3 = -1900(1.45)(1+i)^2 + 500(1.45)(1+i) + 8000$ $(1.45) - 6500$ $F_4 = 0 = F_3(1.45) - 400$. So $i = 46.14\% > \text{MARR} = 15\%$. Accept Plan B (c) MARR = 50% and c = 50% $F_0 = -1900$; $F_1 = -1900(1+i) + 500$; $F_2 = -1900(1+i)^2 + 500(1+i) + 8000$; $F_3 = -1900(1.5)(1+i)^2 + 500(1.5)(1+i) + 8000$ $(1.5) - 6500$ $F_4 = 0 = F_3(1.5) - 400$. So $i = 49.30\% < \text{MARR} = 50\%$. Reject Plan B. d) Discussion: Plan B is superior to Plan A for c values below i^*2 , i.e., B's composite rate of return is higher. However, for c values above i^*2 , plan A gives a higher (composite) rate of return. Conclusion: The composite rate of return evaluation yields unambiguous results when a reinvestment rate is specified. Chapter 8 15

Chapter 9 Benefit/Cost Analysis and Public Sector Economics Solutions to Problems 9.1 (a) Public sector projects usually require large initial investments while many private sector investments may be medium to small. (b) Public sector projects usually have long lives (30-50 years) while private sector projects are usually in the 2-25 year range. (c) Public sector projects are usually funded from taxes, government bonds, or user fees. Private sector projects are usually funded by stocks, corporate bonds, or bank loans. (d) Public sector projects use the term discount rate, not MARR. The discount rate is usually in the 4-10% range, thus it is lower than most private sector MARR values. 9.2 (a) Private (f) Private (a) Benefit (b) Private (c) Public (d) Public (e) Public

9.3 9.4

(b) Cost

(c) Cost

(d) Disbenefit (e) Benefit (f) Disbenefit

Some different dimensions are: 1. Contractor is involved in design of highway; contractor is not provided with the final plans before building the highway. 2. Obtaining project financing may be a partial responsibility in conjunction with the government unit. 3. Corporation will probably operate the highway (tolls, maintenance, management) for some years after construction. 4. Corporation will legally own the highway right of way and improvements until contracted time is over and title transfer occurs. 5. Profit (return on investment) will be stated in the contract. (a) Amount of financing for construction is too low, and usage rate is too low to cover cost of operation and agreed-to profit. (b) Special government-guaranteed loans and subsidies may be arranged at original contract time in case these types of financial problems arise later. (a) $B/C = 600,000 / 100,000 = 1.11$ 450,000 (b) $B-C = 600,000 - 100,000 = 450,000 = \$+50,000$

9.5

9.6

Chapter 9

9.7 (a) Use Excel and assume an infinite life. Calculate the capitalized costs for all annual amount estimates. File Edit View Insert Format Tools Data Window Help-

e# H rf

a a=

* lit B-(JF34 tFt5)/(tFt3 i-JFtt,;

ft E A SI JJ

SB *1 150%

-

—

n

x

A

B

C

D

G

H

-

Estimates

PW value

First cost Benefits Disbenefits Costs Discount rate

\$ \$ \$

8 000,000,

\$per yearper year

8 000 000,

,

$PW = AVWI = 550\,000 / 0.05$.

550,000100 000,

800,000 5%

per year per year

\$ \$ \$

11,000,000 2 000 000, ,

16,000,000

Note: Since no life is stated, assume it is very long, so the PW value is the capitalized cost of AW/i .

B/C ratio

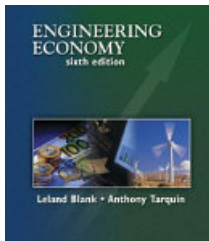
$(B-D)/C$

0

.

375 BJC7-Soyions - Mici...

Engineering Economy



*****Recently Published!***** Engineering Economy, 6th edition, provides undergraduate students and practicing professionals with a solid preparation in the financial understanding of engineering problems and projects, as well as the techniques needed for evaluating and making sound economic decisions. Information on cost estimation, depreciation, and taxes has been updated to conform to new tax laws. Eighty percent of the end-of-chapter problems are revised or new to this edition. Distinguishing pedagogical characteristics of this market-leading text include its easy-to-read writing style, chapter objectives, worked examples, integrated spreadsheets, case studies, Fundamentals of Engineering (FE) exam questions, and numerous new end-of-chapter problems. Graphical cross-referencing is indicated so users are able to locate additional material on any one subject in the text. Quick-solve (Q-Solve) and Excel-solve (E-Solve) icons found in the text indicate the difficulty of a problem, example, or spreadsheet. While the chapters are progressive, over three-quarters can stand alone, allowing instructors flexibility for meeting course needs. A complete Online Learning Center (OLC) located at <http://www.mhhe.com/blank6e> offers supplemental quizzing, spreadsheet exercises, review questions, lecture outlines, and more!

Источник: https://books.google.com/books/about/Engineering_Economy.html?id=a1gQhgPjXZcC

Engineering Economy 6th Edition Hardcover - Leland Blank, Anthony Tarquin

This student-friendly text on the current economic issues particular to engineering covers the topics needed to analyze engineering alternatives. Students use both hand-worked and spreadsheet solutions of examples, problems and case studies. In this edition the options have been increased, with an expanded spreadsheet analysis component, twice the number of case studies, and virtually all new end-of-chapter problems. The chapters on factor derivation and usage, cost estimation, replacement studies, and after-tax evaluation have been heavily revised. New material is included on public sector projects and cost estimation. A reordering of chapters puts the fundamental topics up front in the text. Many chapters include a special set of problems that prepare the students for the Fundamentals of Engineering (FE) exam. This college-level text provides students and practicing professionals with a solid preparation in the financial understanding of engineering problems and projects, as well as the techniques needed for evaluating and making sound economic decisions. Distinguishing characteristics include learning objectives for each chapter, an easy-to-read writing style, many solved examples, integrated spreadsheets, and case studies throughout the text. Graphical cross-referencing between topics and quick-solve spreadsheet solutions are indicated in the margins throughout the text. While the chapters are progressive, over three-quarters can stand alone, allowing instructors flexibility for meeting course needs. A complete online learning center (OLC) offers supplemental practice problems, spreadsheet exercises, and review questions for the Fundamentals of Engineering (FE) exam.

Источник: <https://www.ebay.com/itm/224952214086>

Ingeniería Económica - Solutions Manual - Leland Blank & Anthony Tarquin 6th Edition

CONOMY

Solucionario

!

Letand Blank . Anthony TarquinBy Keyser Sze

UNIVERSIDAD AUTONOMA DEL ESTADO DE MORELOS (UAEM)

FACULTAD DE CIENCIAS QUIMICAS E INGENIERIA (FCQe)FORMULARIO DE INGENIERIA ECONOMICA

$F = P(F/P, U_n)$

$F = P + Pn_i$

$P = F(P/F, i, n)$

$I = F - P$

A

Amporptriodo

L_m

P

]

$P = A(P/A, i$

, ,

n_i

$= [hHm0 =>$

$F = A(F/A, U_n)f$

$]M00$

$A = F(A \& i$

$l,$

$n)$

D

$P - V_s)$

$= G(P/G \text{ in}), ,$

$Pm_i + f + \text{iff} = G(F/G \text{ in})l.$

$\backslash X_2 \sim X_1 J A$

$A = G(A/G \text{ i}$

$, l$

$n)$

$P = A$

$s_i \text{ in } j$

$P = A(P/A$

.

$i \ln$

P

$S_i = j$

$P = A(P/A, i, n)$

ING. ALFREDO PEREZ PATIto

Chapter 1 Foundations of Engineering Economy Solutions to Problems 1.1 Time value of money means that there is a certain worth in having money and the worth changes as a function of time. Morale, goodwill, friendship, convenience, aesthetics, etc. (a) Evaluation criterion is the measure of value that is used to identify best. (b) The primary evaluation criterion used in economic analysis is cost. Nearest, tastiest, quickest, classiest, most scenic, etc If the alternative that is actually the best one is not even recognized as an alternative, it obviously will not be able to be selected using any economic analysis tools. In simple interest, the interest rate applies only to the principal, while compound interest generates interest on the principal and all accumulated interest. Minimum attractive rate of return is the lowest rate of return (interest rate) that a company or individual considers to be high enough to induce them to invest their money. Equity financing involves the use of the corporations or individuals own funds for making investments, while debt financing involves the use of borrowed funds. An example of equity financing is the use of a corporations cash or an individuals savings for making an investment. An example of debt financing is a loan (secured or unsecured) or a mortgage. Rate of return = $(45/966)(100) = 4.65\%$ Rate of increase = $[(29\ 22)/22](100) = 31.8\%$ Interest rate = $(275,000/2,000,000)(100) = 13.75\%$ Rate of return = $(2.3/6)(100) = 38.3\%$

1.2 1.3

1.4 1.5

1.6

1.7

1.8

1.9

1.10

1.11

1.12

Chapter 1

1.13

Profit = $8(0.28) = \$2,240,000$ $P + P(0.10) = 1,600,000$ $1.1P = 1,600,000$ $P = \$1,454,545$ Earnings = $50,000,000(0.35) = \$17,500,000$ (a) Equivalent future amount = $10,000 + 10,000(0.08) = 10,000(1 + 0.08) = \$10,800$ (b) Equivalent past amount: $P + 0.08P = 10,000$ $1.08P = 10,000$ $P = \$9259.26$

1.14

1.15

1.16

1.17

Equivalent cost now: $P + 0.1P = 16,000$ $1.1P = 16,000$ $P = \$14,545.45$ $40,000 + 40,000(i) = 50,000$ $i = 25\%$ $80,000 + 80,000(i) = 100,000$ $i = 25\%$ $F = 240,000 + 240,000(0.10)(3) = \$312,000$ Compound amount in 5 years = $1,000,000(1 + 0.07)^5 = \$1,402,552$ Simple amount in 5 years = $1,000,000 + 1,000,000(0.075)(5) = \$1,375,000$ Compound interest is better by \$27,552

1.18

1.19

1.20

1.21

1.22

Simple: $1,000,000 = 500,000 + 500,000(i)(5)$ $i = 20\%$ per year simple Compound: $1,000,000 = 500,000(1 + i)^5$ $(1 + i)^5 = 2.0000$ $(1 + i) =$

(2.0000)0.2 i = 14.87%

Chapter 1

2

1.23

Simple: $2P = P + P(0.05)(n)$ $P = P(0.05)(n)$ $n = 20$ years Compound: $2P = P(1 + 0.05)^n$ $(1 + 0.05)^n = 2.0000$ $n = 14.2$ years

1.24

(a) Simple: $1,300,000 = P + P(0.15)(10)$ $2.5P = 1,300,000$ $P = \$520,000$ (b) Compound: $1,300,000 = P(1 + 0.15)^{10}$ $4.0456P = 1,300,000$ $P = \$321,340$

1.25

Plan 1: Interest paid each year = $400,000(0.10) = \$40,000$ Total paid = $40,000(3) + 400,000 = \$520,000$ Plan 2: Total due after 3 years = $400,000(1 + 0.10)^3 = \$532,400$ Difference paid = $532,400 - 520,000 = \$12,400$

1.26

(a) Simple interest total amount = $1,750,000(0.075)(5) = \$656,250$ Compound interest total = total amount due after 4 years amount borrowed = $1,750,000(1 + 0.08)^4 - 1,750,000 = 2,380,856 - 1,750,000 = \$630,856$ (b) The company should borrow 1 year from now for a savings of $\$656,250 - \$630,856 = \$25,394$

1.27 1.28

The symbols are $F = ?$; $P = \$50,000$; $i = 15\%$; $n = 3$ (a) $FV(i\%, n, A, P)$ finds the future value, F (b) $IRR(\text{first_cell}:\text{last_cell})$ finds the compound interest rate, i (c) $PMT(i\%, n, P, F)$ finds the equal periodic payment, A (d) $PV(i\%, n, A, F)$ finds the present value, P

Chapter 1

1.29

1.30 1.31

(a) $F = ?$; $i = 7\%$; $n = 10$; $A = \$2000$; $P = \$9000$ (b) $A = ?$; $i = 11\%$; $n = 20$; $P = \$14,000$; $F = 0$ (c) $P = ?$; $i = 8\%$; $n = 15$; $A = \$1000$; $F = \$800$ (a) $PV = P$ (b) $PMT = A$ (c) $NPER = n$ (d) $IRR = i$

(e) $FV = F$

For built-in Excel functions, a parameter that does not apply can be left blank when it is not an interior one. For example, if there is no F involved when using the PMT function to solve a particular problem, it can be left blank because it is an end function. When the function involved is an interior one (like P in the PMT function), a comma must be put in its position. (a) Risky (b) Safe (c) Safe (d) Safe (e) Risky (a) Equity (b) Equity (c) Equity (d) Debt (e) Debt Highest to lowest rate of return is as follows: Credit card, bank loan to new business, corporate bond, government bond, interest on checking account Highest to lowest interest rate is as follows: rate of return on risky investment, minimum attractive rate of return, cost of capital, rate of return on safe investment, interest on savings account, interest on checking account. $WACC = (0.25)(0.18) + (0.75)(0.10) = 12\%$ Therefore, $MARR = 12\%$ Select the last three projects: 12.4%, 14%, and 19%

1.32

1.33

1.34

1.35

1.36

1.37

End of period convention means that the cash flows are assumed to have occurred at the end of the period in which they took place. The following items are inflows: salvage value, sales revenues, cost reductions The following items are outflows: income taxes, loan interest, rebates to dealers, accounting services

1.38

Chapter 1

F= ?

1.39

The cash flow diagram is:

$i = 10\%$ \$9000 0 1 2 3 4 \$3000 \$10,000 5 6 7 8

1.40

The cash flow diagram is:

$P = ?$ $i = 15\%$

0 1

2

3

4

5

\$40,000

1.41

Time to double = $72/8 = 9$ years Time to double = $72/9 = 8$ years Time to quadruple = $(8)(2) = 16$ years

1.42

1.43

$4 = 72/i$ $i = 18\%$ per year Account must double in value five times to go from \$62,500 to \$2,000,000 in 20 years. Therefore, account must double every $20/5 = 4$ years. Required rate of return = $72/4 = 18\%$ per year

1.44

FE Review Solutions 1.45 1.46 Answer is (c) $2P = P + P(0.05)(n)$ $n = 20$ Answer is (d) 5

Chapter 1

1.47 Amount now = $10,000 + 10,000(0.10) = \$11,000$ Answer is (c) 1.48 $i = 72/9 = 8\%$ Answer is (b) 1.49 Answer is (c) 1.50 Let $i =$ compound rate of increase: $235 = 160(1 + i)^5$ $(1 + i)^5 = 235/160$ $(1 + i) = (1.469)^{0.2}$ $(1 + i) = 1.07995$ $i = 7.995\% = 8.0\%$ Answer is (c) Extended Exercise Solution

$F = ?$ 1. 0 1 2 3 \$2000 4

\$500

\$500

\$500

$\$9000$ $F = [\{ [9000(1.08)^5 - 500] (1.08) \} - 500] (1.08) + (2000 \cdot 500) = \$10,960.60$ or $F = 9000(F/P, 8\%, 3) - 500(F/A, 8\%, 3) + 2000$ 2. A spreadsheet uses the FV function as shown in the formula bar. $F = \$10,960.61$.

Chapter 1

6

Microsoft Excel

J File Edit View Insert Format Tools Data Window Help QI Macros

DJB4

H ilok1 j 10

- [H a

=FV(B% 3 500 9000] +2000

El BookB C D E 1

24 5 6 7 8

(\$10,960.61)11

1-

H-Solutions - Micro

...

Microsoft Excel

[il h,

-1B fl, .

Sjch 9 Solutions fo...

20" "

K WNSheetli Sheflz/Sheets/

] Draw- k & 05hape!- \ \gStart > @ H

O B 4 fl

o Ml 41 ii;

a - - s a < \

Draw T.

AutoShapes - \

* I I O H

1 [5]

-

- A

= ----

0

Case Study Solution 1. Set first cost of toilet equal to monthly savings and solve for n: $(115.83 \cdot 76.12) + 50(A/P, 0.75\%, n) = 2.1(0.76 + 0.62)$
 $89.71(A/P, 0.75\%, n) = 2.898$ $(A/P, 0.75\%, n) = 0.03230$ From 0.75% interest table, n is between 30 and 36 months By interpolation, n = 35 months or 2.9 years

Chapter 5

12

2. If the toilet life were to decrease by 50% to 2.5 years, then the homeowner would not breakeven at any interest rate (2.6 years is required at 0% and longer times would be required for $i > 0\%$). If the interest rate were to increase by more than 50% (say from 9% to 15%), the payback period would increase from 2.9 years (per above solution) to a little less than 3.3 years (from 1.25% interest table). Therefore, the payback period is much more sensitive to the toilet life than to the interest rate. 3. $\text{cost/month} = 76.12$ $(A/P, 0.5\%, 60) = 76.12 (0.01933) = \1.47 CCF/month = $2.1 + 2.1 = 4.2$ $\text{cost/CCF} = 1.47/4.2 = \$0.35/\text{CCF}$ or $\$0.47/1000$ gallons (vs $\$0.40/1000$ gallons at 0% interest) 4. (a) If 100% of the \$115.83 cost of the toilet is rebated, the cost to the city at 0% interest is $c = 115.83 (2.1 + 2.1) (12) (5)$

$= \$0.46/\text{CCF}$ or $\$0.61/1000$ gal (vs $\$0.40/1000$ gal at 75% rebate) This is still far below the city's cost of $\$1.10/1000$ gallons. Therefore, the success of the program is not sensitive to the percentage of cost rebated. (b) Use the same relation for cost/month as in question 3 above, except with varying interest rates, the values shown in the table below are obtained for n = 5 years.

Interest Rate, % \$ / CCF \$/1000 gal

4 6 0.33 0.35 0.45 0.47

8 0.37 0.49

10 0.39 0.51

12 0.40 0.54

15 0.43 0.58

The results indicate that even at an interest rate of 15% per year, the cost at \$0.58/1000 gallons is significantly below the city's cost of \$1.10/1000 gallons. Therefore, the program's success is not sensitive to interest rates.

Chapter 5

13

(c) Use the same equation as in question 3 above with $i = 0.5\%$ per month and varying life values. Life, years 2 3 \$ / CCF 0.80 0.55 \$/1000 gal 1.07 0.74 4 0.43 0.57 5 0.35 0.47 6 0.30 0.40 8 0.24 0.32 10 0.20 0.27 15 0.15 0.20 20 0.13 0.17

For a 2-year life and an interest rate of a nominal 6% per year, compounded monthly, the cost of the program is \$1.07/1000 gallons, which is very close to the savings of \$1.10/1000 gallons. But the cost decreases rapidly as life increases. If further sensitivity analysis is performed, the following results are obtained. At an interest rate of 8% per year, the costs and savings are equal. Above 8% per year, the program would not be cost effective for a 2-year toilet life at the 75% rebate level. When the rebate is increased to 100%, the cost of the program exceeds the savings at all interest rates above 4.5% per year for a toilet life of 3 years. These calculations reveal that at very short toilet lives (2-3 years), there are some conditions under which the program will not be financially successful. Therefore, it can be concluded that the program's success is mildly sensitive to toilet life.

Chapter 5

14

Chapter 6 Annual Worth Analysis Solutions to Problems 6.1 The estimate obtained from the three-year AW would not be valid, because the AW calculated over one life cycle is valid only for the entire cycle, not part of the cycle. Here the asset would be used for only a part of its three-year life cycle. $-10,000(A/P, 10\%, 3) 7000 = -10,000(A/P, 10\%, 2) 7000 + S(A/F, 10\%, 2) -10,000(0.40211) 7000 = -10,000(0.57619) 7000 + S(0.47619) S = \3656 $AW_{GM} = -26,000(A/P, 15\%, 3) 2000 + 12,000(A/F, 15\%, 3) = -26,000(0.43798) 2000 + 12,000(0.28798) = \-9932 $AW_{Ford} = -29,000(A/P, 15\%, 3) 1200 + 15,000(A/F, 15\%, 3) = -29,000(0.43798) 1200 + 15,000(0.28798) = \-9582 Purchase the Ford SUV. 6.4 $AW_{centrifuge} = -250,000(A/P, 10\%, 6) 31,000 + 40,000(A/F, 10\%, 6) = -250,000(0.22961) 31,000 + 40,000(0.12961) = \$-83,218$ $AW_{belt} = -170,000(A/P, 10\%, 4) 35,000 26,000(P/F, 10\%, 2)(A/P, 10\%, 4) + 10,000(A/F, 10\%, 4) = -170,000(0.31547) 35,000 26,000(0.8624)(0.31547) + 10,000(0.21547) = \$-93,549$ Select centrifuge. 6.5 $AW_{small} = -1,700,000(A/P, 1\%, 120) 12,000 + 170,000(A/F, 1\%, 120) = -1,700,000(0.01435) 12,000 + 170,000(0.00435) = \$-35,656$ $AW_{large} = -2,100,000(A/P, 1\%, 120) 8,000 + 210,000(A/F, 1\%, 120) = -2,100,000(0.01435) 8,000 + 210,000(0.00435) = \$-37,222$ Select small pipeline. Chapter 6 1

6.2

6.3

6.6

$AW_A = -2,000,000(A/P, 1\%, 36) 5000 + 200,000(A/F, 1\%, 36) = -2,000,000(0.03321) 5000 + 200,000(0.02321) = \$-66,778$ $AW_B = -25,000(A/P, 1\%, 36) 45,000(P/A, 1\%, 8)(A/P, 1\%, 36) - 10,000(P/A, 1\%, 28)(P/F, 1\%, 8)(A/P, 1\%, 36) = -25,000(0.03321) 45,000(7.6517) (0.03321) - 10,000(24.3164)(0.9235)(0.03321) = \$-19,723$ Select plan B.

6.7

$AW_X = -85,000(A/P, 12\%, 3) 30,000 + 40,000(A/F, 12\%, 3) = -85,000(0.41635) 30,000 + 40,000(0.29635) = \$-53,536$ $AW_Y = -97,000(A/P, 12\%, 3) 27,000 + 48,000(A/F, 12\%, 3) = -97,000(0.41635) 27,000 + 48,000(0.29635) = \$-53,161$ Select robot Y by a small margin.

6.8

$AW_A = -25,000(A/P, 12\%, 2) 4000 = -25,000(0.59170) 4,000 = \$-18,793$ $AW_B = -88,000(A/P, 12\%, 6) 1400 = -88,000(0.24323) 1400 = \$-22,804$ Select plan A.

6.9

$AW_X = -7650(A/P, 12\%, 2) 1200 = -7650(0.59170) 1200 = \-5726.51 $AW_Y = -12,900(A/P, 12\%, 4) 900 + 2000(A/F, 12\%, 4) = -12,900(0.32923) 900 + 2000(0.20923) = \-4728.61 Select plan Y.

Chapter 6

2

6.10

$AWC = -40,000(A/P, 15\%, 3) 10,000 + 12,000(A/F, 15\%, 3) = -40,000(0.43798) 10,000 + 12,000(0.28798) = \$-24,063$
 $AWD = -65,000(A/P, 15\%, 6) 12,000 + 25,000(A/F, 15\%, 6) = -65,000(0.26424) 12,000 + 25,000(0.11424) = \$-26,320$ Select machine C.

6.11

$AWK = -160,000(A/P, 1\%, 24) 7000 + 40,000(A/F, 1\%, 24) = -160,000(0.04707) 7000 + 40,000(0.03707) = \$-13,048$
 $AWL = -210,000(A/P, 1\%, 48) 5000 + 26,000(A/F, 1\%, 48) = -210,000(0.02633) 5000 + 26,000(0.01633) = \$-10,105$ Select process L.

6.12

$AWQ = -42,000(A/P, 10\%, 2) 6000 = -42,000(0.57619) 6000 = \$-30,200$
 $AWR = -80,000(A/P, 10\%, 4) [7000 + 1000(A/G, 10\%, 4)] + 4000(A/F, 10\%, 4) = -80,000(0.31547) [7000 + 1000(1.3812)] + 4000(0.21547) = \$-32,757$ Select project Q.

6.13

$AW_{land} = -110,000(A/P, 12\%, 3) 95,000 + 15,000(A/F, 12\%, 3) = -110,000(0.41635) 95,000 + 15,000(0.29635) = \$-136,353$
 $AW_{incin} = -800,000(A/P, 12\%, 6) 60,000 + 250,000(A/F, 12\%, 6) = -800,000(0.24323) 60,000 + 250,000(0.12323) = \$-223,777$
 $AW_{contract} = -190,000$ Use land application.

Chapter 6

3

6.14

$AW_{hot} = -[(700)(300) + 24,000](A/P, 8\%, 2) 5000 = -234,000(0.56077) 5000 = \$-136,220$
 $AW_{resurface} = -850,000(A/P, 8\%, 10) 2000(P/A, 8\%, 8)(P/F, 8\%, 2)(A/P, 8\%, 10) = -850,000(0.14903) 2000(5.7466)(0.8573)(0.14903) = \$-128,144$ Resurface the road.

6.15

Find P in year 29, move back to year 9, and then use A/F for n = 10. $A = [80,000/0.10](P/F, 10\%, 20)(A/F, 10\%, 10) = [80,000/0.10](0.1486)(0.06275) = \$ 7459.72$

6.16

$AW_{100} = 100,000(A/P, 10\%, 100) = 100,000(0.10001) = \$10,001$
 $AW = 100,000(0.10) = \$10,000$ Difference is \$1.

6.17

First find the value of the account in year 11 and then multiply by i = 6%. $F_{11} = 20,000(F/P, 15\%, 11) + 40,000(F/P, 15\%, 9) + 10,000(F/A, 15\%, 8) = 20,000(4.6524) + 40,000(3.5179) + 10,000(13.7268) = \$371,032$
 $A = 371,032(0.06) = \$22,262$

6.18 6.19

$AW = 50,000(0.10) + 50,000 = \$55,000$
 $AW = -100,000(0.08) 50,000(A/F, 8\%, 5) = -100,000(0.08) 50,000(0.17046) = \$-16,523$ Perpetual
AW is equal to AW over one life cycle $AW = -[6000(P/A, 8\%, 28) + 1000(P/G, 8\%, 28)](P/F, 8\%, 2)(A/P, 8\%, 30) = -[6000(11.0511) + 1000(97.5687)](0.8573)(0.08883) = \$-12,480$

6.20

Chapter 6

4

6.21

$P-1 = 1,000,000(P/A, 10\%, 11) + 100,000(P/G, 10\%, 11) = 1,000,000(6.4951) + 100,000(26.3963) = \$9,134,730$
Amt in yr 10 = $9,134,730(F/P, 10\%, 11) = 9,134,730(2.8531) = \$26,062,298$
 $AW = 26,062,298(0.10) = \$2,606,230$

6.22

Find P in year 1, move to year 9, and then multiply by i. Amounts are in \$1000. $P-1 = [100(P/A, 12\%, 7) 10(P/G, 12\%, 7)](F/P, 12\%, 10) = [100(4.5638) 10(11.6443)](3.1058) = \1055.78
 $A = 1055.78(0.12) = \$126.69$

6.23 (a) $AW_{in-house} = -30(A/P, 15\%, 10) 5 + 14 + 7(A/F, 15\%, 10) = -30(0.19925) 5 + 14 + 7(0.04925) = \3.37 (\$ millions)
 $AW_{license} = -2(0.15) 0.2 + 1.5 = \1.0 (\$ millions)
 $AW_{contract} = -2 + 2.5 = \0.5 (\$ millions) Select in-house option. (b) All three options are acceptable. FE Review Solutions 6.24 6.25 Answer is (b) Find PW in year 0 and then multiply by i. $PW_0 = 50,000 + 10,000(P/A, 10\%, 15) + (20,000/0.10)$

$(P/F, 10\%, 15) = 50,000 + 10,000(7.6061) + (20,000/0.10)(0.2394) = \$173,941$ Chapter 6 5

$AW = 173,941(0.10) = \$17,394$ Answer is (c) 6.26 $A = [40,000/0.08](P/F, 8\%, 2)(A/F, 8\%, 3) = [40,000/0.08](0.8573)(0.30803) = \$132,037$
Answer is (d) 6.27 $A = [50,000/0.10](P/F, 10\%, 20)(A/F, 10\%, 10) = [50,000/0.10](0.1486)(0.06275) = \4662 Answer is (b) 6.28 Note: $i =$
effective 10% per year. $A = [100,000(F/P, 10\%, 5) 10,000(F/A, 10\%, 6)](0.10) = [100,000(1.6105) 10,000(7.7156)](0.10) = \8389 Answer is
(b) 6.29 $i/\text{year} = (1 + 0.10/2)^2 - 1 = 10.25\%$ Answer is (d) 6.30 $i/\text{year} = (1 + 0.10/2)^2 - 1 = 10.25\%$ Answer is (d) 6.31 $AW = -800,000(0.10)$
 $10,000 = \$-90,000$ Answer is (c) Case Study Solution 1. Spreadsheet and chart are below. Revised costs and savings are in columns F-H.

Chapter 6

6

iZ* Microsoft Excel File Edit View Insert Format Tools Data Window Help QI Macros

\d & a\m\A \&A3

t I z i iii jgimMARR

\$

\$ \$ \$

*\$ \$

\$ \$

35,000 35.000

\$ \$

\$ \$

\$ \$s

\$ \$

34

\$ \$ \$

80.000 85.000 70.000

\$ \$ \$

60.000 65.000 70.000

35.000

\$ *

91011

5E7

\$

(85.000) \$ 85.000 \$ 35.000 \$ (130.000) \$ 35.000 70.000 \$

130.000

85.000 70.000 70.000

(165.000) 35.000 35.000

\$(130,000) \$ \$ \$

\$

200.000

*\$ \$

\$\$

\$ \$ \$s

Contemporary Engineering Economics, 6th edition

Now available on

- All-in-one subscriptions
- Learning simplified
- Made to fit your life

Get instant access to 1,500+ eTextbooks and study tools, all in one place, for one low monthly subscription. Make the most of study time with offline access, search, notes and flashcards — to get organized, get the work done quicker and get results. Learn more

Your questions answered

Introducing Pearson+. Reimagined learning, designed for you. Choose from one eTextbook or over 1,500 eTextbooks and study tools, all in one place, for one low monthly subscription. A new way to buy books that fits your budget. Make the most of your study time with offline access, enhanced search, notes and flashcards — to get organized, get the work done quicker and get results. Plus, with the app, put textbooks in your pocket and learn wherever. It's time to upgrade the textbook and simplify learning, so you can have time to live too.

Pearson eTextbook is an easy-to-use digital textbook available from Pearson+. Make it your own by adding notes and highlights. Download the Pearson+ mobile app to learn on the go, even offline. Listen on the go with our new audiobook feature, available for most titles.

When you choose a plan, you're signing up for a 4-month 'term'. We will charge your payment method each month until your 4-month term has ended. You can turn on auto-renew in **My account** at any time to continue your subscription before your 4-month term has ended.

When you purchase a Pearson+ subscription, it will last 4 months. Before your initial 4-month term ends, you can extend your subscription by turning auto-renew on in **My account**. If you turn auto-renew on, we'll automatically renew your subscription and charge you every month until you turn off auto-renew. To avoid the next payment charge, make sure you turn auto renewal off 1 day before the auto renewal date. You can subscribe again after auto-renew has been turned off by purchasing another Pearson+ subscription. We use your credit card to renew your subscription automatically. To make sure your learning is uninterrupted, please check your card details before your first monthly payment.

With a Multi Pearson+ subscription plan, you can download up to 5 titles on the Pearson+ app from My list on each of your authorized devices every month. When you're using your Multi Pearson+ subscription plan in a browser, you can select and read from as many titles as you like.

Источник: <https://www.pearson.com/en-us/subject-catalog/p/contemporary-engineering-economics/P200000003535/9780137848683>

‘_

jgastartjj

3

1 Bij (B